PUBLIC EXAM

MODEL QUESTION PAPER

	_		
Time Allowed: 3 Hou Instructions:	(a) Check the question properties fairness, inform the	SECONDARY FIRST YEAR paper for fairness of printing Hall Supervisor immediate ink to write and underline a	ly.
Note: (i)	All questions are compu l	SECTION-A	20 X 1 = 20
(ii)	•	ost suitable answer from the	given four alternatives. Write the
1. The range of the fu	unction $f(x) = \lfloor x \rfloor - x , x \in \mathbb{R}$	is	
(1) [0, 1]		(3) [0, 1)	(4) (0, 1)
(1) 5	(2) 7	(3) 6	(4) 9
3. Let $f_k(x) = \frac{1}{k} [\sin^k x]$	$[x + \cos^k x]$ where $x \in R$ and R	$k \ge 1$. Then $f_4(x) - f_6(x) =$	
$(1)^{\frac{1}{4}}$	$(2)\frac{1}{12}$	$(3)^{\frac{1}{6}}$	$(4)\frac{1}{3}$
4. In 3 fingers, the nu $(1) 4^3 - 1$	umber of ways four rings ca (2) 3 ⁴	n be worn is ······ways. (3) 68	(4) 64
	e sequence 1,2,4,7,11,···is	- Jacobal N	létaaanNe
(1) $n^3 + 3n^2 + 2$	$2n (2) n^3 - 3n^2 + 3n$	$(3)\frac{n(n+1)(n+2)}{3}$	$(4)^{\frac{n^2-n+2}{2}}$
6. The equation of the (1) $x - 2y = \sqrt{5}$	te line with slope 2 and the 3 (2) $2x - y = \sqrt{5}$ $3 - x - 6$	length of the perpendicular (3) $2x - y = 5$	from the origin equal to $\sqrt{5}$ is (4) x -2y-5=0
7. A root of the equat	tion $\begin{vmatrix} -6 & 3-x & 3 \\ 3 & 3 & -6-x \end{vmatrix}$	$(3) 2x - y = 5$ $\begin{vmatrix} $	WWW P80839
on AB is	tion vectors of A and B then		points whose position vector lies
	$(2)\frac{2\vec{a}-\vec{b}}{2}$	$(2)^{2\vec{a}+\vec{b}}$	(4) $\vec{a} - \vec{b}$
		(3) 3	(4) 3
9. $\lim_{x \to \infty} \left(\frac{x^2 + 5x + 3}{x^2 + x + 3} \right)$	is	$(3)\frac{2\vec{a}+\vec{b}}{3}$ $(3)e^3$	let
(1)e ·	(Z)e-	$(3)e^{3}$	(4) 1
10. If $pv = 81$, then $\frac{6}{3}$	$\frac{dv}{dv}$ at $v = 9$ is	00.	leia a
$(1)1$ $11. \int \frac{e^{6\log x} - e^{5\log x}}{e^{4\log x} - e^{3\log x}} dx$	(2)-1 ris $ (2)\frac{x^3}{3} + c $	$(3)2$ $(3)\frac{3}{x^3} + c$	(4)-2
(1) x + c	$(2)\frac{x^3}{3} + c$	$(3)\frac{3}{r^3}+c$	$(4)\frac{1}{r^2}+c$
12. Let A and B be two	o events such that $P(\overline{A \cap B})$	\overline{B}) = $\frac{1}{6}$, $P(A \cap B) = \frac{1}{4}$ and P	$(\bar{A}) = \frac{1}{4}$. Then the events A and B
are	ikely but not independent	AMMAT A	ent but not equally likely
	ent and equally likely	(4) Mutually in	nclusive and dependent
13. The range of the fu	$\arctan \frac{1}{1 - 2\sin x}$ is	WWW.Padasaidi	WWW.Padasaia
$(1)(-\infty,-1)$	$\cup \left(\frac{1}{3}, \infty\right) \tag{2} \left(-1, \frac{1}{3}\right)$	(3) $\left[-1,\frac{1}{3}\right]$	$(4) \left(-\infty, -1\right] \cup \left[\frac{1}{3}, \infty\right).$
	$11 \cdot \log_{11} 13 \cdot \log_{13} 15 \cdot \log_{13} 15$		lah.
(1) 1	(2) 2	(3) 3	(4) 4
15. The number of five (1) 90000	e digit telephone numbers ha (2) 9000	ving at least one of their digitation (3) 30240	s repeated is (4) 69760.
	/		1621

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16. Which one of the following is not true about the	e matrix $\begin{bmatrix} 0 & 0 & 0 \\ 0 & 0 & 5 \end{bmatrix}$?	
(1) a scalar matrix(3) an upper triangular matrix	(2) a diagonal matrix(4) a lower triangular matrix	
17. The value of $\overrightarrow{AB} + \overrightarrow{BC} + \overrightarrow{CA}$ is		
$(1)\overrightarrow{AD} \qquad (2)\overrightarrow{CA}$	$(3)\overrightarrow{0} \qquad (4)$	$-\overrightarrow{AD}$
18. $\lim_{n \to \infty} \frac{tan^{-1}x}{x}$ is		
(1)1 (2)0	$(3)\infty$ (4)	- ∞
19. The number of points in R in which the function (1)2 (2)2	$f(x) = x - 4 + x - 9 + \sin x$ (3)1 (4)4	
$20. \int x^2 \cos x dx $ is	av 2 u sa palat Net	Net
(1) $x^2 \sin x + 2x \cos x - 2 \sin x + c$ (3) $-x^2 \sin x + 2x \cos x + 2 \sin x + c$	(2) $x^2 \sin x - 2x \cos x - 2s$ (4) $-x^2 \sin x - 2x \cos x + 2s$	
	SECTION-B	
Note: (i) Answer any SEVEN questi (ii) Question number 30 is co		7 X 2 = 14
21. Three coins are tossed simultaneously, what head (iii) atmost one head?		xactly one head (ii) at least one
22. Integrate: $sec^2 x + 18 cos 2x + 10 sec(5x + 3)$	$)\tan(5x+3)$	
23. Compute: $\lim_{x\to 1} \frac{\sqrt{x}-1}{x-1}$.		
24. If A is a 3 × 4 matrix and B is a matrix such th matrix B?	at both A ^T B and BA ^T are defined	d, what is the order of the
25. Let $X = \{a, b, c, d\}$ and $R = \{(a, a), (b, b), (a, c)\}$. included to R to make it (i) reflexive (ii) symmetric reflexive (ii) symmetric reflexive (iii) symmetric reflexive (iiii) symmetric reflexive (iiii) symmetric reflexive (iiii) symmetric reflexive (iiii) symmetric reflexive (iiiii) symmetric reflexive (iiiiiiii) symmetric reflexive (iiiiiiiiiiiiiiiiiiiiiiiiiiiiiiiiiii		
26. Simplify: $(i)(125)^{\frac{2}{3}}$ (ii) $16^{\frac{-3}{4}}$	a a a a a a a la la la la la la la la la	
27. Prove that (b + c) cos A + (c + a) cos B + (a + l) 28. If $\frac{1}{7!} + \frac{1}{8!} = \frac{A}{9!}$ then find the value of A.	b) $\cos C = a + b + c$.	
29. Find the coefficient of x^{15} in $\left(x^2 + \frac{1}{x^3}\right)^{10}$		
30. The length of the perpendicular drawn from direction of the x-axis. Find the equation of the	•	kes an angle 30° with positive
	SECTION-C	
Note: (i) Answer any SEVEN questi		7 X 3 = 21
(ii) Question number 40 is co	ompulsory.	
31. A fruit shop keeper prepares 3 different varie		
Pack-I contains 6 apples, 3 oranges and 3		
Pack-II contains 5 apples, 4 oranges and 4 Pack –III contains 6 apples, 6 oranges and		
The cost of an apple, an orange and a pomegr		s 15 and Rs 45. What is the
cost of preparing each package of fruits?	a salat Net	
32. Show that the vectors $5\hat{i} + 6\hat{j} + 7\hat{k}$, $7\hat{i} - 8\hat{j} + 3\hat{k}$		
33. A main road in a City has 4 crossroads with the probability of 0.4 and 0.6 respectively. De	etermine the probability of	ens or closes the traffic with
(i) a car crossing the first crossroad(ii) a car crossing first two crossroad		
(iii) a car crossing all the crossroads,		
(iv) a car crossing all the crossroads	stopping at exactly one cross	
34. Show that the function $\begin{cases} \frac{x^3-1}{x-1}, & \text{if } x \neq 1 \\ 3, & \text{if } x = 1 \end{cases}$ is con	tinuous on $(-\infty, \infty)$	
(3 , if x = 1)	WWW.Padason	

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35. Differentiate $y = \frac{x^{\frac{3}{4}}\sqrt{x^2+1}}{(3x+2)^5}$ 36. Integrate: $\frac{\cos 2x - \cos 2\alpha}{\cos x - \cos \alpha}$

37. Find the range of the function $f(x) = \frac{1}{1-3\cos x}$ **38.** Find all values of x that satisfies the inequality $\frac{2x-3}{(x-2)(x-4)} < 0$

39. Find the value of $\sqrt{3}$ cosec 20° – sec 20°

40. If the roots of the equation $(q-r)x^2 + (r-p)x + p-q = 0$ are equal, then show that p,q and rare in AP.

SECTION-D

Note: Answer all the questions. 7X5 = 35

- **41. (A)** Verify that det(AB) = (detA) (detB) for $A = \begin{bmatrix} 4 & 3 & -2 \\ 1 & 0 & 7 \\ 2 & 3 & -5 \end{bmatrix}$ and $B = \begin{bmatrix} 1 & 3 & 3 \\ -2 & 4 & 0 \\ 9 & 7 & 5 \end{bmatrix}$ **(OR)**
 - **(B)** Prove that $\sqrt[3]{x^3+7} \sqrt[3]{x^3+4}$ is approximately equal to $\frac{1}{x^2}$ when x is large.

- **42. (A)** Integrate: (i) $\frac{e^x}{e^x 1}$ (ii) $\frac{e^x e^{-x}}{e^x + e^{-x}}$ (iii) $e^{2x} \sin x$ (iv) $e^x (\tan x + \log \sec x)$ (v) $\cos e^x (5x 7)$

 - **(B)** Find *p* and *q*, if the following equation represents a pair of perpendicular lines $6x^2 + 5xy - py^2 + 7x + qy - 5 = 0$
- **43. (A)** Prove that the medians of a triangle are concurrent.

(OR)

- **(B)** Evaluate: $\lim_{x\to 0} \frac{\sqrt{1+\sin x}-\sqrt{1-\sin x}}{\tan x}$ **44. (A)** Prove that using the Mathematical induction

$$\sin(\alpha) + \sin(\alpha + \frac{\pi}{6}) + \sin(\alpha + \frac{2\pi}{6}) + \dots + \sin(\alpha + \frac{(n-1)\pi}{6}) = \frac{\sin(\alpha + \frac{(n-1)\pi}{12})x\sin(\frac{n\pi}{12})}{\sin(\frac{\pi}{12})}.$$

- **(B)** Prove that $\frac{\cot(180^\circ + \theta)\sin(90^\circ \theta)\cos(-\theta)}{\sin(270^\circ + \theta)\tan(-\theta)\csc(360^\circ + \theta)} = \cos^2\theta \cot\theta.$
- **45.** (A) A simple cipher takes a number and codes it, using the function f(x)=3x-4. Find the inverse of this function, determine whether the inverse is also a function and verify the symmetrical property about the line y = x (by drawing the lines).

- (B) State and prove the quadratic equation formula.
- (B) State and prove the quadratic equation formula.

 46. (A) (i) If $y = (cos^{-1}x)^2$, prove that $(1-x^2)\frac{d^2y}{dx^2} x\frac{dy}{dx} 2 = 0$. Hence find y_2 when x = 0.

 (ii) If $\sin y = x \sin(a+y)$, then prove that $\frac{dy}{dx} = \frac{\sin^2(a+y)}{\sin a}$, $a \ne n\pi$.

- (B) Find the principal value of
 - (i) $\sin^{-1}\left(\frac{1}{\sqrt{2}}\right)$
 - (ii) $\cos^{-1}\left(\frac{\sqrt{3}}{2}\right)$
 - (iii) $cosec^{-1}(-1)$
 - (iv) $\sec^{-1}(-\sqrt{2})$.
 - (v) $\tan^{-1}(\sqrt{3})$.
- **47. (A)** A ball is thrown vertically upward from the ground with an initial velocity of 39.2 m/sec. If the only forceconsidered is that attributed to the acceleration due to gravity, find (i) how long will it take for the ball to strike the ground? (ii) the speed with which will it strike the ground? and (iii) how high the ball will rise?

(OR)

(B) There are two identical urns containing respectively 6 black and 4 red balls, 2 black and 2 red balls. An urn is chosen at random and a ball is drawn from it. (i) find the probability that the ball is black (ii) if the ball is black, what is the probability that it is from the first urn?

Time Allowed: 3 Hou Instructions:	(a) Check the question paper fairness, inform the Hall(b) Use Blue or Black ink to	Supervisor immediate	•
Note: (i) (ii)	All questions are compulsory	itable answer from the	20 X 1 = 20 given four alternatives. Write the
(1) no element(3) only one eleme	$x, x \in \mathbb{R}$ and $\mathbb{B} = \{(x, y) : y = cos\}$ ent am and product of the roots of to (2) 2	(2) infinitely many el(4) cannot be determ	ements ined.
3. In a triangle ABC, sin (1) equilateral tria (3) right triangle 4. nC _x =nC _y if and only if	$\ln^2 A + \sin^2 B + \sin^2 C = 2$, then then the single		ter
	(2)x+y=0 sequence 1,2,4,7,11,…is	(3)x+y=n	(4)both (1) and (2)
(1) $n^3 + 3n^2 + 2n$	n (2) $n^3 - 3n^2 + 3n$		
6. The y-intercept of th	ne straight line passing through	(1,3) and perpendicul	ar to $2x-3y +1=0$ is
$(1)\frac{3}{2}$	$(2)\frac{9}{2}$	$(3)\frac{\pi}{3}$	(4) -
two vectors as two s		$\frac{ana}{6}$ is $\frac{-}{6}$, then the an	rea of the triangle formed by these
$(1)^{\frac{7}{2}}$	$(2)\frac{15}{1}$	$(3)\frac{3}{7}$	$(4)\frac{17}{4}$
8. The order of the ma	(2) $\frac{15}{4}$ trix A which satisfies A $\begin{bmatrix} 1 & 2 \\ 4 & 5 \end{bmatrix}$	$3 = \begin{bmatrix} -7 & -8 & -9 \end{bmatrix}$ is	5
1) 1 X 3 9. A letter is taken at ra	(2) 3 X 1	(3) 2 X 2 vord 'ASSISTANT' and :	(4) 3 X 2 another letter is taken at random
$(1)\frac{7}{45}$	(2) $\frac{17}{90}$	$(3)\frac{29}{90}$	$(4) \frac{19}{90}$
10. The probability of both A and B occur	two events A and B are 0.3 and simultaneously is 0.18. The page	0.6 respectively. The probability that neither	orobability that A nor B occurs is
$ \begin{array}{c} (1) \ 0.1 \\ 11 \ \text{If } A = \begin{bmatrix} 1 & -1 \end{bmatrix}_{R} \end{array} $	(2) 0.72 = $\begin{bmatrix} a & 1 \\ b & -1 \end{bmatrix}$ and $(A+B)^2 = A^2$	$(3) 0.42$ $^2 \pm R^2$ then the value	(4) 0.28
	$\begin{bmatrix} b & -1 \end{bmatrix} \text{ and } (A + B) = A$ $1 \qquad (2) \ a = 1, b = 4$		
12. The vector of magn	nitude 5 and parallel to the vect	tor whose direction rat	ios are 2,3,6 are
	$(2)^{\frac{2\hat{\imath}+3\hat{\jmath}+6\hat{k}}{7}}$		$(4) \pm \frac{5}{7}(2\hat{\imath} + 3\hat{\jmath} + 6\hat{k})$
	of a triangle ABC then $\overrightarrow{GA} + \overrightarrow{G}$		
(1) 3	(2) \vec{a} in R in which the function for (2) 2	(3) b (x) = $ x - 1 + x - 3 $ (3) 1	(4) \vec{c} + sin x is not differentiable is (4) 4
15. If pv = 81 then $\frac{dp}{dv}$ a	1 V = 9 IS	(3) 2	(4) -2
$(\frac{1}{3x})^{\frac{1}{x}}$	(2) -1 $+ c$ then the value of k is	(3) 4	(4) -2
16. If $\int \frac{1}{x^2} dx = k \left(3^x \right)$ (1) log 3	+ c then the value of k is (2) -log 3	(3)1_	(4)_1
(T) log 5	(2) -10g 3	$(3)\frac{-1}{\log 3}$	$(4)\frac{1}{\log 3}$

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17. Let a function f be defined by $f(x) = \frac{x - |x|}{x}$ for $x \ne 0$ and f(0) = 2 then f is

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(1) continuous nowhere

(2) continuous everywhere

(3) continuous for all except x = 1 (4) continuous for all x except x = 0

18. If a and b are the real roots of the equation $x^2 - kx + c = 0$, then the distance between the points (a, 0) and (b, 0) is

 $(1)\sqrt{k^2-4c}$

(2) $\sqrt{4k^2-c}$

(3) $\sqrt{4c - k^2}$

 $(4)\sqrt{k-8c}$

19. Number of sides of a polygon having 44 diagonals is

(1)4

(2) 4!

(3)1

(4)22

20. If $f(x) = xtan^{-1}x$, then f'(x) is

(1) $1+\frac{\pi}{4}$

 $(2)^{\frac{1}{2}} + \frac{\pi}{4}$

 $(3)\frac{1}{2}-\frac{\pi}{4}$

(4)2

SECTION-B

Note:

(i) Answer any **SEVEN** questions.

7X2 = 14

(ii) Question number **30** is compulsory.

21. If n(A) = 10 and $n(A \cap B) = 3$, find $n((A \cap B)' \cap A)$

22. A quadratic polynomial has one of its zeros $1 + \sqrt{5}$ and it satisfies p(1) = 2. Find the quadratic polynomial.

23. Prove that cos(A + B) cos C - cos(B + C) cos A = sin B sin(C - A).

24. Find the value of *n*, if the sum to *n* terms of the series $\sqrt{3} + \sqrt{75} + \sqrt{243} + \cdots$ is $435\sqrt{3}$

25. Find the family of straight lines (i) Perpendicular (ii) Parallel to 3x + 4y - 12 = 0.

26. Show that $\begin{vmatrix} 4 - x & 4 + x & 4 + x \\ 4 + x & 4 - x & 4 + x \\ 4 + x & 4 + x & 4 - x \end{vmatrix} = 0$

27. For any vector \vec{r} , prove that $\vec{r} = (\vec{r}.\hat{\imath})\hat{\imath} + (\vec{r}.\hat{\jmath})\hat{\jmath} + (\vec{r}.\hat{k})\hat{k}$.

28. Find the derivative of $f(x) = \sin x^{\circ}$

29. Integrate $\frac{\cos x}{\sin^2 x}$

30. If A and B are independent then prove that \bar{A} and \bar{B} are also independent.

SECTION-C

Note:

(i) Answer any **SEVEN** questions.

7X3 = 21

(ii) Question number **40** is compulsory.

31. A die is rolled once. If it shows an odd number, then find the probability of getting 3.

32. Integrate $\frac{x \sin^{-1} x}{\sqrt{1-x^2}}$

33. If $x = a(\theta + sin\theta)$, $y = a(1-cos\theta)$ then prove that at $\theta = \frac{\pi}{2}$, $y'' = \frac{1}{a}$.

34. Examine the continuity of e^x tanx

35. If \vec{a} and \vec{b} are unit vectors and θ is the angle between them, show that

 $\sin \frac{\theta}{2} = \frac{1}{2} |\vec{a} - \vec{b}|$ 36. Show that $\begin{vmatrix} 1 & 1 & 1 \\ x & y & z \\ x^2 & y^2 & z^2 \end{vmatrix} = (x-y)(y-z)(z-x).$

37. A line is drawn perpendicular to 5x = y+7. Find the equation of the line if the area of the triangle formed by this line with co-ordinate axes is 10 sq. units.

38. If the letters of the word TABLE are permuted in all possible ways and the words thus formed are arranged in the dictionary order (alphabetical order), find the ranks of the words (i) TABLE, (ii) BLEAT

39. Construct a cubic polynomial function having zeros at $x = \frac{2}{5}$, $1 + \sqrt{3}$ such that f(0) = -8

40. In a \triangle ABC, if a = 12 cm, b = 8 cm and C = 30°, then show that its area is 24 sq.cm.

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SECTION-D

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Note: Answer **all** the questions.

7X5 = 35

41. A) If $f: \mathbb{R} \to \mathbb{R}$ is defined by f(x)=3x-5, prove that f is a bijection and find its inverse.

(OR)

- **B)** Resolve into Partial fractions: $\frac{2x}{(x^2+1)(x-1)}$.
- **42. A)** . If $\theta + \varphi = \alpha$ and $\tan \theta = k \tan \varphi$, then prove that $\sin(\theta \varphi) = \frac{k-1}{k+1} \sin \alpha$.
 - B) There are 11 points in a plane. No three of these lies in the same straight line except 4 points, which are collinear. Find, (i) the number of straight lines that can be obtained from the pairs of these points? (ii) The number of triangles that can be formed for which the points are their vertices?
- **43. A)** Prove that $\sqrt{\frac{1-x}{1+x}}$ is approximately equal to $1-x+\frac{x^2}{2}$ when x is very small.
 - B) Show that the equation $2x^2-xy-3y^2-6x+19y-20=0$ represents a pair of intersecting lines. Show further that the angle between them is $\tan^{-1}(5)$.
- **44. A)** If $\begin{vmatrix} a & b & a\alpha + b \\ b & c & b\alpha + c \\ a\alpha + b & b\alpha + c & 0 \end{vmatrix} = 0$, prove that a,b,c are in G.P. or α is a root of $ax^2 + bx + c = 0$.
- **B)** Find the area of the triangle whose vertices are A(3,-1,2), B(1,-1,-3) and C(4,-3,1).
- **45. A)** Evaluate $\lim_{x\to 0} \frac{\tan x \sin x}{x^3}$ (OR)

 B) Find y'' if $x^4 + y^4 = 16$.
- **46.A)** Integrate $\frac{x+1}{x^2-3x+1}$

(OR)

- **B)** The chances of A,B and C becoming manager of a certain company are 5:3:2. The probabilities that the office canteen will be improved if A,B and C become managers are 0.4, 0.5 and 0.3 respectively.(i) Find the probability that the office canteen has been improved (ii) If the office canteen has been improved, what is the probability that B was appointed as the manager?
- **47. A)**Integrate $\frac{x^3}{(x-1)(x-2)}$ (OR)

B) Differentiate $(2x + 1)^5(x^3 - x + 1)^4$.

The study of mathematics, like the Nile, begins the minuteness but ends in magnificence.

- CHARLES CALEB COLTON

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Time Allowed: 3 Hor Instructions:		ER SECONDARY FIRS ion paper for fairness	TYEAR Maximum M of printing. If there is any lack of	arks: 90
		he Hall Supervisor im:		
	(b) Use Blue or Bla	nck ink to write and un SECTION-A	nderline and pencil to draw diagra	ms.
Note: (i)	All questions are con		20 X 1 :	
(ii)		· most suitable answer corresponding answer	from the given four alternatives.	Write the
			umbers. Then $A' \cup [(A \cap B) \cup B']$ is	S
(1) A	(2) A'	(3) B	(4) N	
2. The function $f: R \rightarrow (1)$ an odd fur	R is defined by $f(x) =$		function nor an even function	
(3) an even fu			on and even function.	
3. The value of $\log_{\sqrt{2}}$		let.		
(1) 16	(2) 18	(3) 9	(4) 12	
	ts of $(x + 3)^4 + (x + 5)^4 =$		(1) 0	
(1) 4	(2) 2	(3) 3	(4) 0	
	$+\cos^k x$] where $x \in \mathbb{R}$ are			
$(1)\frac{1}{4}$	$(2)\frac{1}{12}$	$(3)^{\frac{1}{6}}$	$(4)\frac{1}{3}$	
			l it take to make 10 complete rota	tions?
(1) 10π secon				ialal:Ne
points is	s in a plane and 4 of the	em are collinear. The r	umber of straight lines joining any	y two
(1) 45	(2) 40	(3) 39	(4) 38	
8. The sum up to n ter	(2) 40 rms of the series $\sqrt{2+\sqrt{8}}$	$3+\sqrt{18}+\sqrt{32}+\cdots$ is	awai Net	
$(1)^{\frac{n(n+1)}{2}}$	(2) 2n (n + 1	(3) $\frac{n(n+1)}{\sqrt{2}}$	(4) 1	
4		V 2	rpendicular to 2x-3y +1=0is	
$(1)\frac{3}{2}$	$(2)\frac{9}{2}$	$(3)\frac{2}{3}$	$(4)^{\frac{2}{9}}$	
			isalal No 19	
10. The value of the d	eterminant of $A = \begin{bmatrix} 0 \\ -a \end{bmatrix}$	0 c is		
(1) -2abc	(2) abc	-c 0	$(4) a^2 + b^2 + c^2$	
. ,	a unit vector then the valu	(3) 0 Le of λ is	(4)u + b + c	
$(1)\frac{1}{3}$	$(2)\frac{1}{4}$	$(3)\frac{1}{9}$	$(4)^{\frac{1}{2}}$	
$a\sin x_{-1}$	4	9	2	
12. $\lim_{x\to 0} \frac{e^{-x-1}}{x}$		1		
(1) 1	(2) <i>e</i>	$(3)\frac{1}{e}$	(4) 0	
-	0) = $f'(0)$ = 1, then $f(2)$		WWW.	
(1)1	(2)2	(3)3	(4)-3	
14. If $\int \frac{3\overline{x}}{x^2} dx = k \left(3\frac{1}{x} \right)$	+ c, then the value of	k is		
	$(2) - \log 3$		$(4)\frac{1}{\log 3}$	
(1) 1/3	(2) $2/5$	$(3) \frac{1}{6}$	and $P(X \cap Y) = 1/6$, then $P(XUY)$ is (4) 2/3	
16.If $y = e^{sinx}$ then dy				
(1) y sinx	(2) y cosx	(3) y tanx	(4) none of these	
_	es of the direction sines	-		
(1) 0	(2) 1	(3) 2	(4)5	lahi Ne
18.If the elements of a (1) 0	column are multiplied v (2) 1	with corresponding coff (3) 2	actors of any other column then the (4)5	ır sum is
(1)0	(4) 1	(3) 4	(1)0	

SUN TUITION CENTER - 9629216361 ww.Padasalai.Net 19.If n(A) = 1 then it is called(1) null set (2) singleton set (3) finite set (4) both (2) & (3) 20. The number of positive integers greater than 7000 and less than 8000 which are divisible by 5 without

(2)114(3)110(4)1001(1) 112

SECTION-B

Note:

Answer any **SEVEN** questions.

7 X 2 = 14

(ii) Question number 30 is compulsory.

- 21. Prove that the relation "friendship" is not an equivalence relation on the set of all people in Chennai.
- 22. Write $f(x) = x^2 + 5x + 4$ in completed square form.
- 23. Prove that $\cos 5\theta = 16 \cos^5 \theta 20 \cos^3 \theta + 5 \cos \theta$.
- 24. Find the expansion of $(2x + 3)^5$.

repetition of digits is

- 25. Find the equations of the straight lines, making the y- intercept of 7 and angle between the line and the y-axis is 30°.
- 26. Find x, y, a, and b if $\begin{bmatrix} 3x + 4y & 6 & x 2y \\ a + b & 2a b & -3 \end{bmatrix} = \begin{bmatrix} 2 & 6 & 4 \\ 5 & -5 & -3 \end{bmatrix}$. 27. Find the value or values of m for which m $(\hat{i} + \hat{j} + \hat{k})$ is a unit vector.
- 28. Find y" if y = $\frac{1}{x}$
- 29. Find the probability of getting the number 9, when a usual die is rolled.
- 30. Evaluate $\int \sqrt{4-x^2} dx$

SECTION-C

Note:

Answer any **SEVEN** questions. (i)

- 7X3 = 21
- (ii) Question number **40** is compulsory.
- 31. Find the range of the function $f(x) = \frac{1}{1-3 \cos x}$.
- 32. Find the square root of $7 4\sqrt{3}$
- 33. If the sides of a \triangle ABC are a = 4, b = 6 and c = 8, then show that 4 cos B + 3 cos C = 2.
- 34. By the principle of mathematical induction, prove that, for all integers $n \ge 1$, $1+2+3+\cdots+n = \frac{n(n+1)}{2}$
- 35. If the area of the triangle with vertices (-3,0), (3,0) and (0,k) is 9 square units, find the values of k.
- 36. Show that the points (4,-3,1), (2,-4,5) and (1,-1,0) form a right angled triangle.
- 37. Evaluate: $\lim_{x\to 0} \frac{3^x-1}{\sqrt{x+1}-1}$
- 38. Differentiate: $y = \sqrt{x} + \sqrt{x}$
- 39. If for two events A and B,P(A) = $\frac{3}{4}$, P(B)=2/5 and AUB=S (sample space), find the conditional probability P(A / B).
- 40. Find the nearest point on the line 3x + 4y = 12 from the origin.

SECTION-D

Note:

Answer all the questions.

7X5 = 35

41. A) If $f: R \to R$ is defined by f(x)=2x-3 prove that f is a bijection and find its inverse.

(OR)

- B) An advertising executive is studying television viewing habits of married men and women during prime time hours. Based on the past viewing records he has determined that during prime time wives are watching television 60% of the time. It has also been determined that when the wife is watching television, 40% of the time the husband is also watching. When the wife is not watching the television, 30% of the time the husband is watching the television. Find the probability that (i) the husband is watching the television during the prime time of television (ii) if the husband is watching the television, the wife is also watching the television
- 42. A) Resolve into partial fractions: $\frac{2x^2+5x-11}{x^2+2x-3}$

- B) Using Factor Theorem, prove that $\begin{vmatrix} 1 & x^2 & x^3 \\ 1 & y^2 & y^3 \\ 1 & z^2 & z^3 \end{vmatrix} = (x-y)(y-z)(z-x)(xy+yz+zx)$
- 43. A) If $\cot \theta (1 + \sin \theta) = 4m$ and $\cot \theta (1 \sin \theta) = 4n$, then prove that $(m^2 n^2)^2 = mn$. (OR)
 - B) State and prove Napier's formula.

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Do oR Die

- 44. A) Find the number of strings of 5 letters that can be formed with the letters of the word PROPOSITION adasalai. Net (OR)
 - B) Prove that $\sqrt{\frac{1-x}{1+x}}$ is approximately equal to $1-x+\frac{x^2}{2}$ when x is very small.
- 45. A) Find the derivative of $tan^{-1} \left(\frac{\cos x + \sin x}{\cos x \sin x} \right)$

(OR)

- B) If $y = \tan^{-1}\left(\frac{1+x}{1-x}\right)$, find y'
- 46. A) Evaluate: $\int \frac{2x+3}{\sqrt{x^2+x+1}} dx$

(OR)

- B) Evaluate: $\int \frac{1}{\sqrt{x+1} + \sqrt{x}} dx$.
- 47. A) Prove that the straight lines joining the origin to the points of intersection of $3x^2 + 5xy 3y^2 + 2x + 3y = 0$ and 3x 2y 1 = 0 are at right angles.

(OR)

B) Prove that a quadrilateral is a parallelogram iff its diagonals bisect each other

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+2 CLASS START - 28.12.2022

	Www.			1/// 4///	
Time Allowed: 3 Hou Instructions:	(a) Check the	HIGHER SECONDARY question paper for fai	rness of printing. If the	Maximum Marks: 90 ere is any lack of	
		inform the Hall Supers or Black ink to write SECTION-	and underline and per	ncil to draw diagrams.	
Note: (i)	All questions a	re compulsory.	n night	20 X 1 = 20	
(ii)	Choose the cor		_	four alternatives. Write the	
		Consider the following $= \{(x, y) : x - y \text{ is } \}$		$R \times R$: $S = \{(x, y) :$ hich of the following is	
(1) T is an equ	iivalence relation	n but S is not an equiva	alence relation.		
	nor T is an equiv				
	d T are equivalen				
7 -		n but T is not an equiva	alence relation.		
2. Given that x, y and l		-			
	(2) xb >	> yb (3) xb	$0 \le yb$ (4) x	$b \ge y b$	
$3.\frac{\sin(A-B)}{\cos A \cos B} + \frac{\sin(A-B)}{\cos A}$	$\frac{B-C)}{+} + \frac{\sin(C-C)}{\cos(C-C)}$	<u>− A)</u> is			
cos A cos B cos I	3 cos C cos C c	cos A CON O	(4)	D. C.	
	B + sin C(2) 1	(3) 0		s A + cos B + cos C	
_		re integers is divisible	-	- v tati	
(1) r!	(2) (r-1)				
	(2) 2d	n AP whose common ((3) 4d			
(1) d 6. If the equation of the of a side is				e is $x + y = 2$, then the length	
$(1)\sqrt{\frac{3}{2}}$	(2) 6	(3) √6	(4) 3	$\sqrt{2}$	
(1) A + B is ske	w-symmetric	rder ,where n (A ≠ B), th (2) A + B is sym	nmetric		
(3) A + B is a di		(4) A + B is a ze		Feadasalal.'\	
			direction of X and Y as	xes respectively.Then the	
angle between \overrightarrow{OP}					
(1) 45°	(2) 60°	(3) 90	° (4) 3	0°	
$9. \lim_{x \to \infty} \frac{\sqrt{x^2 - 1}}{2x + 1} =$					
9. $\lim_{x\to\infty}{2x+1}=$					
(1) 1	(2) 0	(3) -	1 $(4)^{\frac{1}{2}}$		
10. $\frac{d}{dx} \left(e^{x+5logx} \right)$ is			Z		
un			อรูปสรสเสนา	Padasalau	
$(1) e^x \cdot x^4 (x +$	5) $(2) e^x$	$x(x+5) \qquad (3)e^x$	$+\frac{3}{x}$ (4) e	$x = \frac{5}{x}$	
$11. \int \frac{\sec x}{\sqrt{\cos 2x}} \ dx \text{ is}$		estata	1.		
$(1) tan^{-1} (\sin \theta)$			$\sin^{-1}(\tan x) + c$		
$(3) tan^{-1}(\cos \theta)$			$in^{-1}(\tan x) + c$	WWW.Pau	
-	7	d 7 black balls. If two	balls are drawn simuli	taneously, then the	
probability that be			7	3	
$(1) \frac{68}{105}$	$(2)\frac{71}{105}$	$(3)\frac{64}{105}$	$\frac{1}{5}$ (4) $\frac{7}{10}$	05	
13. A matrix which bo	th symmetric an	d skew – symmetric is		MMM Lacon	
	(1) zero matric (2) row matric (3) column matric (4) scalar matric				
14. The sum of the sq	uare of the direct				
(1) 1	(2) 0	(3) 2	(4) 3		
15. Does $f(x) = \lim_{x \to n} [x]$	x exists?				
	4.1.4	ict Questions & Rey	$\frac{1}{8}$ to email id - Padas	alai.net@gmail.com	

your positive action combined with positive thinking result in success

An equation means nothing to us unless it expresses a thought of god

16. Test of $f(x) = x^{\frac{1}{3}}$ is

(1) x = 0

(2) x = 1

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17. Integration of $\frac{1}{4-x^2}$ is $(1) \frac{1}{4} \log \left| \frac{2+x}{2-x} \right| \qquad (2) \log \left| \frac{2+x}{2-x} \right|$

 $(3) \frac{1}{4} \log \left| \frac{2-x}{2+x} \right| \qquad (4) \log \left| \frac{2-x}{2+x} \right|$

18. Probability of impossible event is

(1)0

(3)2

(4) none of these

19. Two sets A and B are disjoint

(1)A

(2) B

 $(3) \emptyset$

(4) $A \cap B = A \cup B$

 $20.|x - a| = rn \text{ iff } r \ge 0 \text{ and}$

(1) x - a = r

(2) x - a = 0

(3) x + a = r

(4) $x - a = \pm r$

SECTION-B

Note:

Answer any **SEVEN** questions.

7X2 = 14

(ii) Question number **30** is compulsory.

- **21.** If $X = \{1, 2, 3, ... 10\}$ and $A = \{1, 2, 3, 4, 5\}$, find the number of sets $B \subseteq X$ such that $A B = \{4\}$
- **22.** If the equations $x^2 ax + b = 0$ and $x^2 ex + f = 0$ have one root in common and if the second equation has equal roots, then prove that ae = 2(b + f).
- **23.** Prove that $(\sec A \csc A) (1 + \tan A + \cot A) = \tan A \sec A \cot A \csc A$.
- 24. Find the number of ways of arranging the letters of the word RAMANUJAN so that the relative positions of vowels and consonants are not changed.
- **25.** Write the nth term of the sequence $\frac{3}{1^2 2^2}, \frac{5}{2^2 3^2}, \frac{7}{3^2 4^2}, \dots$ as a difference of two terms.
- **26.** Find the equation of the straight line parallel to 5x 4y + 3 = 0 and having x-intercept 3.
- **27.** Definition of triangle law of addition.
- **28.** Calculate $\lim_{x\to 2} \frac{|x|}{x}$. **29.** Defintion of Anti Derivative.
- **30.** Find the matrix A such that $\begin{bmatrix} 2 & -1 \\ 1 & 0 \\ -3 & 4 \end{bmatrix} A^T = \begin{bmatrix} -1 & -8 & -10 \\ 1 & 2 & -5 \\ 9 & 22 & 15 \end{bmatrix}.$

SECTION-C

Note:

(i) Answer any SEVEN questions. 7 X 3 = 21

- (ii) Question number **40** is compulsory.
- 31. A town has 2 fire engines operating independently. The probability that a fire engine is available when needed is 0.96. (i) What is the probability that a fire engine is available when needed?
 - (ii) What is the probability that neither is available when needed?
- **32.** Do the limits of following exist as $x \to 0$? State reasons for your answer? $\frac{x|x|}{\sin|x|}$
- **33.** If f is differentiable at a point $x = x_0$, then f is continuous at x_0
- 34. If GM and HM denote the geometric mean and the harmonic mean of two nonnegative numbers, then $GM \ge HM$. The equality holds if and only if the two numbers are equal.
- 35. An exam paper contains 8 questions, 4 in Part A and 4 in Part B. Examiners are required to answer 5 questions. In how many ways can this be done if (i) There are no restrictions of choosing a number of questions in either parts. (ii) At least two questions from Part A must be answered.
- **36.** Find the nearest point on the line 2x + y = 5 from the origin.
- **37.** Differentiate $f(x) = \frac{1}{\sqrt[3]{x^2 + x + 1}}$
- **38.** Integrate: $x^2 \cos x$
- **39.** Solve $\tan^2 x = 3$
- **40.** Prove that $\sqrt{5}$ is an irrational number.

SECTION-D

Note:

Answer all the questions.

7X5 = 35

41. (A) Prove that
$$\begin{vmatrix} (q+r)^2 & p^2 & p^2 \\ q^2 & (r+p)^2 & q^2 \\ r^2 & r^2 & (p+q)^2 \end{vmatrix} = 2pqr(p+q+r)^3.$$

(OR)

(B) Lettradydse het the two wedtersite Questione to actors perpenditula Probesthal. and \$\vec{\phi}\$ gmail.com

42. (A) Prove that $\sqrt{\frac{1-x}{1+x}}$ is approximately equal to $1-x+\frac{x^2}{2}$ when x is very small.

(B) Discuss f(x) = |x| is the continuous at all points of the real line \mathbb{R} .

43. (A) Show that the equation $4x^2 + 4xy + y^2 - 6x - 3y - 4 = 0$ represents a pair of parallel lines. Find the distance between them.

(OR)

(B) State and Prove the Quotient Rule.

44. (A) Find the pints of discontinuity of the function, where $f(x) = \begin{cases} \sin x , 0 \le x \le \frac{\pi}{4} \\ \cos x , \frac{\pi}{4} < x < \frac{\pi}{2} \end{cases}$

(OR)

(B) Prove that the medians of a triangle are concurrent.

45. (A) To prove that $\int e^{ax} \cos bx \, dx = \frac{e^{ax}}{a^2 + b^2} (a \sin ax - b \cos bx) + c$

(B) Find the derivative: $Y = x^{logx} + (log x)^x$

46. (A) Using Heron's formula, show that the equilateral triangle has the maximum area for any fixed perimeter.

(OR)

(B) Evaluate: $\int \frac{x+1}{x^2-3x+1} dx$ **47. (A)** If $+B + C = \frac{\pi}{2}$, then Show that $\tan A \tan B + \tan B \tan C + \tan C \tan A = 1$.

(OR)

(B) A construction company employs 2 executive engineers. Engineer-1 does the work for 60% of jobs of the company. Engineer-2 does the work for 40% of jobs of the company. It is known from the past experience that the probability of an error when engineer-1 does the work is 0.03, whereas the probability of an error in the work of engineer-2 is 0.04. Suppose a serious error occurs in the work, which engineer would you guess did the work?

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fair	theck the question paper in the Hall Surger Blue or Black ink to	pervisor immediately.	
(ii) Choose	estions are compulsory . the correct or most suitand the corresponding ans		20 X 1 = 20 en four alternatives. Write the opti-
1. Let $f_k(x) = \frac{1}{k} [\sin^k x + \cos^k x]$	where $x \in R$ and $k \ge 1$	Then $f_4(x) - f_6(x) =$	
$(1)^{\frac{1}{4}}$	$(2)\frac{1}{12}$	$(3)^{\frac{1}{6}}$	$(4)\frac{1}{3}$
2. The number of ways in which want to attend the party together.	ch a host lady invite 8 peo other is	ople for a party of 8 out of	of 12 people of whom two do not
	(2) $11C_7 + 10 C_8$ × β 1		
3. If the square of the matrix	$\begin{bmatrix} -\alpha \end{bmatrix}$ is the unit matrix	x of order 2, then α , β ar	$nd \gamma$ should satisfy the relation.
(1) $1 + \alpha^2 + \beta \gamma = 0$ 4. If $f: \mathbb{R} \to \mathbb{R}$ is defined by f	(2) $1 - \alpha^2 - \beta \gamma = 0$ (x) = $\lfloor x - 3 \rfloor + x - 4 $	(3) $1 - \alpha^2 + \beta \gamma = 0$ for $x \in \mathbb{R}$, then $\lim_{x \to 3^-} f(x)$	$(4) 1 + \alpha^2 - \beta \gamma = 0$ is equal to
(1) - 2	(2) - 1	(3) 0	(4) 0
5. $\frac{d}{dx} \left(\frac{2}{\pi} sinx^{\circ} \right)$ is			
$(1)\frac{\pi}{180}\cos x^{\circ}$ 6. $\int \sqrt{\frac{1-x}{1+x}} dx \operatorname{is}$	$(2)\frac{1}{90}\cos x^{\circ}$	$(3)\frac{\pi}{90}\cos x^{\circ}$	$(4)\frac{2}{\pi}\cos x^{\circ}$
6. $\int \sqrt{\frac{1-x}{1+x}} dx$ is			
$(1)\sqrt{1-x^2} + \sin^{-1} x - (3)-x^2\sin x + 2x\cos x$ 7. A, B, and C try to hit a target	+ 2sinx + c et simultaneously but inde	ependently. Their respect	x + 2sinx + c tive probabilities of hitting the
targets are $\frac{3}{4}, \frac{1}{2}, \frac{5}{8}$. The prob	ability that the target is h	it by A or B but not by C	Cis
$(1)\frac{21}{64}$	$(2) \frac{7}{32}$	(3) $\frac{9}{64}$	$(4) \frac{7}{8}$
8. Dot product between any tw			tist
(1) 0	$(2)\frac{\pi}{2}$	(3) $\frac{\pi}{4}$	$(4) \frac{\pi}{6}$
9. The pair of straight lines thr (1) 0	(2) 1	(3) 2	ree is (4) 3
10. Locus of a point P moves ed (1) Ellipse	quidistance from a fixed (2) circle	point O is (3) square	(4) angle bisector of the Δxoy .
11. Harmonic mean of two posi	itive numbers a and b is	(3) square	(4) angle disector of the $\Delta x \partial y$.
10.4	$(2)\frac{a+b}{2}$	$(3)\frac{2ab}{a}$	$(4)\frac{ab}{a+b}$
12. Sum of $1 + 3 + 5 + \dots + (2 + 3)$	(2n-1) is	a+b	a+b
(1) 2n	$(2)\frac{n(n+1)}{2}$	$(3) \frac{2ab}{a+b}$ $(3) \frac{n^2}{2}$	$(4) n^2$
13. Another notation $sin^{-1}x$ is	2	2	
(1) cosecant x	(2) tan x	(3) $arc \sin x$	(4) cotant x
14. If $\propto +\beta = \frac{\pi}{2}$, $\sin(\propto +\beta) =$	$=\sin \alpha \cos \beta + \cos \alpha \sin \alpha$	β is reduced to	
(1) 1 15. $a^x = 1$ iff x is	(2) 2	(3) 3	(4) 4
(1) 1 16. Solve of odd function $\sqrt{6}$	(2) ∞	(3) 0	(4) 4
		Padasalah	- Philipadasalal
(1) 2 17. Solve of odd function is	(2) -1	(3) 1	(4) -5
(1) Odd 18. $f(x) = x x $ is	(2) even	(3) both odd and even	(4) none of these
10. $f(x) = x_1x_1$ is (1) Increasing	(2) decreasing	(3) strictly increasing	(4) strictly decreasing

Kindly Send me your district Questions & Keys to email id - Padasalai.net@gmail.com life is like riding bicycle to keep your balance, you must keep moving

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19. The *n* different objects arranged in arrow is nP_n is

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(1)
$$n$$

20. If $f(x) =\begin{cases} x+2 & -1 < x < 3 \\ 5 & x = 3 \\ 8-x & x > 3 \end{cases}$, then at $x = 3$, $f'(x)$ is

(3)0 (4) does not exists

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SECTION-B

(3) n^{r}

Note:

(i) Answer any **SEVEN** questions.

7 X 2 = 14

- (ii) Question number 30 is compulsory.
- 21. For a sports meet, a winners' stand comprising of three wooden blocks is in the form as shown in figure. There are six different colours available to choose from and three of the wooden blocks is to be painted such that no two of them has the same colour. Find the probability that the smallest block is to be painted in red, where red is one of the six colours.
- 22. If $f(x) = |x + 100| + x^2$, test whether f'(-100) exists.
- 23. Compute: $\lim_{h\to 0} \frac{\sqrt{x+h}-\sqrt{x}}{x}$, x>0.
- 24. Find the projection of \overrightarrow{AB} on \overrightarrow{CD} where A,B,C,D are the points (4,-3,0), (7,-5,-1), (-2,1,3), (0,2,5).
- 25. Give your own examples of matrices satisfying the conditions in each case: A and B such that $AB \neq BA$.
- 26. Evaluate: $\int e^x \left(\frac{1}{x} \frac{1}{x^2}\right) dx$.
- 27. Solve $\tan 2x = -\cot \left(x + \frac{\pi}{3}\right)$.
- 28. Prove that $nC_r = \frac{n}{r} \times (n-1)C_{(r-1)}$.
- 29. In \triangle ABC to show that $\cos \frac{A}{2} = \sqrt{\frac{s(s-a)}{bc}}$.
- 30. Define Condition of perpendicular lines.

SECTION-C

Note:

(i) Answer any **SEVEN** questions.

7 X 3 = 21

- (ii) Question number **40** is compulsory.
- 31. If $\log_2 x + \log_4 x + \log_{16} x = \frac{7}{2}$, find the value of x.
- 32. A simple cipher takes a number and codes it, using the function f(x) = 3x-4. Find the inverse of this function, determine whether the inverse is also a function and verify the symmetrical property about the line y = x (by drawing the lines).
- 33. Prove: $nC_r + nC_{r-1} = (n+1)C_r$.
- 34. Write the first 4 terms of the logarithmic series $\log(\frac{1+3x}{1-3x})$.
- 35. Find the locus of a point P moves such that its distances from two fixed points A(1,0) and B (5,0), are always equal.
- 36. Evaluate: $\int \sqrt{25x^2 9} dx$
- 37. In a circle of diameter 40 cm, a chord is of length 20 cm. Find the length of the minor arc of the chord.
- 38. Define Laplace Expansion.
- 39. Define Polygon Addition.
- 40. Calculate $\lim_{x\to 4} \frac{16-x^2}{4+x}$.

SECTION-D

Note:

Answer all the questions.

7X5 = 35

- 41. (A) Let $A = \{0, 1, 2, 3\}$. Construct relations on A of the following types:
 - (i) not reflexive, not symmetric, not transitive.
 - (ii) not reflexive, not symmetric, transitive.
 - (iii) not reflexive, symmetric, not transitive.
 - (iv) not reflexive, symmetric, transitive.
 - (v) reflexive, not symmetric, not transitive.

(OR)

(B) Resolve into Partial fractions: $\frac{2x}{(x^2+1)(x-1)}$

- 42. (A) Prove that Geometrical meaning of a Scalar product of projection of one vector on anotherweal asalai. Net (OR)
 - (B) Express the matrix $A = \begin{bmatrix} 1 & 3 & 5 \\ -6 & 8 & 3 \\ -4 & 6 & 5 \end{bmatrix}$ as the sum of a symmetric and a skew-symmetric matrix.
- 43. (A) A consulting firm rents car from three agencies such that 50% from agency L, 30% from agency M and 20% from agency N. If 90% of the cars from L, 70% of cars from M and 60% of the cars from N are in good conditions (i) what is the probability that the firm will get a car in good condition? (ii) if a car is in good condition, what is probability that it has come from agency M?

(**OR**)
(B) Prove that
$$\sin\left(\frac{A}{2}\right) + \sin\left(\frac{B}{2}\right) + \sin\left(\frac{C}{2}\right) = 1 + 4\sin\left(\frac{\pi - A}{4}\right)\sin\left(\frac{\pi - B}{4}\right)\sin\left(\frac{\pi - C}{4}\right)$$
, if $A + B + C = \pi$.

44. (A) Prove that $\int \frac{dx}{\sqrt{x^2 + a^2}} = \log |x + \sqrt{x^2 + a^2}| + c$.

(OR)

- (B) Using the Mathematical induction, show that for any natural number $n \ge 2$, $\left(1 \frac{1}{2^2}\right)\left(1 \frac{1}{3^2}\right)\left(1 \frac{1}{4^2}\right)...\left(1 \frac{1}{n^2}\right) = \frac{n+1}{2n}$
- 45. (A) (i) Define jump continuous.
 (ii) Compute lim x^{n-a}/x-a = naⁿ⁻¹.
 (B) The 2nd, 3rd and 4th terms in the binomial expansion of (x + a)ⁿ are 240, 720 and 1080 for a suitable value of x. Find x, a
- 46. (A) State and prove Heron's formula.

(OR)

- (B) Find the distance (i) between two points (5, 4) and (2, 0) (ii) from a point (1, 2) to the line 5x + 12y 3 = 0(iii) between two parallel lines 3x + 4y = 12 and 6x + 8y + 1 = 0.
- 47. (A) State and prove Binomial Theorem for Positive integral index.

(OR)

(B) Evaluate: $(3x + 4)\sqrt{3x + 4}$.

ONLY MATHS TUITION 2023-2024 ADMISSION GOING ON.... STANDARD 10 & 12

Maximum Marks: 90

SUN TUITION CENTER - 9629216361

HIGHER SECONDARY FIRST YEAR

Time Allowed: 3 Hours

Instructions: (a) Check the question paper for fairness of printing. If there is any lack of fairness, inform the Hall Supervisor immediately. (b) Use Blue or Black ink to write and underline and pencil to draw diagrams.			
N T. (2)		ECTION-A	20.114
(ii)	All questions are compulsory Choose the correct or most su code and the corresponding ar	itable answer from the giv	20 X 1 = 20 yen four alternatives. Write the option
1. If $y = \cos(\sin x^2)$, then	$\frac{dy}{dx}$ at $x = \sqrt{\frac{\pi}{2}}$ is		
(1)-2	(2)2	$(3)-2\sqrt{\frac{\pi}{2}}$	(4)0
2. The value of $\lim_{x\to 0} \frac{\sin x}{\sqrt{x^2}}$	is		
(1) 1	(2) - 1	(3) 0	(4) limit does not exist
3. If the point (8 –5) lies	(2) - 1 on the locus $\frac{x^2}{16} - \frac{y^2}{25} = k$, then	the value of k is	· · · · · · · · · · · · · · · · · · ·
(1) 0	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	(3) 2	(4) 3
4 The sequence 1 1	1 form on	(3) 2	(4) 3
4. The sequence $\frac{1}{\sqrt{3}}$, $\frac{1}{\sqrt{3}+\sqrt{2}}$	$\sqrt{3+2\sqrt{2}}$,IoIIII all	(2) IID	(4) A CD
$(1) AP$ $\int_{-\infty}^{\infty} dx dx = \int_{-\infty}^{\infty} dx dx + \int_{-\infty}^{\infty} dx dx$	(2) GP	(3) HP	(4) AGP.
5. If $a^2-aC_2=a^2-a$ C ₄ the (1) 2	(2) 3	(3) 4	(4) 5
	3 2	, ,	lines intersecting another set of three
parallel lines.	ciograms that can be formed i	from a set of four paramer	mes intersecting another set of three
(1) 6	(2) 9	(3) 12	(4) 18
	1 < 24 and $5x + 1 > -24$ is	ζ-/	() = 1
(1)(4,5)		(3)(-5,5)	(4) (-5, 4)
8. There is no bijection f		WWW.Paua	WWW.Padaoo
$(1) m \neq n$	(2) m = n	$(3) m \ge n$	$(4) m \le n$
9. A function $f: R \to R$ i	s said to be an odd function		
(1) f(-x) = -f	f(x) (2) $f(-x) = f(x)of ax^2 + bx + c = 0, then$	(3) both	(4) none of these
10. If α and β are roots of	of $ax^2 + bx + c = 0$, then		
$(1) \alpha + \beta = -\frac{b}{a}$	(2) $\alpha\beta = \frac{c}{a}$	(3) both	(4) none of these
11. $\sin 0 = 0$ is	u		
(1) $\theta = n\pi, n \in \mathbb{R}$	Z	(2) $\theta = (2n+1)\frac{\pi}{2}$, n	$\in Z$
$(3) \theta = (-1)^n nn$	π . $n \in Z$	(4) none of these	
. ,	of the form $a \cos \theta + b \sin \theta$		
	$(2) \theta = 2n\pi \pm \emptyset$		$(4) \theta = 2n\pi + \alpha$
	mutation and Combinations		
$(1) nP_r = nC_r \times$	$r! \qquad (2) nC_r = \frac{nP_r}{r!}$	(3) $r! = \frac{nP_r}{s}$	(4) All
	• •	1007	e beginning and from the end are equal
(1) n!	(2) r!	$(3) nC_r = nC_{n-r}$	$(4) nC_r = nC_{n+r}$
	e image of the point (x_1, y_1)		
$(1) \frac{x - x_1}{x} = \frac{y - y_1}{x}$	$= -\frac{(ax_1+by_1+c)}{a}$	(2) $\frac{x-x_1}{x-x_1} = \frac{y-y_1}{x-x_1} = -\frac{2x}{x-x_1}$	(ax_1+by_1+c)
$(1)\frac{x - x_1}{a} = \frac{y - y_1}{b} = 0$ $(3)\frac{y - y_1}{b} = -\frac{(ax)^2}{a}$	a^2+b^2 a^2+bv_1+c	$(2)\frac{x-x_1}{a} = \frac{y-y_1}{b} = -\frac{2a}{b}$ $(4)\frac{x-x_1}{a} = -\frac{(ax_1+by_1+b^2)}{a^2+b^2}$	a^2+b^2
			Padasatati
	row or a column are zero, there		AMAAAA
(1) 1	(2) 0	$\begin{array}{c} (3) \ 2 \\ 1 \ \vdots \ 1 \ \end{array}$	(4) 3
1/. If each element of a r	matrix A is a polynomial in x	and if $ A $ vanishes for $x = \frac{1}{2}$	
(1) (x + a)	(2) $(x+a)^2$ on cosine of a vector ,iff l^2 +	(3)(x-a)	$(4) (x-a)^2$
	V		¬(A) 3
Windly Send 1	ne your district Questions	s & Keys to email id -]	Padasalai.net@gmail.com

mathematics is the most by f fee a du beautiful and most powerful creation or algorithm.

it is unwavering and working out perfectly www.Padasalai.Net 19. $\int \frac{f'(x)}{f(x)} dx =$

(3) $\log |f'(x)| + c$ (4) f'(x) + c

 $(1) \log|f(x)| + c \qquad (2) f(x) + c$ $20. P(A/B) = \frac{P(A \cap B)}{P(B)}, \text{ provided } P(B) \neq 0 \text{ then}$

(1) Condition

(2) Multiplication theorem

(3) Independent event

(4) Total probability event

SECTION-B

Note:

Answer any **SEVEN** questions. (i)

7 X 2 = 14

- (ii) Question number 30 is compulsory.
- 21. The number of relations from a set containing m elements to a set containing n elements is 2^{mn}. In particular the number of relations on a set containing n elements is 2^{n^2} .
- 22. Factorize: $x^4 + 1$
- 23. Find the value of $\sin 34^{\circ} + \cos 64^{\circ} \cos 4^{\circ}$.
- 24. Find the coefficient of x^{15} in $\left(x^2 + \frac{1}{r^3}\right)^{10}$.
- 25. If P(r,c) is mid point of a line segment between the axes, then show that $\frac{x}{r} + \frac{y}{c} = 2$.
- 26. 4 boys and 4 girls form a line with the boys and girls alternating. Find the number of ways of making this line.
- 27. Solve: $\lim_{x\to 1} \frac{x^{m}-1}{x^{n}-1}$, m and n are integer.
- 28. State Baye's Theorem.
- 29. Write Bernoulli's formula and Integration by parts method.
- 30. Prove that $\frac{d}{dx}(\cot^{-1}x) = -\frac{1}{1+x^2}$.

SECTION-C

Note:

Answer any **SEVEN** questions.

7 X 3 = 21

- (ii) Question number 40 is compulsory.
- 31. If f: $[-2, 2] \rightarrow B$ is given by $f(x)=2x^3$, then find B so that f is onto.
- 32. The equations $x^2 6x + a = 0$ and $x^2 bx + 6 = 0$ have one root in common. The other root of the first and the second equations are integers in the ratio 4:3. Find the common root.
- 33. The Government plans to have a circular zoological park of diameter 8 km. A separate area in the form of a segment formed by a chord of length 4 km is to be allotted exclusively for a veterinary hospital in the park. Find the area of the segment to be allotted for the veterinary hospital.
- 34. How many three-digit numbers are there with 3 in the unit place? (i) with repetition (ii) without repetition.
- 36. Expand $\frac{1}{(1+3x)^2}$ in the powers of x. Find a condition on x for which the expansion is valid.
- 37. If A is a square matrix such that $A^2 = A$, find the value of $7A (I + A)^3$.
- 38. State and prove function of a Function Rule.
- 39. If A and B are independent, Then \bar{A} and B are also independent.
- 40. Test the differentiability of the function f(x) = |x 2| at x = 2.

SECTION-D

Note:

Answer **all** the questions.

7X5 = 35

- 41. (A) (i) Prove that $((A \cup B' \cup C) \cap (A \cap B' \cap C')) \cup ((A \cup B \cup C') \cap (B' \cap C')) = B' \cap C'$.
 - (ii) If $\mathcal{P}(A)$ denotes the power set of A, then find $n(\mathcal{P}(\mathcal{P}(\emptyset)))$.
 - (iii) Check the relation $R = \{(1, 1), (2, 2), (3, 3), ..., (n, n)\}$ defined on the set $S = \{1, 2, 3, ..., n\}$ for the three basic relations.

- (B) Show that $\begin{vmatrix} b+c & a & a^2 \\ c+a & b & b^2 \\ a+b & c & c^2 \end{vmatrix} = (a+b+c)(a-b)(b-c)(c-a).$
- 42. (A) Evaluate: $\int (x-3)\sqrt{x+2} \ dx$.

(OR)

- (B) Integration $x \log x + x$.
- 43. (A) Prove that the points whose position vectors $2\hat{i} + 4\hat{j} + 3\hat{k}$, $4\hat{i} + \hat{j} + 9\hat{k}$ and $10\hat{i} \hat{j} + 6\hat{k}$ form a right angled triangle.
 - (B) Draw the graph (i) $f(x) = x^2$
- (ii) $f(x) = \frac{1}{2} x^2$

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44. (A) Two cards are drawn from a pack of 52 cards in succession. Find the probability that both are Jakkwwell and a card is (i) replaced (ii) not replaced.

(OR)

- (B) If the letter of the word "LUCKY" are permuted in all possible ways and the strings thus formed are arranged in the dictionary order. Find the rank of the word.
- 45. (A) Evaluate: $\lim_{x \to \infty} \left(\frac{x^2 2x + 1}{x^2 4x + 2} \right)^{-1}$

(OR)

- (B) Find the angle between Pair of straight lines.
- 46. (A) If $A + B + C = \pi$, prove that $\cos^2 A + \cos^2 B + \cos^2 C = 1 2\cos A\cos B\cos C$.

(OR)

- (B) If $y = tan^{-1} \left(\frac{1+x}{1-x} \right)$, find y'
- 47. (A) Using the Mathematical induction, show that for any integer $n \ge 2$, $3n^2 > (n + 1)^2$ (OR)
 - (B) State and prove Napier's formula.

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fa	heck the question paper f irness, inform the Hall S Jse Blue or Black ink to	CONDARY FIRST YEA for fairness of printing. If upervisor immediately. write and underline and p	f there is any lack of
(ii) Choose code an	nd the corresponding ans	wer.	20 X 1 = 20 en four alternatives. Write the option
1. Find a so that the sum at (1) 1	nd product of the roots (2) 2	s of the equation $2x^2 + (3) 0$	-(a-3)x + 3a - 5=0 are equal i (4) 4
2. In a \triangle ABC, if (i) $\sin \frac{A}{2} \sin$	$\frac{B}{a}\sin\frac{c}{a} > 0$ (i	$(i) \sin A sin B sin C > 0$,then
(1) Both (i) and (ii) and	<i>L L</i>	(2) Only (i) is true	
(3) Only (ii) is true		(4) Neither (i) nor (ii)	
	$(2) x^2 - 3y^2 = 0$	$(3) 3x^2 + y^2 = 0$	$(4) 3x^2 - y^2 = 0$
4. The number of ways in wh	ich the following prize	e be given to a class of	30 boys first and second in
mathematics, first and sec $(1) 30^4 \times 29^2$		chemistry and first in I (3) $30^2 \times 29^4$	English is (4) 30×29 ⁵ .
5. $\int \frac{e^x(1+x)}{\cos^2(xe^x)} dx$ is		6	,
		$(3) \tan(xe^x) + c$	$(4)\cos(xe^x)+c$
6. If $f(x) = x^2 - 3x$, then th (1) both positive integ (3) both irrational		= f `(x) are (2 both negative integ (4)one rational and an	
7. Let f be a continuous fundament	ction on [2.5] If f tak		
f(4.5) is equal to	2001 on [2,5]. If f tak	es only rational values	for all x and $(3) = 12$, then
$(1)\frac{f(3)+f(4.5)}{7.5}$	(2) 12	(3) 17.5	$(4)\frac{f(4.5)+f(3)}{1.5}$
8. The number of reflexive r	elations on a set contai	ning n elements is	letNet
(1)2 ^{n²} 9. Cos(60°-A)CosACos(60°-	$(2)2^{n^2-n}$ $+A) =$	$(3)2^{\frac{n^2+n}{2}}$	$(4)2^n$
$(1)^{\frac{1}{4}} \cos 3A$	(2) Tan 3A	$(3)^{\frac{1}{4}} \sin 3A$	(4)Cot3A
10. The value of $Sin(22\frac{1}{2}^{\circ})$ is	KN	www.Padasalal	
$(1)^{\frac{\sqrt{2-\sqrt{2}}}{2}}$	$(2)\frac{\sqrt{\sqrt{2}+\sqrt{2}}}{2}$	$(3)\frac{\sqrt{2+\sqrt{2}}}{2}$	$(4)\frac{\sqrt{\sqrt{2}-2}}{2}$
11. If $(n-1)P_3:nP_4=1:10$, then		(2)2	(4)0
(1)10 12. The number of ways of a	(2)1 rranging the letters of t	(3)3 the word BANANA is	(4)8
(1)48	(2)50	(3)60	(4)62
13. The $(r+1)^{th}$ term in the ex $(1)T_{r+1} = nC_r a^{n-r} b^r$, 1		N is $(2)nC_r = nC_{n-r}$	
(3) $T_{r+1} = nC_r a^n b^{n-r}$,		(4) $nC_r + nC_{n-r} = (n+1)$)C _r
14. $1 + \frac{x}{1!} + \frac{x^2}{2!} + \cdots$ is (1) e^{-x}	(2) e ^x	(3)e	$(4)e^{-1}$
15. $(1+x)^{-1} = 1-x+x^2-x^3+$ is			
	(2) x > 1	$(3) x \le 1$	$(4) x \ge 1$
16. The equations $a_1x + b_1y$		$+ c_2 = 0$, such that both	$c_1 > 0$ and $c_2 > 0$, and if
$a_1a_2 + b_1b_2 < 0$, then the		(2) :: -1.4	(4)
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17. If any two matrices A and B of suitable orders then

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 $(1)(A^T)^T = A$

 $(2) (kA^T) = kA^T$

(3) $(AB)^T = B^T A^T$

(4)All the three

(4)1

18. If two rows of a square matrix are identical then its determinant is (2)3

(1)2

19. If A and B are two square matrices of same order n then

(1) |AB| = |A||B|

(2) If |AB| = 0 then either |A| = 0 or |B| = 0

(3) $|A^n| = |A|^n$

(4)All the three

20. If A and B are any two events then $P(A \cap \overline{B})$ is

 $(1)P(A)-P(A\cap B)$

(2)P(A)

(3)P(B)

 $(4)P(B)-P(A\cap B)$

SECTION-B

Note:

Answer any **SEVEN** questions. (i)

7X2 = 14

Question number 30 is compulsory.

21. Simplify: $\sec \theta \begin{bmatrix} \sec \theta & \tan \theta \\ \tan \theta & \sec \theta \end{bmatrix} - \tan \theta \begin{bmatrix} \tan \theta & \sec \theta \\ \sec \theta & \tan \theta \end{bmatrix}$ 22. Show that $\vec{a}X(\vec{b} + \vec{c}) + \vec{b}X(\vec{c} + \vec{a}) + \vec{c}X(\vec{a} + \vec{b}) = \vec{0}$

23. Check if $\lim_{x \to -5} f(x)$ exists or not, where $f(x) = \begin{cases} \frac{|x+5|}{x+5} & \text{for } x \neq -5 \\ 0 & \text{for } x = -5 \end{cases}$

24. Differentiate $y = (x^3 - 1)^{100}$

25. Integrate $4\cos(5-2x) + 9e^{3x-6} + \frac{24}{6-4x}$

- 26. A man has 2 ten rupee notes, 4 hundred rupee notes and 6 five hundred rupee notes in his pocket. If 2 notes are taken at random, what are the odds in favour of both notes being of hundred rupee denomination and also its probability?
- 27. Check the relation $R = \{(1, 1), (2, 2), (3, 3), ..., (n, n)\}$ defined on the set $S = \{1, 2, 3, ..., n\}$ for the three basic relations.
- 28. Solve $ax^2 + bx + c = 0$ by using completing the square.
- 29. Define radian measure.
- 30. Define the Inclusion-Exclusion principle.

SECTION-C

Note:

Answer any **SEVEN** questions.

7X3 = 21

(ii) Question number 40 is compulsory.

31. Prove that $\lim_{x \to 0} \frac{\sin x}{x} = 1$

32. Find the derivatives from the left and from the right at x = 1 (if they exist) for the function f(x) = |x - 1|. Is it differentiable at x=1 or not?

33. Integrate $\frac{8^{1+x}+4^{1-x}}{2^x}$

- 34. If A and B are independent then prove that \bar{A} and \bar{B} are independent.
- 35. Check whether the function f(x) = x|x| defined on [-2, 2] is one-to-one or not. If it is one-to-one, find a suitable co-domain so that the function becomes a bijection.

36. Prove that $\frac{\cot(180^\circ + \theta)\sin(90^\circ - \theta)\cos(-\theta)}{\sin(270^\circ + \theta)\tan(-\theta)\csc(360^\circ + \theta)} = \cos^2\theta \cot\theta.$

- 37. Show that the points (4, -3, 1), (2, -4, 5) and (1, -1, 0) form a right angled triangle.
- 38. Draw the graph of the Logarithmic and exponential functions.

39. Prove that $tan3A = \frac{3tanA - tan^3A}{1 - 3tan^2A}$ 40. Show that $nC_r + nC_{r-1} = (n+1) C_r$

The Mathematics has reached highest steps on the ladder of each every human thought Net

SECTION-D

Note:

Answer all the questions.

7X5 = 35

- 41. A) Determine if f defined by $f(x) = \begin{cases} x^2 \sin \frac{1}{x}, & if \ x \neq 0 \\ 0, & if \ x = 0 \end{cases}$ is continuous is \mathbb{R}
 - B) Draw the graph of $y = 2 \sin(x 1) + 3$
- 42. A) Find the derivative with $tan^{-1}\left(\frac{\sin x}{1+\cos x}\right)$ with respect to $tan^{-1}\left(\frac{\cos x}{1+\sin x}\right)$
 - B) Prove that $cos(\alpha + \beta) = cos\alpha cos\beta sin\alpha sin\beta$
- 43. A) For the graph $y = x^2$, draw $(i)y = x^2 + 1$, $(ii)y = (x + 1)^2$
 - B) Solve $cos\theta = cos\alpha$
- 44. A) State and prove 'Law of Cosines'.

(OR)

- B) Find the number of strings of 5 letters that can be formed with the letters of the word "MATHEMATICS".
- 45. A) A main road in a City has 4 crossroads with traffic lights. Each traffic light opens or closes the traffic with the probability of 0.4 and 0.6 respectively. Determine the probability of
 - (i) a car crossing the first crossroad without stopping
 - (ii) a car crossing first two crossroads without stopping
 - (iii) a car crossing all the crossroads, stopping at third cross.
 - (iv) a car crossing all the crossroads, stopping at exactly one cross.

(OR)

- B) Write any five forms equation of straight line.
- 46. A) At a particular moment, a student needs to stop his speedy bike to avoid a collision with the barrier ahead at a distance 40 metres away from him. Immediately he slows (retardation) the bike under braking at a rate of 2 8 metre/second. If the bike is moving at a speed of 24m/s, when the brakes are applied, would it stop before collision?

(OR)

- B) Discuss the relation between a Determinant and its cofactor determinant.
- 47. A) Show that the points whose position vectors $4\hat{i} + 5\hat{j} + \hat{k}$, $-\hat{j} \hat{k}$, $3\hat{i} + 9\hat{j} + 4\hat{k}$ and $-4\hat{i} + 4\hat{j} + 4\hat{k}$ are coplanar.

(OR)

B) If A_i, B_i, C_i are the cofactors of a_i, b_i, c_i respectively,
$$i = 1$$
 to 3 in $|A| = \begin{bmatrix} a_1 & b_1 & c_1 \\ a_2 & b_2 & c_2 \\ a_3 & b_3 & c_3 \end{bmatrix}$, show that

$$\begin{vmatrix} A_1 & B_1 & C_1 \\ A_2 & B_2 & C_2 \\ A_2 & B_2 & C_2 \end{vmatrix} = |A|^2$$

$\begin{vmatrix} A_1 & B_1 & C_1 \\ A_2 & B_2 & C_2 \\ A_3 & B_3 & C_3 \end{vmatrix} = |A|^2$ **SUN TUITION CENTER**

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