

## 1.SPECIFIC RESISTANCE OF THE MATERIAL OF THE COIL USING METRE BRIDGE

**AIM** To determine the specific resistance of the material of the given coil using metre bridge

**APPARATUS REQUIRED** Meter bridge, galvanometer, key, resistance box, connecting wires, Lechlanche cell, jockey and high resistance.

### FORMULA

$$\rho = \frac{X\pi r^2}{L}\Omega m$$

where,  $\rho \rightarrow$  Specific resistance of the given coil ( $\Omega m$ )

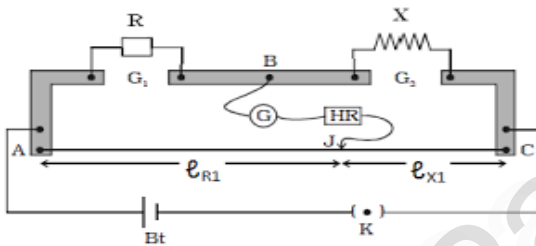
$X \rightarrow$  Resistance of the given coil ( $\Omega$ )

$R \rightarrow$  Known resistance ( $\Omega$ )

$L \rightarrow$  Length of the coil (m)

$r \rightarrow$  Radius of the wire (m)

### CIRCUIT DIAGRAM



### Procedure

- The arrangement of the apparatus should be as shown in the circuit diagram.
- All the other connections should be as shown in the circuit diagram.
- With a suitable resistance included in the resistance box, the circuit is switched on
- By moving the jockey over the wire, the point on the wire at which the galvanometer shows null deflection i.e., balancing point  $J$  is found.
- The balancing length  $AJ = l$  is noted.
- The unknown resistance  $X_1$  is found using the formula  $X_1 = \frac{R(100-l)}{l}$
- The experiment is repeated for different values of  $R$ .
- The same procedure is repeated after interchanging  $R$  and  $X$ .
- The unknown resistance  $X_2$  is found using the formula  $X_2 = \frac{Rl}{(100-l)}$
- The experiment is repeated for same values of  $R$  as before.
- The resistance of the given coil is found from the mean value of  $X_1$  and  $X_2$ .

- The radius of the wire  $r$  is found using screw gauge
- The length of the coil  $L$  is measured using meter scale.
- From the values of  $X$ ,  $r$  and  $L$ , the specific resistance of the material of the wire is determined

**OBSERVATION**

**length of the coil,  $L = 100\text{cm} = 1\text{m}$**

**Table 1 To find the resistance of the given coil**

S.NO	Resistance(R ( $\Omega$ ))	Before interchanging		After interchanging		Mean $X = \frac{X_1 + X_2}{2}$ ( $\Omega$ )
		Balancing length $l$ (cm)	$X_1 = \frac{R(100-l)}{l}$ ( $\Omega$ )	Balancing length $l$ (cm)	$X_2 = \frac{Rl}{(100-l)}$ ( $\Omega$ )	
1	2	25.9	5.772	74	5.692	5.732
2	3	34.1	5.798	65.8	5.772	5.785
3	4	40.9	5.780	59.1	5.779	5.736
<b>Mean resistance(X)</b>						<b>5.751</b>

**Table 2 To find the radius of the wire**

Zero error = Nil

Zero correction = Nil

L.C=0.01mm

S.NO	PSR( mm)	HSC(div)	Total reading = $PSR + (HSC \times LC)mm$	Corrected reading= $TR \pm ZCmm$
1	0	58	0.58	0.58
2	0	58	0.58	0.58
3	0	59	0.59	0.59
4	0	58	0.58	0.58
5	0	59	0.59	0.59
Mean diameter (d)				0.584
Radius of the wire ( $r$ )= $d/2$				$r = 0.584/2 = 0.292\text{mm}$

**Radius of the wire  $r = 0.292 \times 10^{-3}\text{m}$**

**CALCULATION**

$X_1 = \frac{R(100-l)}{l}$ $X_1 = \frac{2(100-25.9)}{25.9} = \frac{2 \times 74.1}{25.9} = \frac{148.2}{25.9}$ $X_1 = 5.772$	$X_2 = \frac{Rl}{(100-l)}$ $X_2 = \frac{2 \times 74}{(100-74)} = \frac{148}{26} = 5.692$ $X_2 = 5.692$
$X_1 = \frac{R(100-l)}{l}$ $X_1 = \frac{3(100-34.1)}{34.1} = \frac{3 \times 65.9}{34.1} = \frac{197.7}{34.1}$ $X_1 = 5.798$	$X_2 = \frac{Rl}{(100-l)}$ $X_2 = \frac{3 \times 65.8}{(100-65.8)} = \frac{197.4}{34.2} = 5.772$ $X_2 = 5.772$
$X_1 = \frac{R(100-l)}{l}$ $X_1 = \frac{4(100-40.9)}{40.9} = \frac{4 \times 59.1}{40.9} = \frac{236.4}{40.9}$ $X_1 = 5.780$	$X_2 = \frac{Rl}{(100-l)}$ $X_2 = \frac{4 \times 59.1}{(100-59.1)} = \frac{236.4}{59.1} = 5.692$ $X_2 = 5.692$
$\text{Mean } X = \frac{X_1 + X_2}{2} = \frac{5.772 + 5.692}{2} = \frac{11.464}{2} = 5.732$	$X = \frac{X_1 + X_2}{2} = \frac{5.798 + 5.772}{2} = \frac{11.570}{2} = 5.785$
$X = \frac{X_1 + X_2}{2} = \frac{5.780 + 5.692}{2} = \frac{11.472}{2} = 5.736$	<p>Mean resistance (X)</p> $X = \frac{5.732 + 5.785 + 5.736}{3} = \frac{17.253}{3} = 5.751$

**Specific resistance of the given wire  $\rho = \frac{X\pi r^2}{L}$**

Resistance of the wire (X) = 5.751Ω

Radius of the wire (r) =  $0.292 \times 10^{-3} \text{ m}$

Length of the wire (L) = 1m

**Specific resistance of the given wire  $\rho = \frac{5.751 \times 3.14 \times 0.292 \times 0.292 \times 10^{-6}}{1}$**

$$\rho = \frac{5.751 \times 3.14 \times 0.292 \times 0.292 \times 10^{-6}}{1}$$

$$\rho = 1.550 \times 10^{-6} \Omega \text{ m}$$

**RESULT: The Specific resistance of the given wire  $\rho = 1.550 \times 10^{-6} \Omega \text{ m}$**

## 2.HORIZONTAL COMPONENT OF EARTH'S MAGNETIC FIELD USING TANGENT GALVANOMETER

**AIM :** To determine the horizontal component of the Earth's magnetic field using tangent galvanometer

**APPARATUS REQUIRED** Tangent galvanometer (TG), commutator, battery, rheostat, ammeter, key and connecting wires.

### FORMULA

$$B_H = \frac{\mu_0 n k}{2r} (\text{Tesla})$$

$$k = \frac{I}{\tan \theta} (A)$$

where,  $B_H \rightarrow$  Horizontal component of the Earth's magnetic field (T)

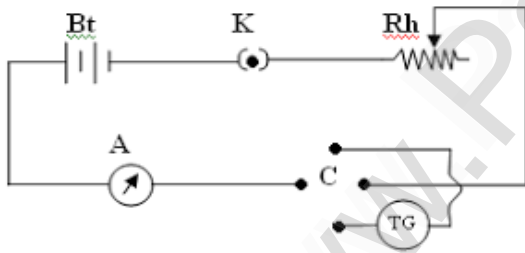
$\mu_0 \rightarrow$  Permeability of free space ( $4\pi \times 10^{-7} \text{ H m}^{-1}$ )

$n \rightarrow$  Number of turns of TG in the circuit (No unit)

$k \rightarrow$  Reduction factor of TG (A)

$r \rightarrow$  Radius of the coil (m)

### CIRCUIT DIAGRAM



### PROCEDURE

- The preliminary adjustments are made
- The connections are made as shown in circuit diagram
- The number of turns  $n$  is selected and the circuit is switched on.
- The range of current through TG is chosen in such a way that the deflection of the aluminium pointer lies between  $30^\circ$ - $60^\circ$
- A suitable current is allowed to pass through the circuit, the deflections  $\theta_1$  and  $\theta_2$  are noted from two ends of the aluminium pointer.

- Now the direction of current is reversed using commutator C, the deflections  $\theta_3$  and  $\theta_4$  in the opposite directions are noted.
- The mean value  $\theta$  of  $\theta_1$ ,  $\theta_2$ ,  $\theta_3$  and  $\theta_4$  is calculated and tabulated.
- The reduction factor  $k$  is calculated for each case and it is found that  $k$  is a constant.
- The experiment is repeated for various values of current and the readings are noted and tabulated.
- The radius of the circular coil is found by measuring the circumference of the coil using a thread around the coil.
- From the values of  $r$ ,  $n$  and  $k$ , the horizontal component of Earth's magnetic field is determined

### OBSERVATION

Number of turns of the coil  $n = 2$

Circumference of the coil ( $2\pi r$ ) = 50cm =  $50 \times 10^{-2}$

$$\text{Radius of the coil } r = \frac{50 \times 10^{-2}}{2\pi} = 7.961 \times 10^{-2} \text{ m}$$

S.NO	Current(I) (A)	Deflection in TG (IN Degree)				Mean $\theta$ (in degree)	$k = \frac{I}{\tan \theta}$ (A)
		$\theta_1$	$\theta_2$	$\theta_3$	$\theta_4$		
1	1.4	31°	31°	31°	31°	31°	2.329
2	1.6	36°	36°	36°	36°	36°	2.202
3	1.8	40°	40°	40°	40°	40°	2.145
4	2	44°	44°	44°	44°	44°	2.071
Mean (k)							2.187

### Calculation

$$i) 1.k = \frac{I}{\tan \theta} (A)$$

$$1.k = \frac{1.4}{\tan 31^\circ} = \frac{1.4}{0.6009} = 2.329$$

$$2.k = \frac{1.6}{\tan 36^\circ} = \frac{1.6}{0.7263} = 2.202$$

$$3.k = \frac{1.8}{\tan 40^\circ} = \frac{1.8}{0.8391} = 2.145$$

$$4.k = \frac{2}{\tan 44^\circ} = \frac{2}{0.9657} = 2.071$$

$$\text{Mean } (k) = \frac{2.329 + 2.202 + 2.145 + 2.071}{4} = 2.187$$

**ii)To find**

$B_H$  → Horizontal component of the Earth's magnetic field

$$B_H = \frac{\mu_0 n k}{2r} \text{ (Tesla)}$$

**Here**

$$\mu_0 = 4 \times \pi \times 10^{-7} \text{ H/m}$$

n – number of turns of TG in the circuit = 2

k – reduction factor of TG = 2.187 A

r – radius of the coil =  $7.961 \times 10^{-2}$  m

$$B_H = \frac{4 \times 3.14 \times 10^{-7} \times 2 \times 2.187}{2 \times 7.961 \times 10^{-2}}$$

$$B_H = \frac{4 \times 3.14 \times 10^{-5} \times 2.187}{7.961}$$

$$B_H = \frac{27.468 \times 10^{-5}}{7.961}$$

$$B_H = 3.405 \times 10^{-5} \text{ Tesla}$$

**RESULT**

**The horizontal component of Earth's magnetic field is found to be  $B_H =$**

$$\mathbf{3.405 \times 10^{-5} \text{ Tesla}}$$

### 3.COMPARISON OF EMF OF TWO CELLS USING POTENTIOMETER

**AIM** To compare the emf of the given two cells using a potentiometer

**APPARATUS REQUIRED** Battery eliminator, key, rheostat, DPDT switch, Lechlanche and Daniel cells, galvanometer, high resistance box, pencil jockey and connecting wires

#### FORMULA

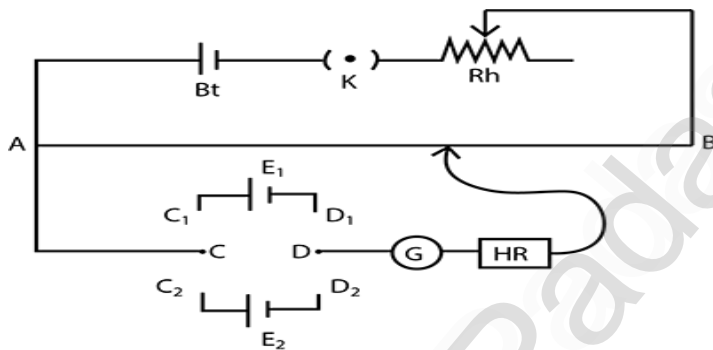
$$\frac{\epsilon_1}{\epsilon_2} = \frac{l_1}{l_2} \text{ (no unit)}$$

where,

$\epsilon_1$  and  $\epsilon_2$  are the emf of Lechlanche and Daniel cells respectively (V)

$l_1$  and  $l_2$  are the balancing lengths for Lechlanche and Daniel cells respectively (cm)

#### CIRCUIT DIAGRAM



#### PROCEDURE

- ❖ The apparatus is arranged as shown in the circuit diagram.
- ❖ The primary circuit consisting of battery, key and rheostat is connected to the potentiometer in series.
- ❖ The positive poles of the cells are connected to terminals C1 & C2 and the negative poles to terminals D1 & D2 of the DPDT switch. The potentiometer is connected to the common terminals C and D as shown in the circuit.
- ❖ Using the two-way key, Lechlanche cell is included in the circuit. By sliding the jockey on the potentiometer wire, the balancing point is found and the corresponding balancing length is measured.
- ❖ Similarly, the balancing length is found by including Daniel cell in the circuit.
- ❖ The experiment is repeated for different sets of balancing lengths by adjusting the rheostat.
- ❖ From different values of  $l_1$  and  $l_2$ , the ratio of emf of the two cells is calculated.

**OBSERVATION**

Table: To find the ratio of emf of two cells

S.NO	Balancing length for leclanche cell $l_1 \text{ cm}$	Balancing length for Daniel cell $l_2 \text{ cm}$	$\frac{\epsilon_1}{\epsilon_2} = \frac{l_1}{l_2}$ (no unit)
1	598	446	1.341
2	686	497	1.380
3	725	526	1.378
4	762	553	1.378
5	789	572	1.379
<i>Mean</i> $\left(\frac{\epsilon_1}{\epsilon_2}\right)$			1.371

**CALCULATION**

$$1. \frac{\epsilon_1}{\epsilon_2} = \frac{l_1}{l_2} = \frac{598}{446} = 1.341$$

$$2. \frac{\epsilon_1}{\epsilon_2} = \frac{l_1}{l_2} = \frac{686}{497} = 1.380$$

$$3. \frac{\epsilon_1}{\epsilon_2} = \frac{l_1}{l_2} = \frac{725}{526} = 1.378$$

$$4. \frac{\epsilon_1}{\epsilon_2} = \frac{l_1}{l_2} = \frac{762}{553} = 1.378$$

$$5. \frac{\epsilon_1}{\epsilon_2} = \frac{l_1}{l_2} = \frac{789}{572} = 1.379$$

$$\text{Mean} \left(\frac{\epsilon_1}{\epsilon_2}\right) = \frac{1.341 + 1.380 + 1.378 + 1.378 + 1.379}{5} = 1.371$$

**RESULT**

Ratio of emf of the given two cells  $\left(\frac{\epsilon_1}{\epsilon_2}\right) = 1.371$  (nounit)



## 4. REFRACTIVE INDEX OF THE MATERIAL OF THE PRISM

**AIM** To determine the refractive index of the material of a prism using spectrometer

**APPARATUS REQUIRED** Spectrometer, prism, prism clamp, sodium vapour lamp, spirit level.

### FORMULA

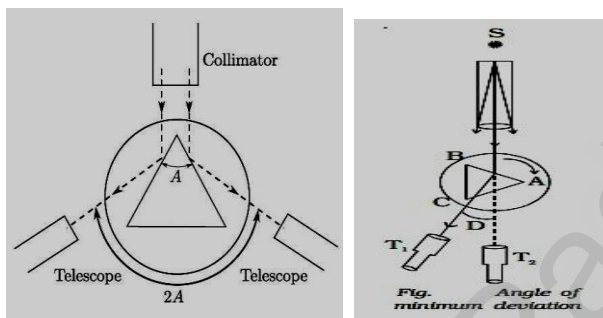
$$\mu = \frac{\sin\left(\frac{A + D}{2}\right)}{\sin\left(\frac{A}{2}\right)} \quad (\text{no unit})$$

where,

$\mu$  → Refractive index of the material of the prism (No unit)

A → Angle of the prism (degree)

D → Angle of minimum deviation (degree)



### PROCEDURE

#### Least count

$$1 \text{ MSD} = 30'$$

Number of vernier scale divisions = 30

For spectrometer, 30 vernier scale divisions will cover 29 main scale divisions.

$$\therefore 30 \text{ VSD} = 29 \text{ MSD}$$

$$\text{Or } 1 \text{ VSD} = \frac{29}{30} \text{ MSD}$$

Least count (LC) = 1 MSD – 1 VSD

$$LC = \frac{1}{30} \text{ MSD}$$

$$LC = \frac{1}{30} \times 30' = 1'$$

The preliminary adjustments of the spectrometer is made, the slit is illuminated with sodium vapor lamp

i) Determination of angle of the prism (A)

- The prism is placed on the prism table with its refracting edge is facing the collimator.
- The light emerging from the collimator is incident on both reflecting faces of the prism and is reflected.
- The telescope is rotated towards left to obtain reflected image of the slit from face 1 of the prism vernier A and vernier B readings are noted
- The telescope is now rotated towards right to obtain the reflected image from face 2 of the prism. As before, the readings are taken.
- The difference between the two readings gives  $2A$  from which the angle of the prism  $A$  is calculated.

**Determination of angle of minimum deviation (D)**

- The prism table is rotated such that the light emerging from the collimator is incident on one of the refracting faces of the prism, gets refracted and emerges out from the other refracting face.
- The telescope is turned to view the refracted image.
- Looking through the telescope, the prism table is rotated in such a direction that the image moves towards the direct ray.
- At one particular position, the refracted ray begins to retrace its path. The position where the refracted image returns is the position of minimum deviation.
- The telescope is fixed in this position and is adjusted until the vertical cross-wire coincides with the refracted image of the slit.
- The readings are taken from both vernier scales.
- The prism is now removed and the telescope is rotated to obtain the direct ray image and the readings are taken.
- The readings are tabulated and the difference between these two readings gives the angle of minimum deviation  $D$ .
- From the values of  $A$  and  $D$ , the refractive index of the material of the glass prism is determined.

**OBSERVATION****Table 1** To find the angle of the prism (A)

Image	Vernier A			Vernier B		
	MSR	VC	TR	MSR	VC	TR
Reflected image from face 1	36°	12	36°12'	216°	16	216°16'
Reflected image from face 2	156°	16	156°16'	336°	20	336°20'
Difference 2A	156°16'-36°12'=120°4'			336°20'-216°16'=120°4'		
Mean 2A	$\text{Mean } 2A = \frac{120^{\circ}4' + 120^{\circ}4'}{2} = \frac{240^{\circ}8'}{2} = 120^{\circ}4'$					
Mean A	$\text{Mean } A = \frac{120^{\circ}4'}{2} = 60^{\circ}2'$					

∴ The angle of the given prism A = 60°2'

**Table 2** To find the angle of minimum deviation (D)

Image	Vernier A			Vernier B		
	MSR	VC	TR	MSR	VC	TR
Refracted image	39°	12	39°12'	219°	12	219°12'
Direct image	0°	0	0°0'	180°	0	180°0'
Difference D	39°12'-0°0'=39°12'			219°12'-180°0'=39°12'		

Mean D=39°12'

∴ The angle of minimum deviation D = 39°12'

**CALCULATION**

$$\mu = \frac{\sin\left(\frac{A+D}{2}\right)}{\sin\left(\frac{A}{2}\right)}$$

$$\mu = \frac{\sin\left(\frac{60^{\circ}2' + 39^{\circ}12'}{2}\right)}{\sin\left(\frac{60^{\circ}2'}{2}\right)}$$

$$\mu = \frac{\sin\left(\frac{99^{\circ}14'}{2}\right)}{\sin\left(\frac{60^{\circ}2'}{2}\right)}$$

$$\mu = \frac{\sin(49^{\circ}37')}{\sin(30^{\circ}1')}$$

$$\sin(49^{\circ}37') = 0.7617 \quad , \quad \sin(30^{\circ}1') = 0.5015$$

$$\mu = \frac{0.7617}{0.5015} = 1.518$$

**RESULT:**

**Refractive index of the material of the prism=1.518 (No unit)**

## 5.WAVELENGTH OF THE CONSTITUENT COLOURS OF A COMPOSITE LIGHT USING DIFFRACTION GRATING AND SPECTROMETER

**AIM :** To determine the wavelength of the constituent colours of a composite light using diffraction grating and spectrometer

**APPARATUS REQUIRED** Spectrometer, mercury vapour lamp, diffraction grating, grating table, and spirit level.

### FORMULA

$$\lambda = \frac{\sin \theta}{nN} A^0$$

where,  $\lambda \rightarrow$  Wavelength of the constituent colours of a composite light ( $A^0$ )

$N \rightarrow$  Number of lines per metre length of the given grating (No unit) (the value of  $N$  for the grating is given) **6000 lines per centimetre**

$n \rightarrow$  Order of the diffraction (No unit)

$\theta \rightarrow$  Angle of diffraction (degree)

### PROCEDURE

#### Least count

$$1 \text{ MSD} = 30'$$

$$\text{Number of vernier scale divisions} = 30$$

For spectrometer, 30 vernier scale divisions will cover 29 main scale divisions.

$$\therefore 30 \text{ VSD} = 29 \text{ MSD}$$

$$\text{Or } 1 \text{ VSD} = \frac{29}{30} \text{ MSD}$$

$$\text{Least count (LC)} = 1 \text{ MSD} - 1 \text{ VSD}$$

$$LC = \frac{1}{30} \text{ MSD}$$

$$LC = \frac{1}{30} \times 30' = 1'$$

The preliminary adjustments of the spectrometer is made, the slit is illuminated with mercury vapor lamp

### Adjustment of the grating for normal incidence

- The telescope is exactly opposite to the cross wires made coincide with the image of the slit
- The prism table is adjusted such that the two-vernier readings are  $0^{\circ}$  and  $180^{\circ}$ . In this position the vernier table screw is fixed. This is the reading for the direct ray.
- Now the telescope is turned through  $90^{\circ}$
- The grating is placed on the prism table vertically the grating is adjusted, such that the reflected image of the slit is made to coincide with the vertical cross wires of the telescope
- Now the vernier disc is released. The vernier disc along with grating table is rotated through an angle of  $45^{\circ}$  in the appropriate direction such that the light from the collimator is incident normally on the grating

### Determination of wave length of the constituent colours of the mercury spectrum

- The telescope is turned opposite to the collimator and focuses the telescope on to the left side first order spectrum.
- The vertical wire is made to coincide with the violet spectral line and note the readings of VA, VB
- Repeat the experiment for the other spectral lines and the readings are tabulated
- Now the telescope is focused on the right side of the spectral line, the experiment is repeated above from violet to red and the readings VA', VB' are noted in the tabular column
- The difference between these two readings gives the value of  $2\theta$  for the particular spectral line.

#### DIAGRAMS

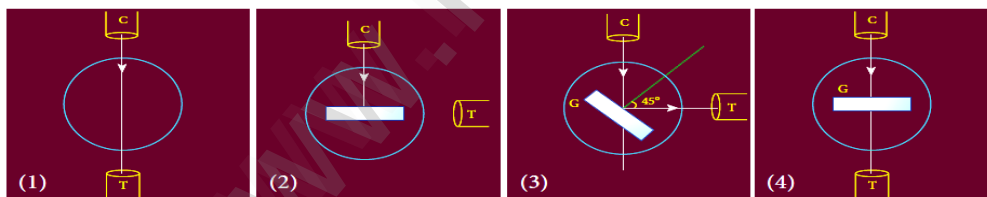


Figure (a) Normal incidence

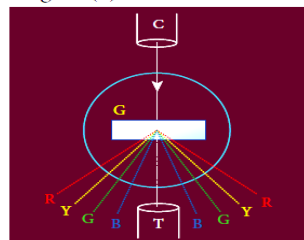


Figure (b) Angle of diffraction

OBSERVATION

Least count=1'                      Direct ray reading : 0° & 180°

Colour of the light	Diffracted ray reading( in Degree)												Difference (2θ) In degree			θ In degree
	LEFT						RIGHT						VER A	VER B	MEAN	
	Vernier A			Vernier B			VernierA			Vernier B						
	MSR	V C	TR	MSR	V C	TR	MSR	VC	TR	MSR	V C	TR				
Blue	209°	12	209°12'	29°	15	29°15'	239°	12	239°12'	59°	15	59°15'	30°	30°	30°	15°
Green	205°30'	22	205°52'	25°30'	22	25°52'	242°30'	12	242°42'	62°30'	12	62°42'	36°50'	36°50'	36°50'	18°25'
Yellow	204°30'	6	204°36'	24°30'	8	24°38'	243°30'	6	243°36'	63°30'	8	63°38'	39°	39°	39°	19°30'
Red	202°30'	20	202°50'	22°30'	12	22°42'	246°30'	20	246°50'	66°30'	12	66°42'	44°	44°	44°	22°

VERNIER CALCULATION

$$\text{total reading} = \text{MSR} + (\text{VC} \times \text{LC})$$

$$\text{total reading} = 209^\circ + (12 \times 1') = 209^\circ 12'$$

**Calculation****To find the wave length of prominent colours of the mercury spectrum**

i) For blue

$$\text{for blue } \lambda = \frac{\sin \theta}{nN}$$

$$\text{Here } \theta = 15^\circ, \quad n = 1 \quad N = 6000 \text{ lines/cm} = 6 \times 10^5 \text{ lines/m}$$

$$\therefore \text{for blue } \lambda = \frac{\sin 15^\circ}{1 \times 6 \times 10^5}$$

$$\lambda = \frac{\sin 15^\circ}{1 \times 6 \times 10^5}$$

$$\sin 15^\circ = 0.2588$$

$$\lambda = \frac{0.2588}{1 \times 6 \times 10^5}$$

$$\lambda = 0.04313 \times 10^{-5} \text{m}$$

$$\lambda = 4313 \times 10^{-5} \times 10^{-5} \text{m}$$

$$\lambda_b = 4313 \text{Å}$$

ii) For Green

$$\text{for Green } \lambda = \frac{\sin \theta}{nN}$$

$$\text{Here } \theta = 18^\circ 25', \quad n = 1 \quad N = 6000 \text{ lines/cm} = 6 \times 10^5 \text{ lines/m}$$

$$\therefore \lambda = \frac{\sin 18^\circ 25'}{1 \times 6 \times 10^5}$$

$$\sin 18^\circ 25' = 0.3159$$

$$\lambda = \frac{0.3159}{1 \times 6 \times 10^5}$$

$$\lambda = \frac{0.3159 \times 10^{-5}}{6}$$

$$\lambda = 0.05265 \times 10^{-5} \text{m}$$

$$\lambda = 5265 \times 10^{-5} \times 10^{-5} \text{m}$$

$$\lambda_g = 5265 \text{Å}$$

iii) For Yellow

$$\text{for Yellow } \lambda = \frac{\sin \theta}{nN}$$

$$\text{Here } \theta = 19^\circ 30', \quad n = 1 \quad N = 6000 \text{ lines/cm} = 6 \times 10^5 \text{ lines/m}$$

$$\therefore \lambda = \frac{\sin 19^\circ 30'}{1 \times 6 \times 10^5}$$

$$\sin 19^\circ 30' = 0.3338 \therefore$$

$$\lambda = \frac{0.3338}{1 \times 6 \times 10^5}$$

$$\lambda = \frac{0.3338 \times 10^{-5}}{6}$$

$$\lambda = 0.05563 \times 10^{-5} \text{m}$$



$$\lambda = 5563 \times 10^{-5} \times 10^{-5} m$$

$$\lambda_y = 5563 \text{Å}$$

iv) For Red

$$\text{for Red } \lambda = \frac{\sin \theta}{nN}$$

$$\text{Here } \theta = 22^\circ, \quad n = 1 \quad N = 6000 \text{ lines/cm} = 6 \times 10^5 \text{ lines/m}$$

$$\therefore \lambda = \frac{\sin 22^\circ}{1 \times 6 \times 10^5}$$

$$\sin 22^\circ = 0.3746$$

$$\lambda = \frac{0.3746}{1 \times 6 \times 10^5}$$

$$\lambda = \frac{0.3746 \times 10^{-5}}{6}$$

$$\lambda = 0.06243 \times 10^{-5} m$$

$$\lambda = 6243 \times 10^{-5} \times 10^{-5} m$$

$$\lambda_r = 6243 \text{Å}$$

## RESULT

1. The wavelength of blue line  $\lambda_b = 4313 \times 10^{-10} m$
2. The wavelength of green line  $\lambda_g = 5265 \times 10^{-10} m$
3. The wavelength of yellow line  $\lambda_y = 5563 \times 10^{-10} m$
4. The wavelength of red line  $\lambda_r = 6243 \times 10^{-10} m$

## 6. VOLTAGE-CURRENT CHARACTERISTICS OF A PN JUNCTION DIODE

**AIM** To draw the voltage-current (V- I) characteristics of the PN junction diode and to determine its knee voltage and forward resistance.

**APPARATUS REQUIRED** PN junction diode (IN4007), variable DC power supply, milli-ammeter, micro-ammeter, voltmeter, resistance and

### FORMULA :

Forward resistance of the PN junction diode

$$R_f = \frac{\Delta V_f}{\Delta I_f}$$

Where,

$\Delta V_f \rightarrow$  change in forward voltage (volt)

$\Delta I_f \rightarrow$  change in forward current (volt)

### CIRCUIT DIAGRAM



Figure (a) PN junction diode and its symbol (Silver ring denotes the negative terminal of the diode)

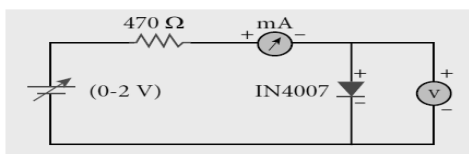


Figure (b) PN junction diode in forward bias

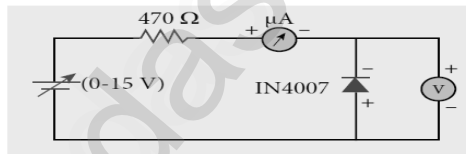


Figure (c) PN junction diode in reverse bias

### PROCEDURE

#### i) Forward bias characteristics

- ❖ The connections are made as in the circuit..
- ❖ The voltage across the diode can be varied with the help of variable DC power supply..
- ❖ The forward voltage (  $V_f$  ) is increased from 0.1 V to 0.8 V in suitable equal steps.
- ❖ The corresponding current (  $I_f$  ) is noted from milli ammeter.  $V_f$  and  $I_f$  are positive..
- ❖ A graph is drawn by taking  $V_f$  along X-axis and  $I_f$  along Y-axis.
- ❖ From the forward characteristic curve, knee voltage is marked and noted. The reciprocal of the slope gives the forward resistance of the diode.

#### ii) Reverse bias characteristics

- The connections are made as in the circuit
- The voltage across the diode can be varied with the help of variable DC power supply
- The reverse voltage (  $V_R$  ) across the diode is increased from 1 V in steps of 1 V upto 5V

- The corresponding current  $I_R$  is noted from the micro ammeter  $V_R$  and  $I_R$  are negative.
- The reverse voltage  $V_R$  and reverse current  $I_R$  are taken as negative
- A graph is drawn by taking  $V_R$  along negative X-axis and  $I_R$  along negative Y-axis.

### OBSERVATION

**Table 1 Forward bias characteristic curve**

S.NO	Forward bias voltage $V_F$ (in volt)	Forward bias current $I_F$ (milli ampere)
1	0.1	0
2	0.2	0
3	0.3	0
4	0.4	0
5	0.5	0.5
6	0.6	3.5
7	0.7	17.5
8	0.8	24.5

**Table 2 Reverse bias characteristic curve**

S.NO	Reverse bias voltage $V_R$ (in volt)	Reverse bias current $I_R$ (microampere)
1	1	50
2	2	70
3	3	90
4	4	100
5	5	110
6	6	120
7	7	130
8	8	140
9	9	150
10	10	160

$$\text{Slope} = \frac{\Delta I_F}{\Delta V_F}$$

$$R_F = \frac{1}{\text{Slope}} = \frac{\Delta V_F}{\Delta I_F}$$

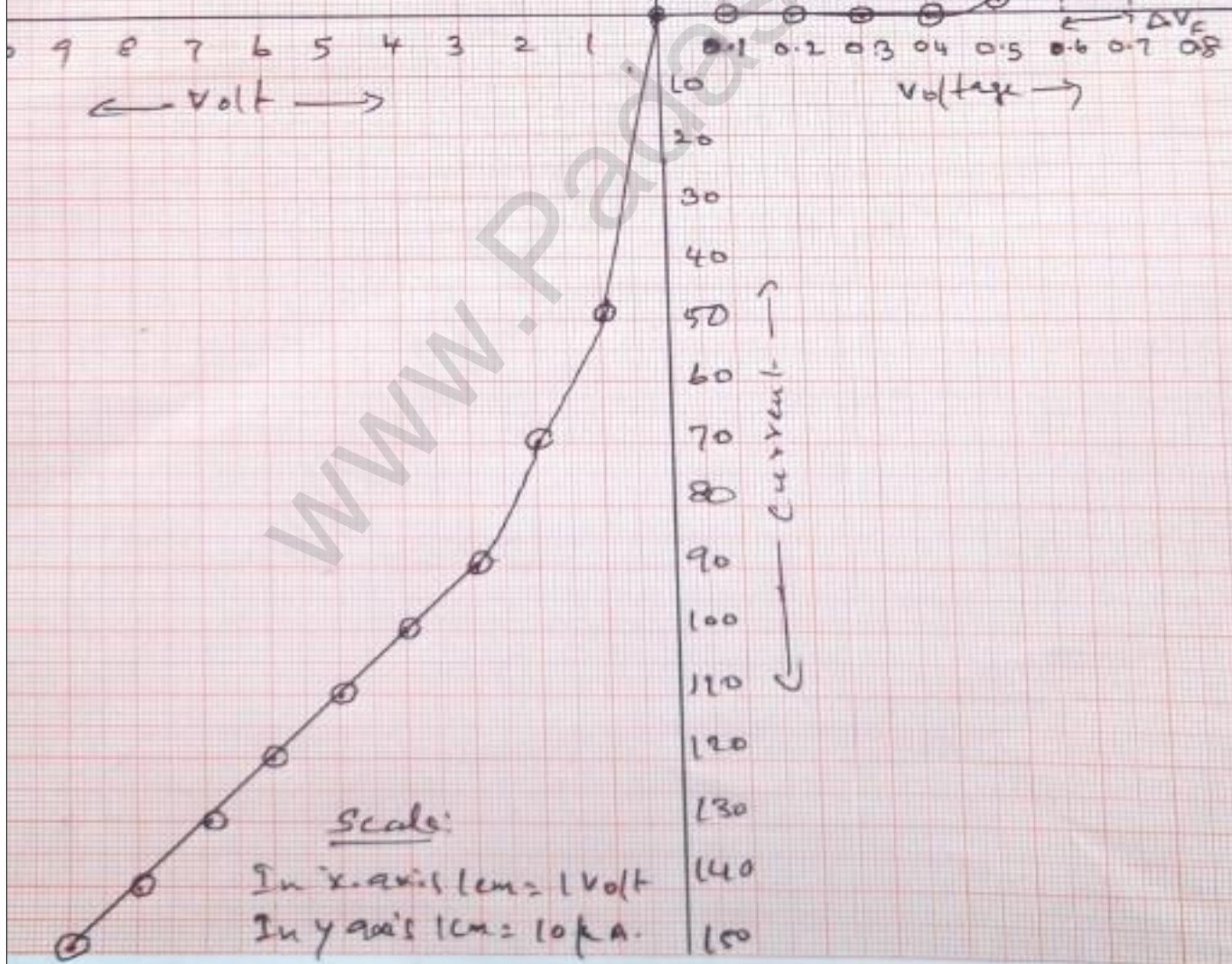
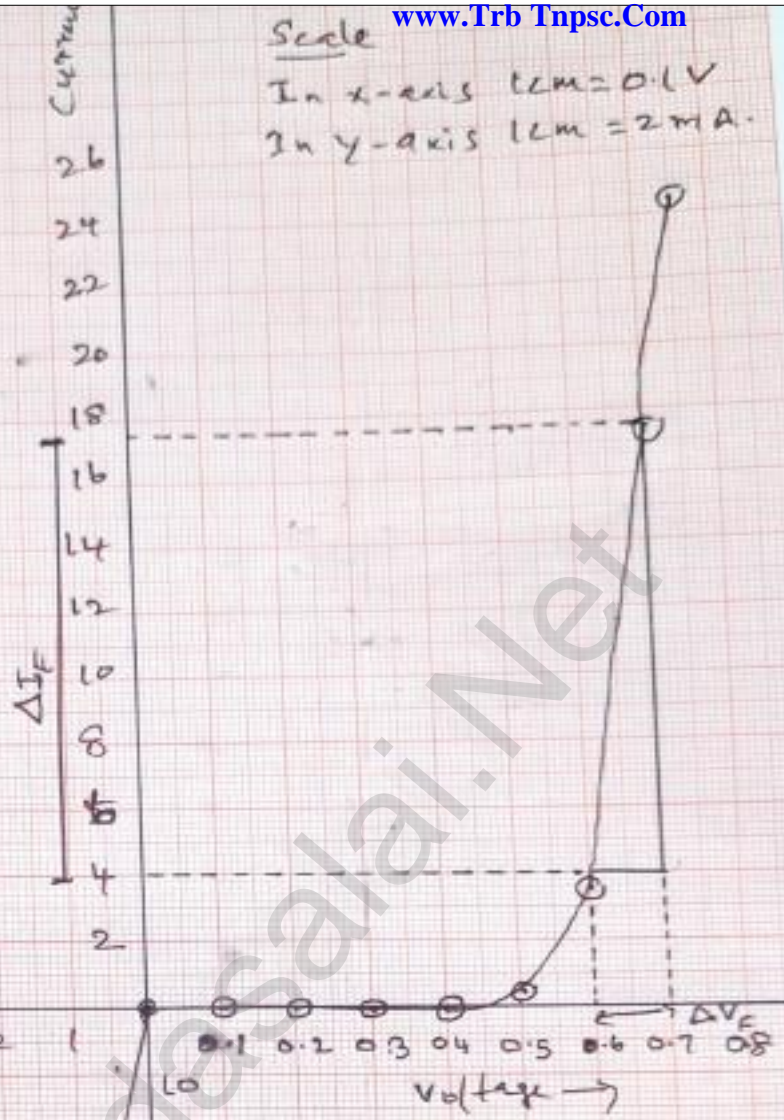
$$R_F = \frac{0.7 - 0.6}{17.5 - 4}$$

$$= \frac{0.1}{13.5 \times 10^3}$$

$$R_F = 7.407 \Omega$$

Scale

In x-axis 1cm = 0.1 V  
 In y-axis 1cm = 2 mA.



Scale:

In x-axis 1cm = 1 Volt  
 In y-axis 1cm = 10 μA.

**CALCULATION :**

- From the graph, the knee voltage is = 0.55 V
- Also from the graph,

$$\Delta V_F = 0.1 \text{ V}$$

$$\Delta I_F = 13.5 \text{ mA} = 13.5 \times 10^{-3} \text{ A}$$

$$\text{slope} = \frac{\Delta I_F}{\Delta V_F}$$

$$R_F = \frac{1}{\text{SLOPE}} = \frac{\Delta V_F}{\Delta I_F}$$

$$R_F = \frac{0.1}{13.5 \times 10^{-3}} = 7.407 \Omega$$

**RESULT**

The V-I characteristics of the PN junction diode are studied.

- (1) Knee voltage of the PN junction diode = 0.55 V
- (2) Forward resistance of the diode ;  $R_F = 7.407 \Omega$

## 7.VOLTAGE-CURRENT CHARACTERISTICS OF A ZENER DIODE

### AIM :

To draw the voltage-current (V-I) characteristic curves of a Zener diode and to determine its knee voltage, forward resistance and reverse breakdown voltage.

### APPARATUS REQUIRED :

Zener diode 1Z5.6V, variable dc power supply (0 – 15V), milli ammeter, volt meter, 470  $\Omega$  resistance, and connecting wires.

### FORMULA :

Forward resistance of the PN junction diode

$$R_F = \frac{V_F}{I_F} \Omega$$

Where,

$\Delta V_f$  → change in forward voltage (volt)

$\Delta I_f$  → change in forward current (volt)

### CIRCUIT DIAGRAM

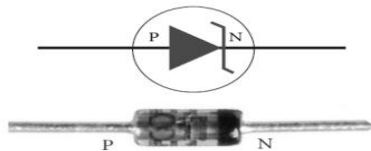


Figure (a) Zener diode and its symbol (The black colour ring denotes the negative terminal of the Zener diode)

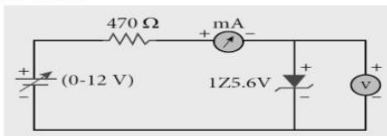


Figure (b) Zener diode in forward bias

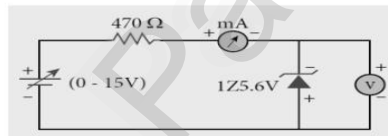


Figure (c) Zener diode in reverse bias

### i) Forward bias characteristics

- In the forward bias, the P- region of the diode is connected to the positive terminal and N-region to the negative terminal of the DC power supply.
- The connections are given as per the circuit diagram.
- The voltage across the diode can be varied with the help of the variable DC power supply.
- The forward voltage ( $V_F$ ) across the diode is increased from 0.1V in steps of 0.1V up to 0.8V and the forward current ( $I_F$ ) through the diode is noted from the milli-ammeter. The readings are tabulated.

- The forward voltage and the forward current are taken as positive.
- A graph is drawn taking the forward voltage along the x-axis and the forward current along the y-axis.
- The voltage corresponding to the dotted line in the forward characteristics gives the knee voltage or threshold voltage or turn-on voltage of the diode.
  
- The slope in the linear portion of the forward characteristics is calculated. The reciprocal of the slope gives the forward resistance of the diode.

#### ii) Reverse bias characteristics

- ❖ In the reverse bias, the polarity of the DC power supply is reversed so that the P- region of the diode is connected to the negative terminal and N-region to the positive terminal of the DC power supply
- ❖ The connections are made as given in the circuit diagram.
- ❖ The voltage across the diode can be varied with the help of the variable DC power supply.
- ❖ The reverse voltage ( $V_R$ ) across the diode is increased from 0.5V in steps of 0.5V up to 6V and the reverse current ( $I_R$ ) through the diode is noted from the milli-ammeter. The readings are tabulated.
- ❖ Initially, the voltage is increased in steps of 0.5V. When the breakdown region is approximately reached, then the input voltage may be raised in steps of, say 0.1V to find the breakdown voltage.
- ❖ The reverse voltage and reverse current are taken as negative.
- ❖ A graph is drawn taking the reverse bias voltage along negative x-axis and the reverse bias current along negative y-axis.
- ❖ In the reverse bias, Zener breakdown occurs at a particular voltage called Zener voltage  $V_Z$  (~5.6 to 5.8V) and a large amount of current flows through the diode which is the characteristics of a Zener diode.
- ❖ The breakdown voltage of the Zener diode is determined from the graph as shown.

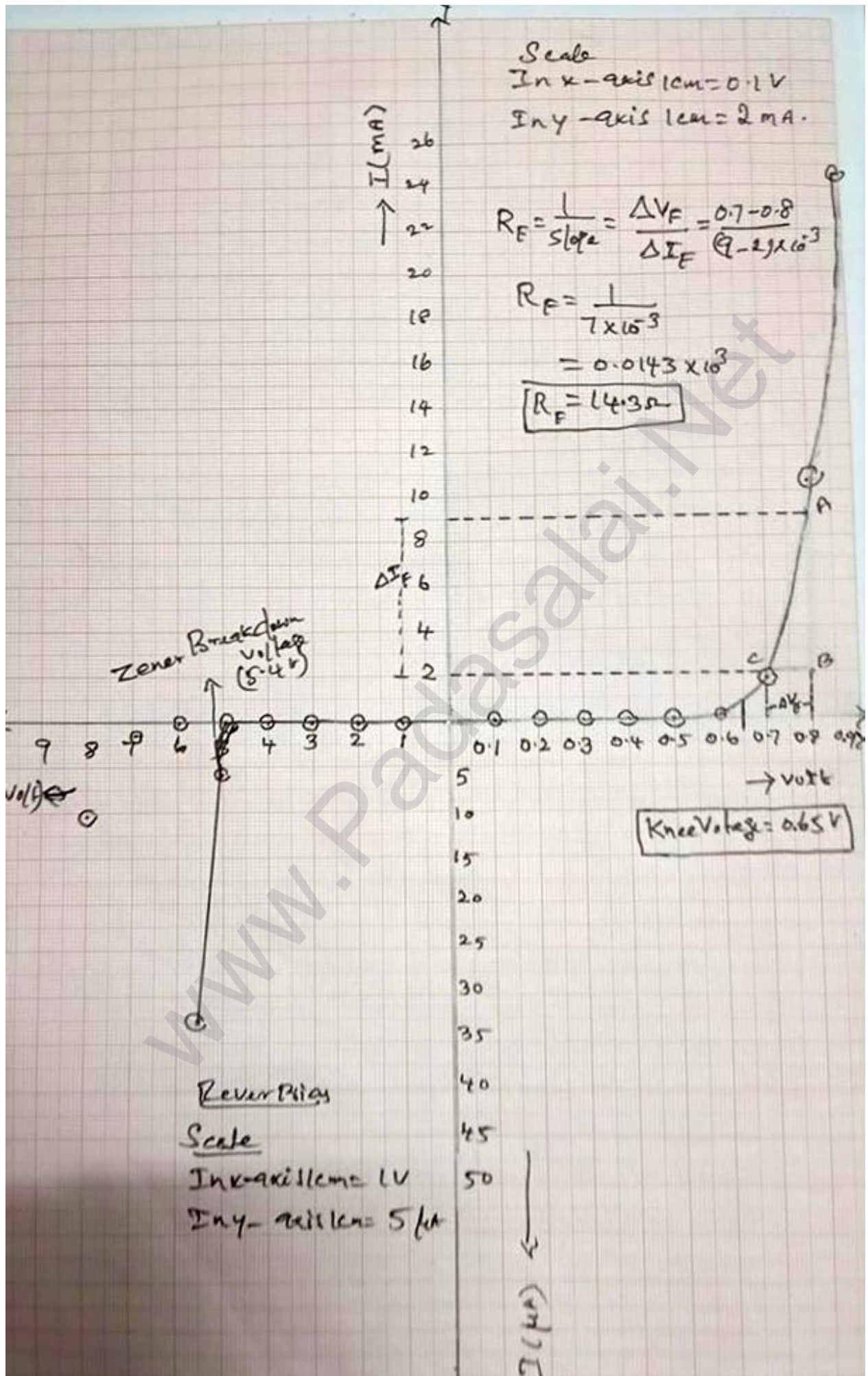
**OBSERVATION Table 1 Forward bias characteristic curve**

S.NO	Forward bias voltage $V_F$ (volt)	Forward bias current $I_F$ (mA)
1	0.1	0
2	0.2	0
3	0.3	0
4	0.4	0
5	0.5	0
6	0.6	0.1
7	0.7	1.7
8	0.8	10.4
9	0.9	24.5

**Table 2 Reverse bias characteristic curve**

S.NO	Reverse bias voltage $V_R$ (volt)	Reverse bias current $I_R$ (mA)
1	1	0
2	2	0
3	3	0
4	4	0
5	5	6
6	5.45	34.8





CALCULATION

From the graph

The knee voltage is = 0.65V

$$\Delta V_F = 0.1V$$

$$\Delta I_F = 7 \times 10^{-3}A$$

$$SLOPE = \frac{\Delta I_F}{\Delta V_F}$$

$$\text{Forward resistance } R_F = \frac{1}{\text{Slope}} = \frac{\Delta V_F}{\Delta I_F}$$

$$\text{Forward resistance } R_F = \frac{0.1}{7 \times 10^{-3}} = 0.0143 \times 10^3$$

$$\text{Forward resistance } R_F = 14.3\Omega$$

**RESULT :**

The V-I characteristics of the Zener diode are studied.

- (1) Forward resistance of the diode :  **$R_F = 14.3 \Omega$**
- (2) Knee voltage = **0.65 V**
- (3) The breakdown voltage of the Zener diode :  **$V_Z = 5.4 V$**

## 8. CHARACTERISTICS OF A NPN-JUNCTION TRANSISTOR IN COMMON EMITTER CONFIGURATION

**AIM** To study the characteristics and to determine the current gain of a NPN junction transistor in common emitter configuration.

**APPARATUS REQUIRED** Transistor - BC 548/BC107, bread board, micro ammeter, milli ammeter, voltmeters, variable DC power supply and connecting wires.

### FORMULA

$$i) r_i = \left( \frac{\Delta V_{BE}}{\Delta I_B} \right)_{V_{CE}} \Omega \quad ii) r_o = \left( \frac{\Delta V_{CE}}{\Delta I_C} \right)_{I_B} \Omega$$

$$iii) \beta = \left( \frac{\Delta I_C}{\Delta I_B} \right)_{V_{CE}} \text{no unit}$$

Where,  $r_i \rightarrow$  Input impedance ( $\Omega$ )

$\Delta V_{BE} \rightarrow$  The change in base-emitter voltage (volt)

$\Delta I_B \rightarrow$  The change in base current ( $\mu\text{A}$ )

$r_o \rightarrow$  Output impedance ( $\Omega$ )

$\Delta V_{CE} \rightarrow$  The change in collector-emitter voltage (volt)

$\Delta I_C \rightarrow$  The change in collector current (mA)

$\beta \rightarrow$  Current gain of the transistor (No)

### CIRCUIT DIAGRAM

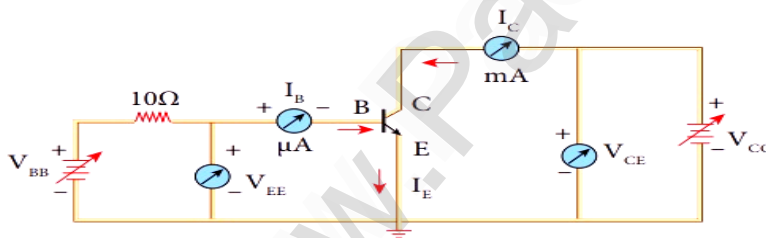


Figure (b) NPN junction transistor in CE configuration

### PROCEDURE

- The connections are given as shown in the diagram.
- The current and voltage at the input and output regions can be varied by adjusting the DC power supply.

#### (i) Input characteristic curve: $V_{BE}$ vs $I_B$ ( $V_{CE}$ constant)

- The collector-emitter voltage  $V_{CE}$  is kept constant.
- The base-emitter voltage  $V_{BE}$  is varied in steps of 0.1V and the corresponding base current ( $I_B$ ) is noted. The readings are taken till  $V_{CE}$  reaches a constant value.

- The same procedure is repeated for different values of  $V_{CE}$ . The readings are tabulated.
- A graph is plotted by taking  $V_{BE}$  along x-axis and  $I_B$  along y-axis for both the values of  $V_{CE}$ .
- The curves thus obtained are called the input characteristics of a transistor.
- The reciprocal of the slope of these curves gives the input impedance of the transistor

S.NO	$V_{CE} = 1V$		$V_{CE} = 2V$	
	$V_{BE}$ (volt)	$I_B$ ( $\mu A$ )	$V_{BE}$ (volt)	$I_B$ ( $\mu A$ )
1	0.1	0	0.1	0
2	0.2	0	0.2	0
3	0.3	0	0.3	0
4	0.4	0	0.4	0
5	0.5	2	0.5	2
6	0.6	6	0.6	6
7	0.7	30	0.7	34
8	0.8	70	0.8	80

### (ii) Output characteristic curve: $V_{CE}$ vs $I_C$ ( $I_B$ constant)

- The base current  $I_B$  is kept constant.
- $V_{CE}$  is varied in steps of 1V and the corresponding collector current  $I_C$  is noted. The readings are taken till the collector current becomes almost constant.
- Initially  $I_B$  is kept at 0 mA and the corresponding collector current is noted. This current is the reverse saturation current  $I_{CEO}$ .
- The experiment is repeated for various values of  $I_B$ . The readings are tabulated.
- A graph is drawn by taking  $V_{CE}$  along x-axis and  $I_C$  along y-axis for various values of  $I_B$ .
- The set of curves thus obtained is called the output characteristics of a transistor.
- The reciprocal of the slope of the curve gives output impedance of the transistor.

S.NO	$I_B = 20\mu A$		$I_B = 40\mu A$	
	$V_{CE}$ (V)	$I_C$ (mA)	$V_{CE}$ (V)	$I_C$ (mA)
1	0.1	0	0.1	0
2	0.2	3.5	0.2	9.5
3	0.3	4	0.3	10.5
4	0.4	4	0.4	11
5	0.5	4	0.5	11
6	0.6	4	0.6	11
7	0.7	4	0.7	11
8	0.8	4	0.8	11
9	0.9	4	1.9	11
10	1	4	1	11

**(iii) Transfer characteristic curve:  $I_B$  vs  $I_C$  ( $V_{CE}$  constant)**

- The collector-emitter voltage  $V_{CE}$  is kept constant.
- The base current  $I_B$  is varied in steps of  $10\mu A$  and the corresponding collector current  $I_C$  is noted.
- This is repeated by changing the value of  $V_{CE}$ . The readings are tabulated.
- The transfer characteristics is a plot between the input current  $I_B$  along x-axis and the output current  $I_C$  along y-axis keeping  $V_{CE}$  constant.
- The slope of the transfer characteristics plot gives the current gain  $\beta$  can be calculated.

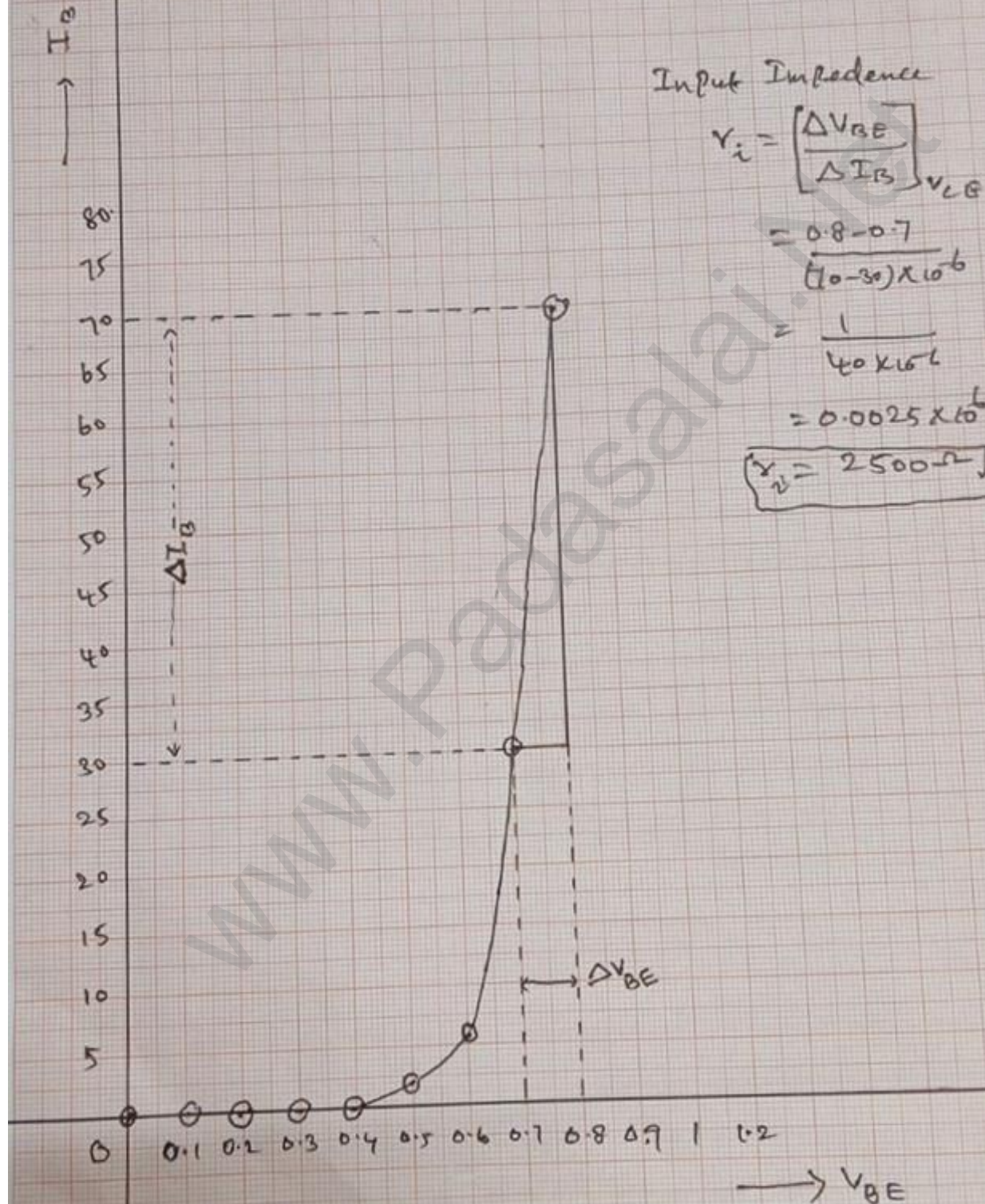
S.NO	$V_{CE} = 1V$		$V_{CE} = 2V$	
	$I_B$ ( $\mu A$ )	$I_C$ (mA)	$I_B$ ( $\mu A$ )	$I_C$ (mA)
1	0	0	0	0
2	20	5	20	6
3	40	10	40	11
4	60	16	60	17
5	80	22	80	23
6	100	27	100	29

## Input characteristics

Scale:

In x axis  $1\text{cm} = 0.1\text{V}$

In y axis  $1\text{cm} = 5\mu\text{A}$



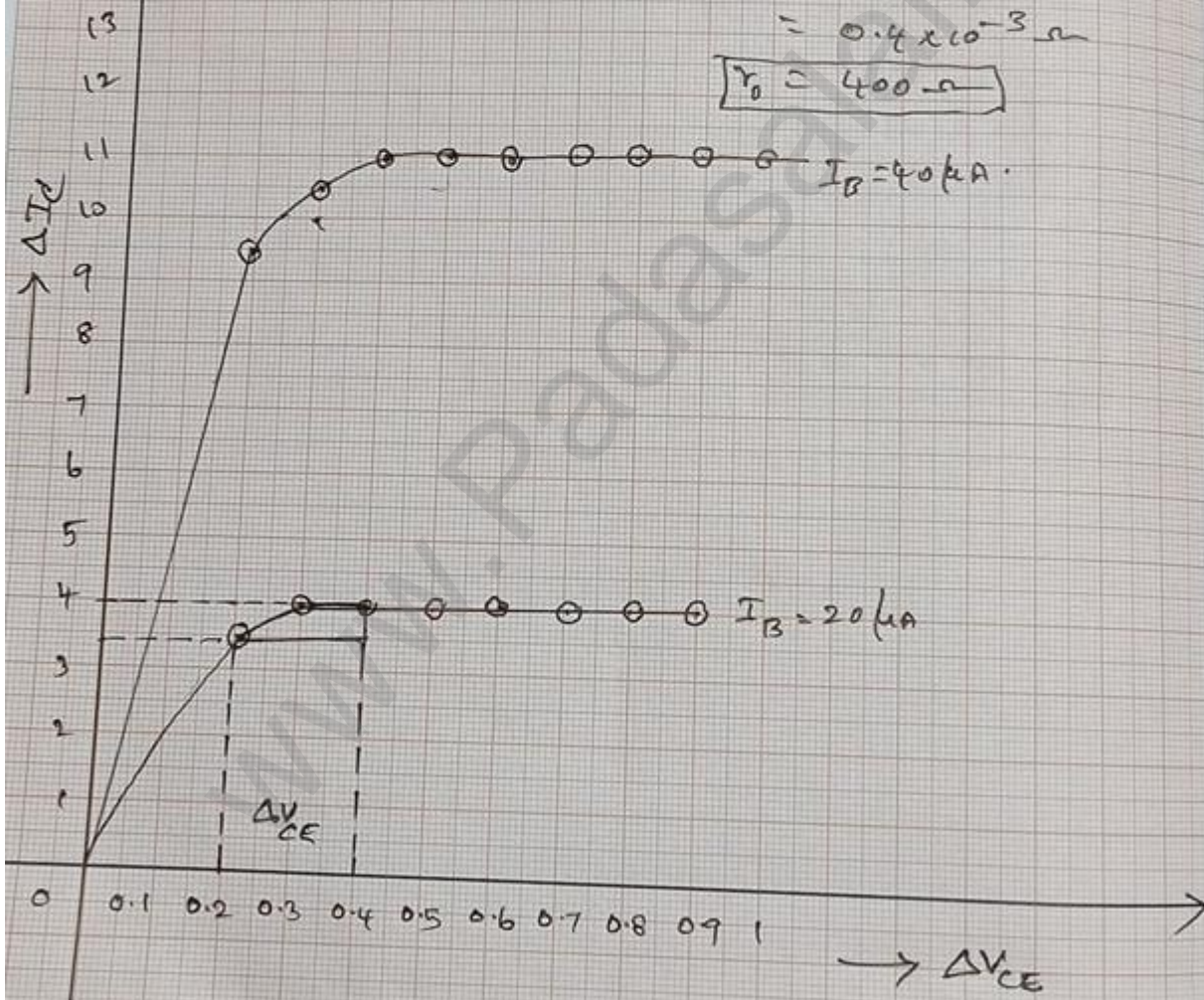
## Out put characteristic

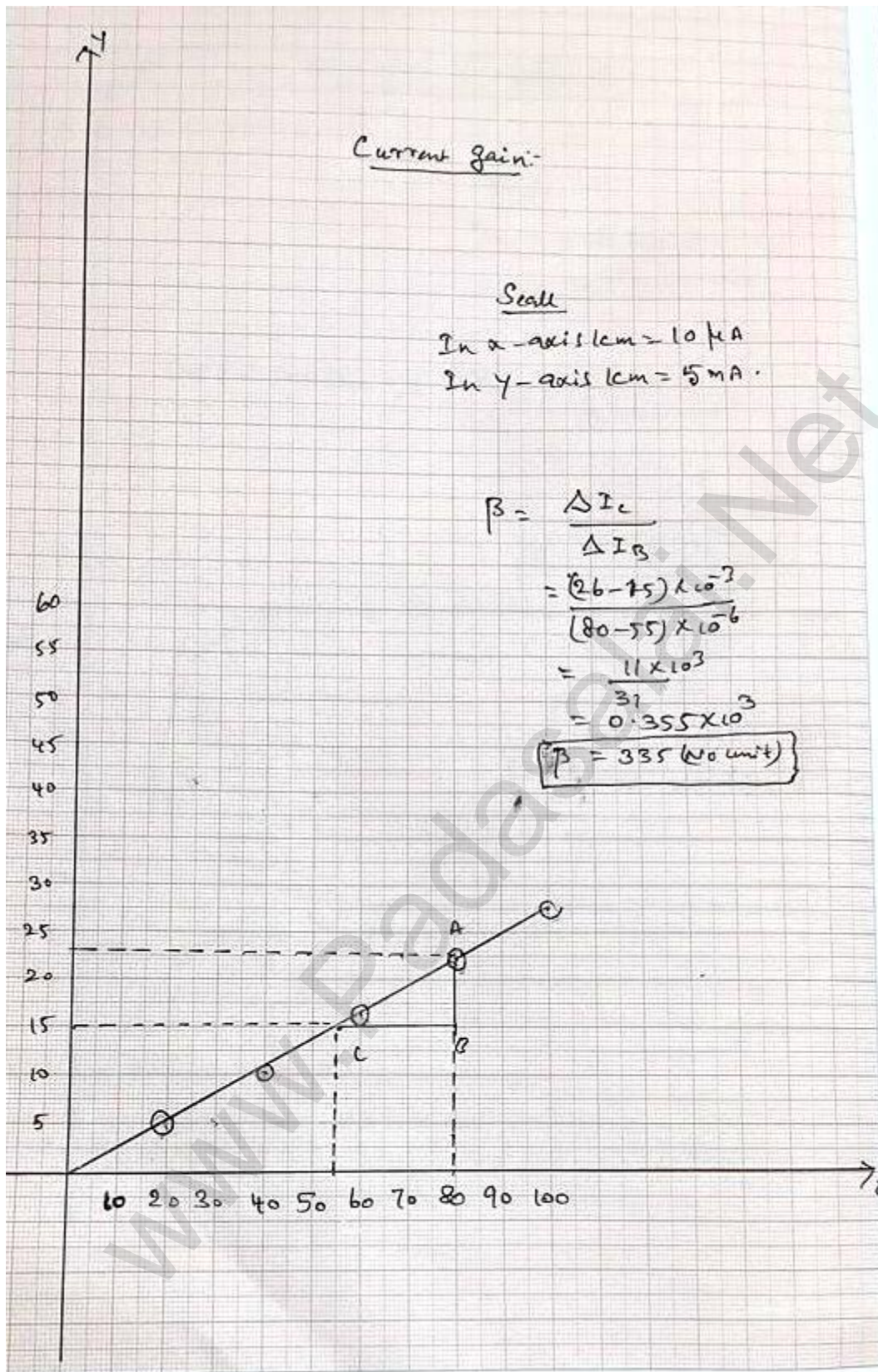
Scale:

In x-axis 1cm = 0.1 Volt

In y axis 1cm = 1mA

$$\begin{aligned} \text{Out put impedance } r_o &= \frac{\Delta V_{CE}}{\Delta I_C} = \frac{0.4 - 0.2}{(4 - 3.5) \times 10^{-3}} \\ &= \frac{0.2}{0.5 \times 10^{-3}} \\ &= 0.4 \times 10^{-3} \Omega \\ \boxed{r_o = 400 \Omega} \end{aligned}$$







**CALCULATION****1)Input impedance**

$$\text{Input impedance } r_i = \frac{\Delta V_{BE}}{\Delta I_B}$$

$$\text{FROM Graph slope} = \frac{\Delta I_B}{\Delta V_{BE}}$$

$$\text{Input impedance } r_i = \frac{1}{\text{SLOPE}} = \frac{\Delta V_{BE}}{\Delta I_B}$$

$$\text{Input impedance } r_i = \frac{0.1}{40 \times 10^{-6}}$$

$$\text{Input impedance } r_i = 0.0025 \times 10^{-6}$$

$$\text{Input impedance } r_i = 2500\Omega$$

**2)Output impedance**

$$\text{Output impedance } r_o = \frac{\Delta V_{CE}}{\Delta I_C}$$

$$\text{FROM Graph slope} = \frac{\Delta I_C}{\Delta V_{CE}}$$

$$\text{Input impedance } r_i = \frac{1}{\text{SLOPE}} = \frac{\Delta V_{CE}}{\Delta I_C}$$

$$\text{Input impedance } r_i = \frac{0.2}{0.5 \times 10^{-3}}$$

$$\text{Input impedance } r_i = 0.4 \times 10^{-3}$$

$$\text{Input impedance } r_i = 400\Omega$$

**3)Current gain**

$$\text{Current gain } \beta = \frac{\Delta I_C}{\Delta I_B}$$

$$\text{FROM Graph slope} = \frac{\Delta I_C}{\Delta I_B}$$

$$\text{Current gain } \beta = \text{Slope} = \frac{\Delta I_C}{\Delta I_B}$$

$$\text{Current gain } \beta = \frac{11 \times 10^{-3}}{31 \times 10^{-6}}$$

$$\text{Current gain } \beta = 0.355 \times 10^3$$

$$\text{Current gain } \beta = 355(\text{no unit})$$

**RESULT**

i) The input, output and transfer characteristics of the NPN junction in common emitter mode are drawn.

ii) (a) Input impedance = 2500Ω

(b) Output impedance = 400Ω

(c) Current gain  $\beta = 355(\text{no unit})$

## 9. VERIFICATION OF TRUTH TABLES OF LOGIC GATES USING INTEGRATED CIRCUITS

**AIM** To verify the truth tables of AND, OR, NOT, EX-OR, NAND and NOR gates using integrated circuits

**COMPONENTS REQUIRED** AND gate (IC 7408), NOT gate (IC 7404), OR gate (IC 7432), NAND gate (IC 7400), NOR gate (IC 7402), X-OR gate (IC 7486), Power supply, Digital IC trainer kit, connecting wires.

### BOOLEAN EXPRESSIONS

1) AND gate  $Y = A \cdot B$

2) OR gate  $Y = A + B$

3) NOT gate  $Y = \bar{A}$

4) EX-OR gate  $Y = \bar{A}B + A\bar{B}$

5) NAND gate  $Y = \overline{AB}$

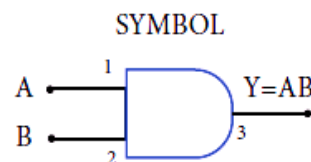
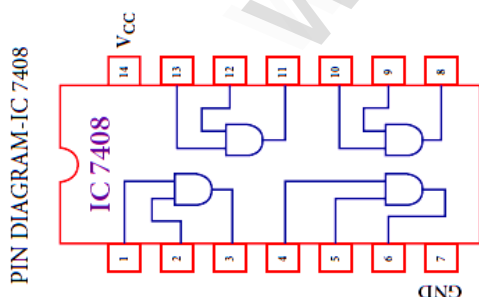
6) NOR gate  $Y = \overline{A + B}$

### PROCEDURE

- To verify the truth table of a logic gate, the suitable IC is taken and the connections are given using the circuit diagram.
- For all the ICs, 5V is applied to the pin 14 while the pin 7 is connected to the ground.
- The logical inputs of the truth table are applied and the corresponding output is noted.
- Similarly the output is noted for all other combinations of inputs.
- In this way, the truth table of a logic gate is verified.

1) AND gate  $Y = A \cdot B$

PIN DIAGRAM, SYMBOL, TRUTH TABLE, VERIFICATION TABLE



TRUTH TABLE

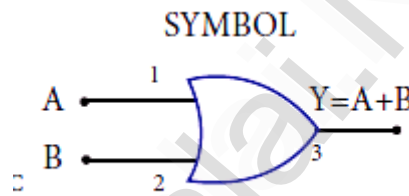
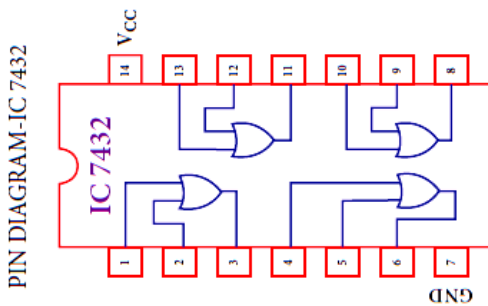
A	B	$Y = A \cdot B$
0	0	0
0	1	0
1	0	0
1	1	1

VERIFICATION TABLE

A	B	$Y = A \cdot B$
0	0	0V
0	1	0V
1	0	0V
1	1	5V

**2) OR gate  $Y = A + B$**

PINDIAGRAM , SYMBOL, TRUTH TABLE ,VERIFICATION TABLE



TRUTH TABLE

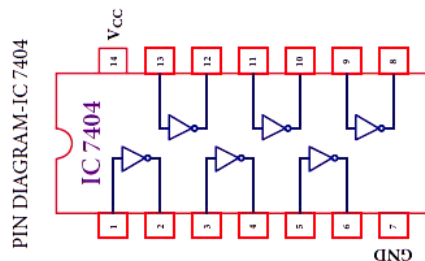
A	B	$Y = A + B$
0	0	0
0	1	1
1	0	1
1	1	1

VERIFICATION TABLE

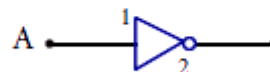
A	B	$Y = A + B$
0	0	0V
0	1	5V
1	0	5V
1	1	5V

**3) NOT gate  $Y = \bar{A}$**

PINDIAGRAM , SYMBOL, TRUTH TABLE ,VERIFICATION TABLE



SYMBOL



TRUTH TABLE

A	$Y = \bar{A}$
0	1
1	0

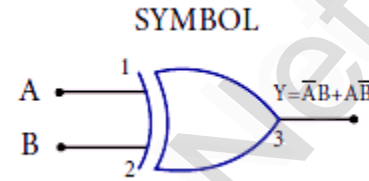
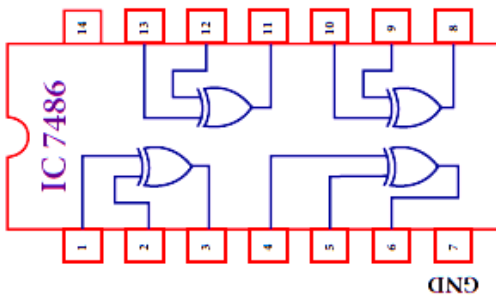
VERIFICATION TABLE

A	$Y = \bar{A}$
0	5V
1	0V

**4 EX-OR gate**  $Y = \bar{A}B + A\bar{B}$

PINDIAGRAM , SYMBOL , TRUTH TABLE , VERIFICATION TABLE

PIN DIAGRAM-IC 7486



TRUTH TABLE

A	B	$Y = \bar{A}B + A\bar{B}$
0	0	0
0	1	1
1	0	1
1	1	0

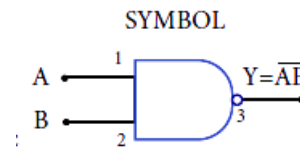
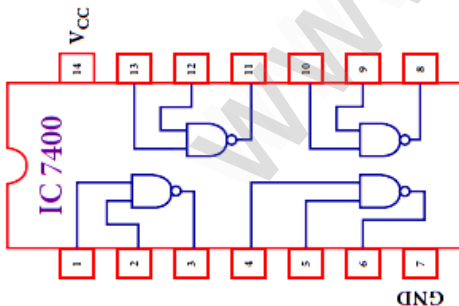
VERIFICATION TABLE

A	B	$Y = \bar{A}B + A\bar{B}$
0	0	0V
0	1	5V
1	0	5V
1	1	0V

**5) NAND gate**  $Y = \overline{AB}$

PINDIAGRAM , SYMBOL , TRUTH TABLE , VERIFICATION TABLE

PIN DIAGRAM-IC 7400



TRUTH TABLE

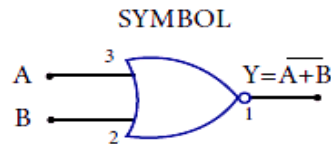
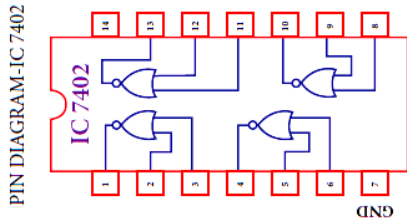
A	B	$Y = \overline{AB}$
0	0	1
0	1	1
1	0	1
1	1	0

VERIFICATION TABLE

A	B	$Y = \overline{AB}$
0	0	5V
0	1	5V
1	0	5V
1	1	0V

**6) NOR gate**  $Y = \overline{A + B}$ 

PINDIAGRAM, SYMBOL, TRUTH TABLE, VERIFICATION TABLE



TRUTH TABLE

A	B	$Y = \overline{A + B}$
0	0	1
0	1	0
1	0	0
1	1	0

VERIFICATION TABLE

A	B	$Y = \overline{A + B}$
0	0	5V
0	1	0V
1	0	0V
1	1	0V

CALCULATION**1) AND gate**  $Y = A \cdot B$ 

$$Y = 0 \cdot 0 = 0$$

$$Y = 1 \cdot 0 = 0$$

$$Y = 0 \cdot 1 = 0$$

$$Y = 1 \cdot 1 = 1$$

**2) OR gate**  $Y = A + B$ 

$$Y = 0 + 0 = 0$$

$$Y = 1 + 0 = 1$$

$$Y = 0 + 1 = 1$$

$$Y = 1 + 1 = 1$$

**3) NOT gate**  $Y = \overline{A}$ 

$$Y = \overline{0} = 1$$

$$Y = \overline{1} = 0$$

4 EX-OR gate  $Y = \bar{A}B + A\bar{B}$

$$Y = \bar{0}0 + 0\bar{0} = 0$$

$$Y = \bar{1}0 + 1\bar{0} = 1$$

$$Y = \bar{0}1 + 0\bar{1} = 1$$

$$Y = \bar{1}1 + 1\bar{1} = 0$$

5) NAND gate  $Y = \overline{AB}$

$$Y = \overline{00} = 1$$

$$Y = \overline{10} = 1$$

$$Y = \overline{01} = 1$$

$$Y = \overline{11} = 0$$

6) NOR gate  $Y = \overline{A+B}$

$$Y = \overline{0+0} = 1$$

$$Y = \overline{1+0} = 1$$

$$Y = \overline{0+1} = 1$$

$$Y = \overline{1+1} = 0$$

## RESULT

The truth table of logic gates AND, OR, NOT, Ex-OR, NAND and NOR using integrated circuits is verified

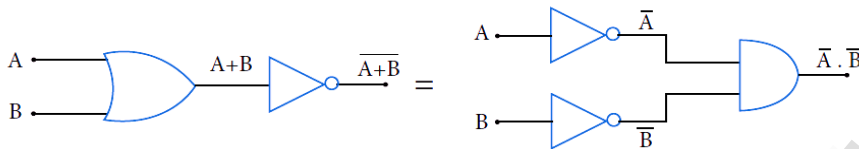
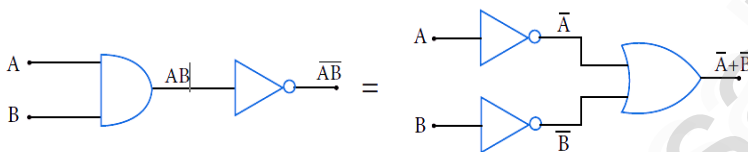
## 10. VERIFICATION OF DE MORGAN'S THEOREMS

**AIM:** To verify De Morgan's first and second theorems.

**COMPONENTS REQUIRED:** Power Supply (0 – 5V), IC 7400, 7408, 7432, 7404, and 7402, Digital IC trainer kit, connecting wires.

**FORMULA** De Morgan's first theorem  $\overline{A+B} = \bar{A} \cdot \bar{B}$ .

De Morgan's second theorem  $\overline{A \cdot B} = \bar{A} + \bar{B}$

**CIRCUIT DIAGRAM:****De Morgan's first theorem****De Morgan's second theorem****PROCEDURE:****i) Verification of De Morgan's first theorem**

- The connections are made for LHS  $[A + B]$  of the theorem as shown in the circuit diagram using appropriate ICs.
- The output is noted and tabulated for all combinations of logical inputs of the truth table.
- The same procedure is repeated for RHS  $[\bar{A} \cdot \bar{B}]$  of the theorem.
- From the truth table, it can be shown that  $\overline{A + B} = \bar{A} \cdot \bar{B}$

**ii) Verification of De Morgan's second theorem**

- The connections are made for LHS  $[\overline{A \cdot B}]$  of the theorem as shown in the circuit diagram using appropriate ICs.
- The output is noted and tabulated for all combinations of logical inputs of the truth table.
- The same procedure is repeated for RHS  $[\bar{A} + \bar{B}]$  of the theorem.
- From the truth table, it can be shown that  $\overline{A \cdot B} = \bar{A} + \bar{B}$

**OBSERVATION****De-Morgan's first theorem**

A	B	$\overline{A+B}$	$\bar{A} \cdot \bar{B}$
0	0	1	1
0	1	0	0
1	0	0	0
1	1	0	0

**De-Morgan's second theorem**

A	B	$\overline{A \cdot B}$	$\bar{A} + \bar{B}$
0	0	1	1
0	1	1	1
1	0	1	1
1	1	0	0

**CALCULATION****De-Morgan's first theorem**

$$\overline{A+B} = \bar{A} \cdot \bar{B}$$

LHS

RHS

$$A=0, B=0, \overline{A+B} = \overline{0+0} = \overline{0} = 1 \quad \bar{A} \cdot \bar{B} = \bar{0} \cdot \bar{0} = 1 \cdot 1 = 1$$

$$A=0, B=1, \overline{A+B} = \overline{0+1} = \overline{1} = 0 \quad \bar{A} \cdot \bar{B} = \bar{0} \cdot \bar{1} = 1 \cdot 0 = 0$$

$$A=1, B=0, \overline{A+B} = \overline{1+0} = \overline{1} = 0 \quad \bar{A} \cdot \bar{B} = \bar{1} \cdot \bar{0} = 0 \cdot 1 = 0$$

$$A=1, B=1, \overline{A+B} = \overline{1+1} = \overline{1} = 0 \quad \bar{A} \cdot \bar{B} = \bar{1} \cdot \bar{1} = 0 \cdot 0 = 0$$

**De-Morgan's second theorem**

$$\overline{A \cdot B} = \bar{A} + \bar{B}$$

LHS

RHS

$$A=0, B=0, \overline{A \cdot B} = \overline{0 \cdot 0} = \overline{0} = 1 \quad \bar{A} + \bar{B} = \bar{0} + \bar{0} = 1 + 1 = 1$$

$$A=0, B=1, \overline{A \cdot B} = \overline{0 \cdot 1} = \overline{0} = 1 \quad \bar{A} + \bar{B} = \bar{0} + \bar{1} = 1 + 0 = 1$$

$$A=1, B=0, \overline{A \cdot B} = \overline{1 \cdot 0} = \overline{0} = 1 \quad \bar{A} + \bar{B} = \bar{1} + \bar{0} = 0 + 1 = 1$$

$$A=1, B=1, \overline{A \cdot B} = \overline{1 \cdot 1} = \overline{1} = 0 \quad \bar{A} + \bar{B} = \bar{1} + \bar{1} = 0 + 0 = 0$$

**RESULT**

De Morgan's first and second theorems are verified.



PREPARED BY

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