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10 கணிதம். வரைபடம் - இரண்டாம் சமன்பாடுகள்.

மெல்லக் கற்போடுக்கான குறிப்புகள்

TIPS TO SLOW LEARNERS.

மெல்லக் கற்கும் மற்றும் கிராமப்புற மாணவர்களுக்கு, மிகக் கடினமாகத் தோன்றும் வரைபடம் பகுதியை ஆராய்வு எளிமையாகம் கற்க/கற்பிக்க, 10ம் வகுப்பு புதிய புத்தக பயிற்சியின்போது, அனைத்து ஆசிரியர்களாலும் வடிங்கப்பட்ட குறிப்புகளின் தொகுப்பு இது.

By: M. PALANIYAPPAN,
NERKUPPAI.

I. புள்ளிகள்: (POINTS).

→ தீர்வு காணவேண்டிய சமன்பாட்டை ($ax^2 + bx + c = 0$ வடிவில் உள்ளது) காரணிப்படுத்தி, கிடைக்கும் x ன் மதிப்பைப் 'பொதுத்து', x அச்சில் புள்ளிகளைத் தேர்ந்தெடுக்கலாம். இறைந்தபட்சம் 7 புள்ளிகள். For example, $x^2 + 3x - 4 = 0$ ஐத் தீர்க்க, $x = -4, 1$ கிடைக்கும். x அச்சில், -5 to 2 வரை 8 புள்ளிகள்.

→ காரணிப்படுத்துவதில், மிகவும் பலவீனமான மாணவர்களுக்கு, பின்வரும் உத்தி பயன்படலாம்:

1. தீர்வு காணவேண்டிய சமன்பாட்டின் x ன் கெடுகின் குறி '+' எனில், x அச்சில் தேவைப்படும் புள்ளிகள் -3 to 3 (7 புள்ளிகள்).

x ன் கெடு '0' எனும்போதும் (i.e. $x^2 + 1 = 0$). -3 to 3 பொதுமானது.

'+', '0' வகையில் புத்தகத்தில் 10 கணக்குகள் உள்ளது. (எகா 3.48(i), பயி 3.15-5) தவிர்த்து, மற்ற 8 கணக்குகளுக்கும் கிந்த உத்தி பயனளிக்கிறது.

2. x ன் கெடுகின் குறி '-' மைனஸ் எனில், x அச்சில் தேவைப்படும் புள்ளிகள் 0 to 6 (7 புள்ளிகள்). கிந்த வகையில் 10 கணக்குகள் உள்ளது. பயி 3.15-7, 8 தவிர மற்ற 8 கணக்கு - களுக்கு கிவ்வுத்தி பொருந்நிகுதி.

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→ நெர்கொடு வரைய, x அச்சில் $-1, 0, 1$ ஆகிய மூன்று புள்ளிகள் பொதுமானது. கிடு புள்ளிகளை பொதும். என்னும், ஏதேனும் ஒரு புள்ளி தவறானால், கொடு தவறானதும் 3 புள்ளியில், தவறு நெர்கொடு, கொடு வரைய கிவ்வுத்தி. ∴ மூன்று அவசியம்.

II. அட்டவணை: (Table)

→ 20ல் 17 கணக்குகளுக்கு, x^2 ன் கெடு 1 ஆக உள்ளது. ஆகவே, வர்க்க வாய்ப்பாட்டை மனமும் செய்கும் வேண்டும். முச்சியத்தில் தொடங்கி, 1, 4, 9, 16, 25, 36... என x^2 வரிசையை நிரப்பலாம். 0 க்கு கிடப்பும் அதனை கிடவலமாக (Reverse order). நிரப்பலாம்.

→ x ன் எண் கெடுகுவைக் குறித்து, அதன் வாய்ப்பாட்டை நினைவுகூற வேண்டும். 2தாரணமாக, 5x எனில், 5ம் வாய்ப்பாட்டை, 0-ல் கிவ்வுத்தி, 5, 10, 15 என அந்த வரிசையில் எழுதும். 3க்கு கிடப்பும் reverse orderல் எழுதி, குறைக்கூறி (-) கிடவலமும்.

→ x ன் குறி '-' எனில், மெற்கூறிய வகையில் வரிசையை நிரப்பியபிறகு, அதனைத் தேவைகளுக்கும் குறியை மாற்றிவிட வேண்டும்.

→ அட்டவணையில், 'y' வரிசைக்கும் (Last) 'மாறிலி' வரிசைக்கும் கிடைசிய கிடு வரிசைகளை உருவாக்கவேண்டும். முதல் வரிசையில், '+' குறி உள்ள எண்களை கூட்டி எழுதிடவும், 2ம் வரிசையில் '-' குறி உள்ள எண்களைக் கூட்டி, குறைக்கூறிவிட்டு எழுதிடவும் பயின்றால், +, - கூட்டல் கழித்தலால் தவறு நெருங்கு.

III. மந்த்றவை (Others):

→ அதனைத்துக் கணக்குகளுக்கும் ஒரே அளவுத்திட்டம் பொருந்நிகுதி. எதாவது, x அச்சில் → 1 எசு = 1 அளவு y அச்சில் → 1 எசு = 2 அளவுகள்

→ வரைபடத்தானில், x, y அச்சுகள் வரைய, அதனை கிடுசமபாகவர்க்கு மிரிக்கும் வகையில் அமையலாம். கிடு அதனைத்துக் கணக்குகளுக்கும் பொருந்நிகுதி.



INDEX

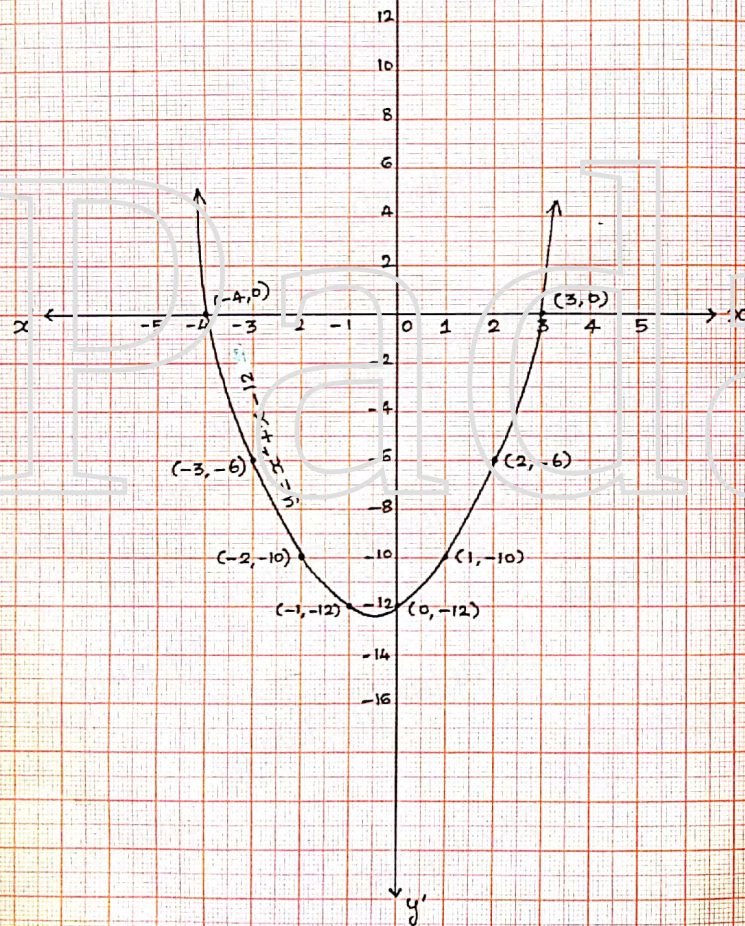
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No.	Date	Title	Marks / Pages	Signature
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		<u>GRAPH NOTE.</u>		
		2019-20.		
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SCALE

x axis: 1 cm = 1 unit

y axis: 1 cm = 2 units.

① Discuss the nature of solutions: $x^2 + x - 12 = 0$ Example
3.48 (b)
Pg. 125

Soln: $x^2 + x - 12 = 0$

$$(x-3)(x+4) = 0$$

$$\therefore x = 3, -4.$$

$$\begin{array}{r|l} -12 & 1 \\ 1 & -12x \\ 2 & -6x \\ 3 & -4x \\ -3 & 4 \end{array}$$

Hence, we need 8 points in x axis. (-4 to 3).

I. TABLE: Let us find the points for $y = x^2 + x - 12$.

x	-4	-3	-2	-1	0	1	2	3
x^2	16	9	4	1	0	1	4	9
x	-4	-3	-2	-1	0	1	2	3
-12	-12	-12	-12	-12	-12	-12	-12	-12
TOTAL +	16	9	4	1	0	2	6	12
-	-16	-15	-14	-13	-12	-12	-12	-12
y	0	-5	-10	-12	-12	-10	-5	0

II. POINTS: $(-4, 0)$ $(-3, -6)$ $(-2, -10)$ $(-1, -12)$ $(0, -12)$ $(1, -10)$ $(2, -6)$ $(3, 0)$ III. Points of intersection with x axis: $(-4, 0)$ and $(3, 0)$. Hence, x-coordinates, -4 and 3.IV. SOLUTION:

Parabola intersects the x-axis at two distinct points. Hence, the eqn. $x^2 + x - 12 = 0$ has 'REAL and UNEQUAL' Roots.

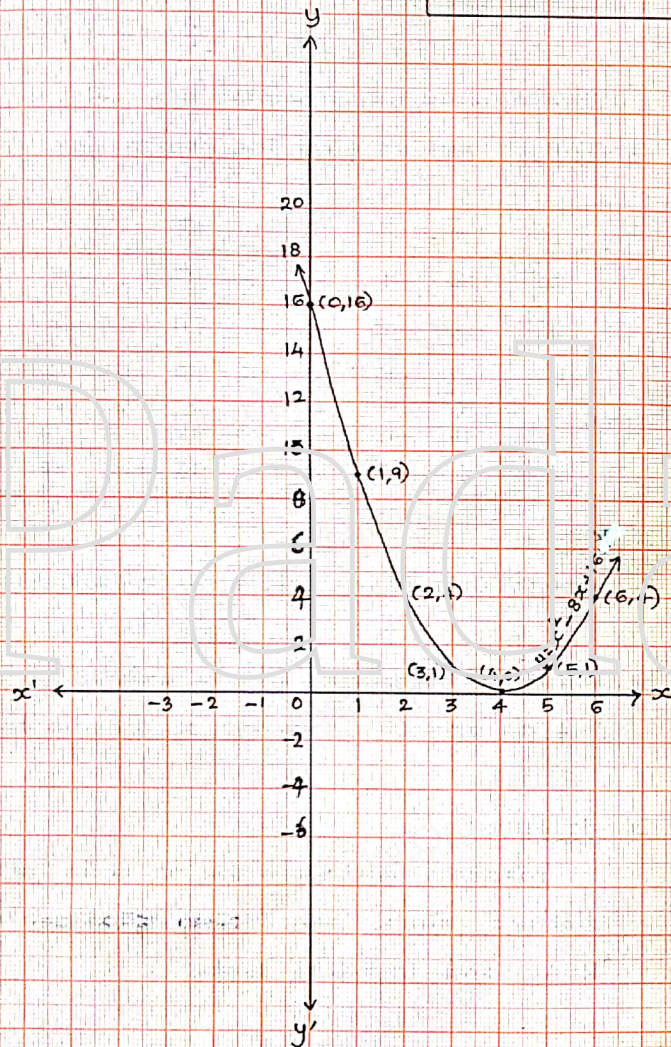
V. SCALE: x axis: 1 cm = 1 unit.

y axis: 1 cm = 2 units.

SCALE

x axis: 1 cm = 1 unit

y axis: 1 cm = 2 units.



②

Discuss the nature of solutions: $x^2 - 8x + 16 = 0$.

Example

Soln:

$$x^2 - 8x + 16 = 0$$

3.48 (11)

$$(x-4)(x-4) = 0 \quad \therefore x = 4.$$

Pg: 125.

$$\begin{array}{r|l} 16 & -8 \\ -1 & 16 \times \\ -4 & -4 \checkmark \end{array}$$

Thus, we need 7 points in x axis (0 → 6)

I. TABLE:Let us find the points for $y = x^2 - 8x + 16$.

x	0	1	2	3	4	5	6
x^2	0	1	4	9	16	25	36
$-8x$	0	-8	-16	-24	-32	-40	-48
16	16	16	16	16	16	16	16
Total: +	16	17	20	25	32	41	52
-	0	-8	-16	-24	-32	-40	-48
	16	9	4	1	0	1	4

II. POINTS: (0, 16) (1, 9) (2, 4) (3, 1) (4, 0) (5, 1) (6, 4)III. Points of intersection with x axis:

(4, 0) x co-ordinate is 4.

IV. SOLUTIONS:

Parabola intersect the x axis at only one point. Hence, the eqn. $x^2 - 8x + 16 = 0$ has REAL and EQUAL ROOTS.

V. SCALE:

x axis: 1 cm = 1 unit

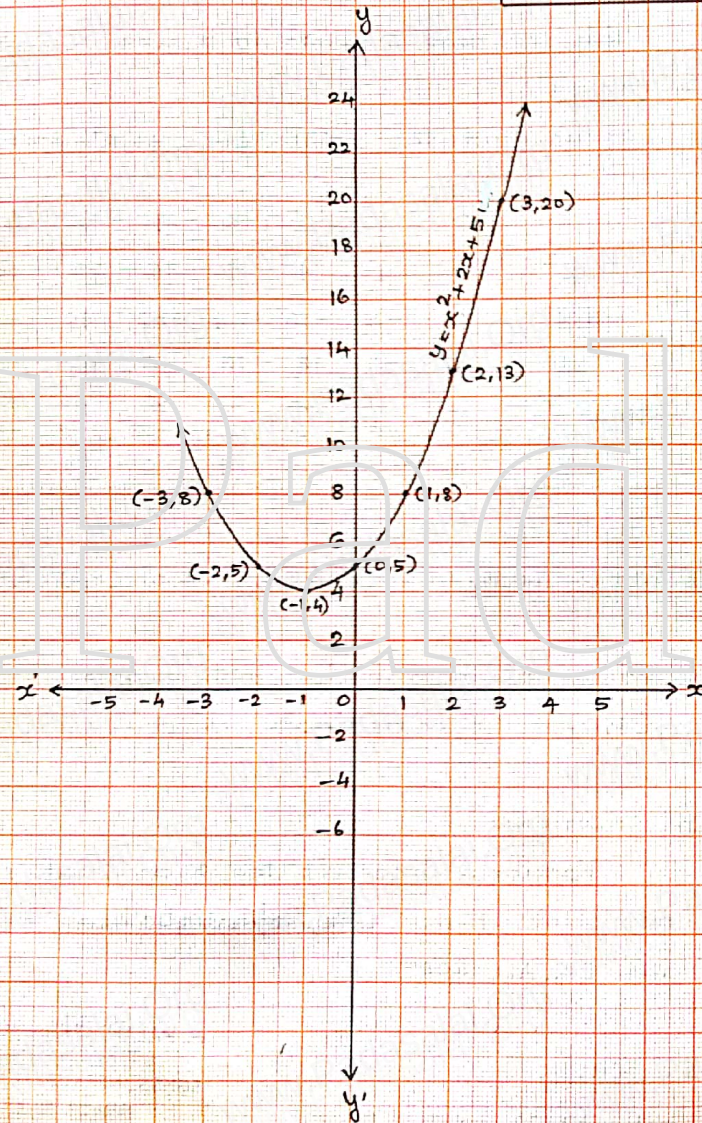
y axis: 1 cm = 2 units.

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SCALE

x axis: 1cm = 1 unit

y axis: 1cm = 2 units.

(3) Discuss the nature of solutions: $x^2 + 2x + 5 = 0$.

Example

3.48 (iii)

Pg. 127.

Soln:

$$x^2 + 2x + 5 = 0$$

 $\therefore$ No solution.

Hence, we have 7 points in x axis (-3 to 3).

I. TABLE:Let us find the points for $y = x^2 + 2x + 5$

x	-3	-2	-1	0	1	2	3
x^2	9	4	1	0	1	4	9
$2x$	-6	-4	-2	0	2	4	6
5	5	5	5	5	5	5	5
Total: +	14	9	6	5	8	13	20
-	-6	-4	-2	0	2	4	6
y	8	5	4	5	8	13	20

II. POINTS (-3, 8) (-2, 5) (-1, 4) (0, 5) (1, 8)
(2, 13) (3, 20)

III. POINT OF INTERSECTION with x axis:

Does not intersect x axis.

IV. SOLUTIONS:

Parabola does not intersect or touch the x axis. Hence the eqn. $x^2 + 2x + 5 = 0$ has NO REAL ROOT.

V. SCALE:

x axis: 1cm = 1 unit

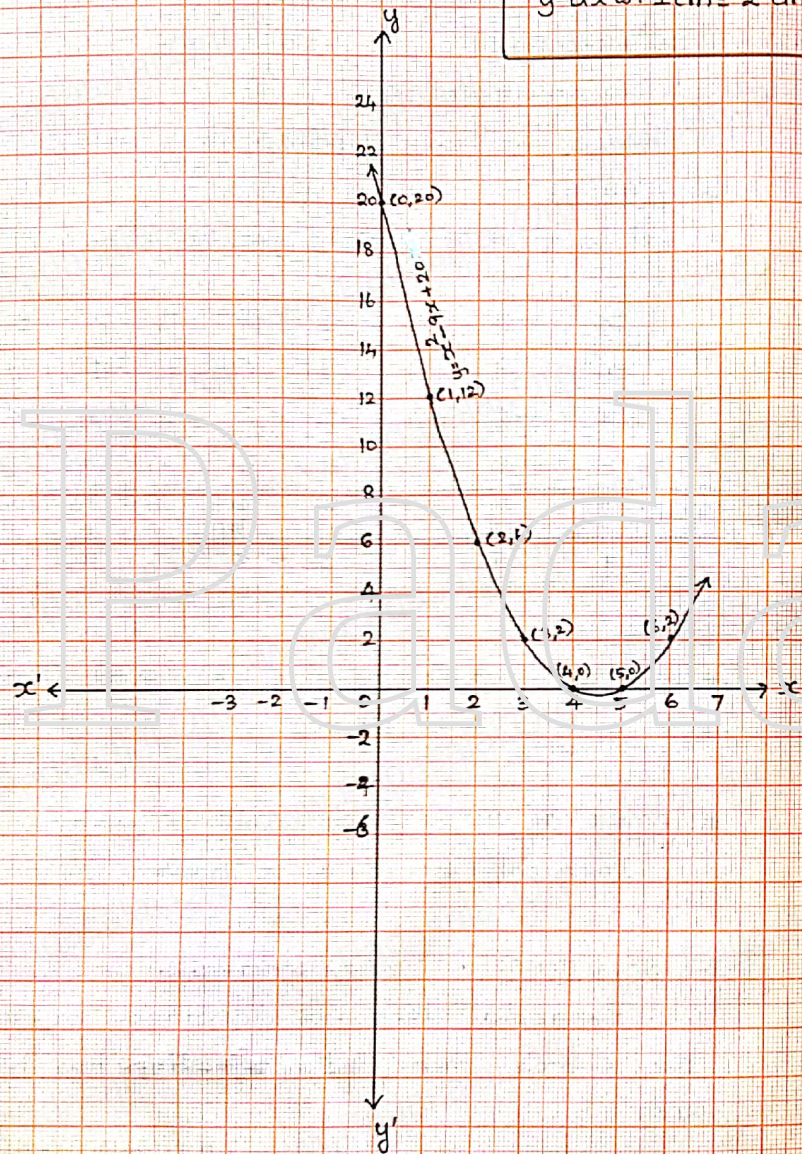
y axis: 1cm = 2 unit.

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SCALE

x axis: 1 cm = 1 unit

y axis: 1 cm = 2 units.



④

State the nature of solutions: $x^2 - 9x + 20 = 0$.

Ex 3.15

1 (i)

Pg. 132

Soln: $x^2 - 9x + 20 = 0$

$$(x-4)(x-5) = 0$$

$$\therefore x = 4, 5.$$

$$\begin{array}{r|l} 20 & -9 \\ -1 & 20 = -21 \times \\ -2 & 10 = -12 \times \\ -4 & 5 = -9 \checkmark \end{array}$$

We need 7 points in x axis (0 to 6)

I. TABLE:Let us find the points for $y = x^2 - 9x + 20$.

x	0	1	2	3	4	5	6
x^2	0	1	4	9	16	25	36
$-9x$	0	-9	-18	-27	-36	-45	-54
20	20	20	20	20	20	20	20
Total: +	20	21	24	27	36	45	56
-	0	-9	-18	-27	-36	-45	-54
y	20	12	6	2	0	0	2

II. POINTS: (0, 20), (1, 12), (2, 6), (3, 2), (4, 0), (5, 0), (6, 2)III. POINT OF INTERSECTION with x axis:

(4, 0) and (5, 0). x co-ordinates 4 and 5.

IV. SOLUTIONS:

Parabola intersects the x axis at two distinct points. Hence, the eqn. $x^2 - 9x + 20 = 0$ has REAL and UNEQUAL Roots.

V. SCALE:

x axis: 1 cm = 1 unit

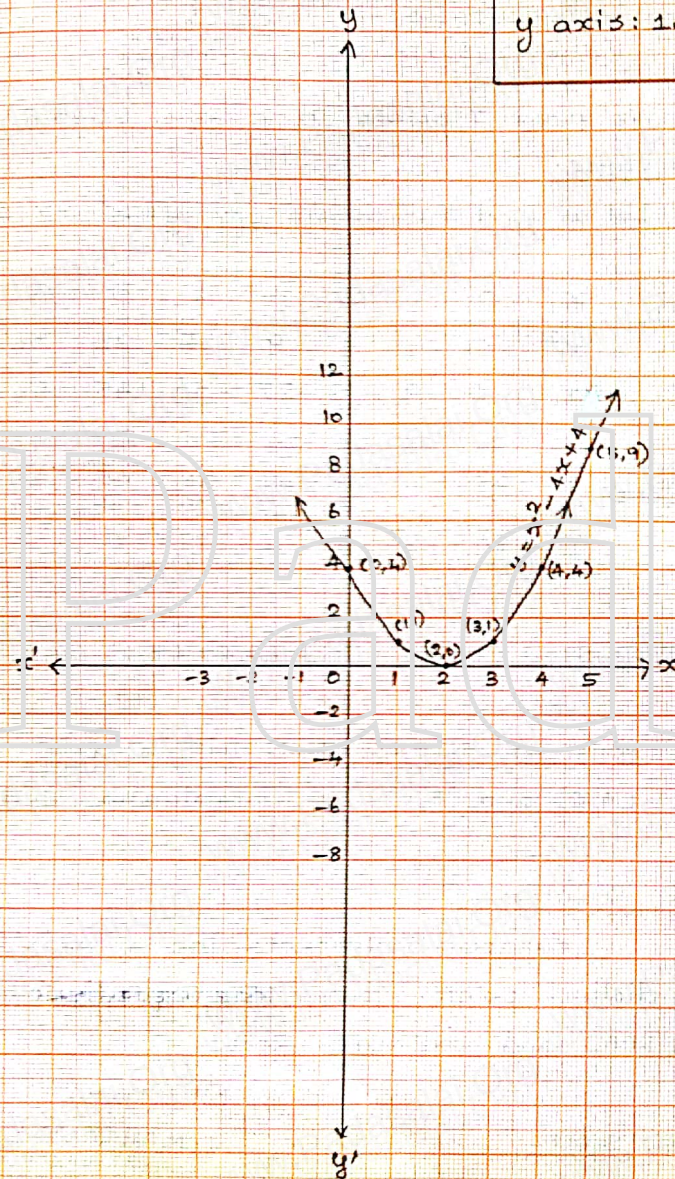
y axis: 1 cm = 2 units.

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SCALE.

x axis: 1cm = 1 unit

y axis: 1cm = 2 units



⑤

State the nature of solutions: $x^2 - 4x + 4 = 0$ Ex 3.15
1(d)
Pg. 132

Soln: $(x^2 - 4x + 4) = 0$

$(x-2)(x-2) = 0$

$\therefore x = 2$

4	-4
-2	-2 = -4 ✓
-1	-4 = -5 ✗

Required points in x axis: 0 - 5 (5 points)

I. TABLE:Let us find the points for $y = x^2 - 4x + 4$

x	0	1	2	3	4	5
x^2	0	1	4	9	16	25
$-4x$	0	-4	-8	-12	-16	-20
4	4	4	4	4	4	4
Sum	4	1	0	1	4	9

II. POINTS: (0, 4) (1, 1) (2, 0) (3, 1) (4, 4) (5, 9)III. POINT OF INTERSECTION with x axis:

(2, 0). x co-ordinate is 2.

IV. SOLUTIONS:

Parabola intersect the x axis at only one point. Hence, the equation $x^2 - 4x + 4 = 0$ has REAL and EQUAL roots.

V. SCALE:

x axis: 1cm = 1 unit

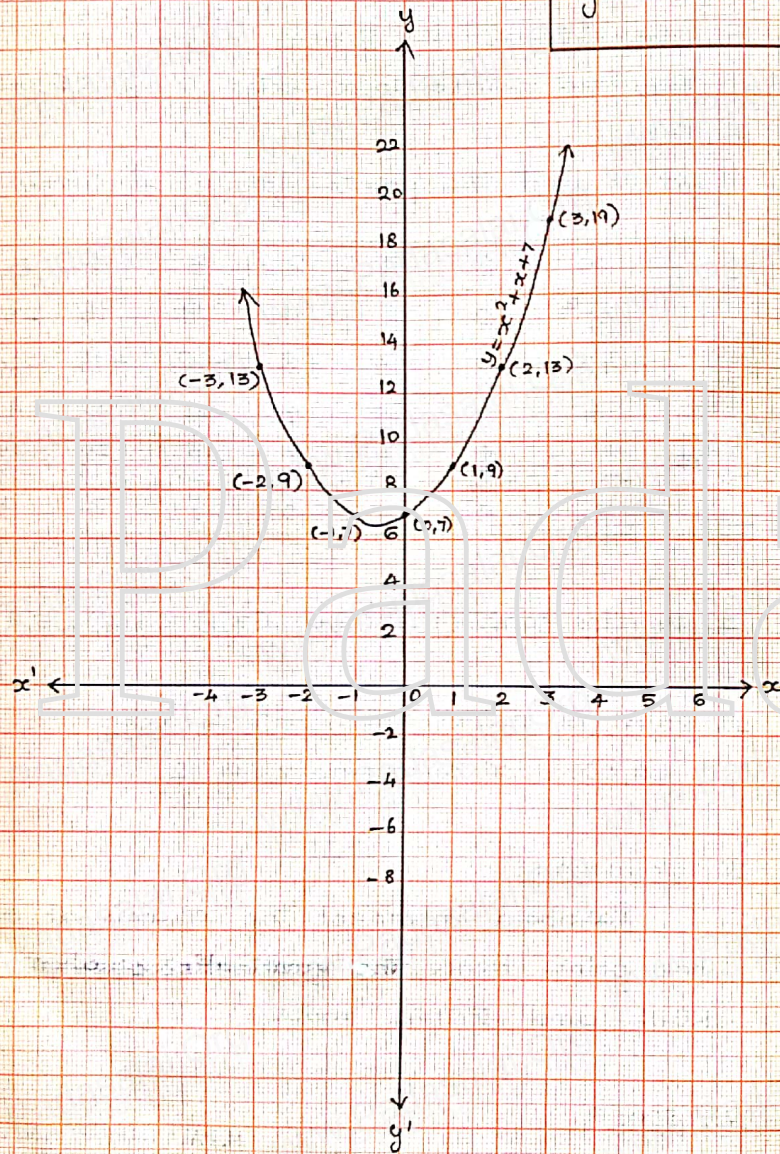
y axis: 1cm = 2 units.

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SCALE

x-axis: 1cm = 1 unit

y-axis: 1cm = 2 units.

⑥ Discuss the nature of solutions: $x^2 + x + 7 = 0$

Ex 3.15

1 (iii)

Pg. 132.

Soln: $x^2 + x + 7 = 0$

No solution.

$$\begin{array}{r|l} 7 & 1 \\ 1 & 7 = 8x \\ 7 & 1 = 8x \end{array}$$

Hence, required points in x axis is (-3 to 3) 7 pts

I. TABLE:Let us find the points for $y = x^2 + x + 7$

x	-3	-2	-1	0	1	2	3
x^2	9	4	1	0	1	4	9
x	-3	-2	-1	0	1	2	3
7	7	7	7	7	7	7	7
Tot $y \pm$	16	11	8	7	9	13	19
y	13	9	7	7	9	13	19

II. POINTS: (-3, 13) (-2, 9) (-1, 7) (0, 7) (1, 9) (2, 13) (3, 19)III. POINT OF INTERSECTION with x axis.

Does not intersect x axis

IV. SOLUTIONS:

Parabola does not intersect or touch the x-axis. Hence the equation $x^2 + x + 7 = 0$ has NO REAL ROOTS.

V. SCALE:

x-axis: 1cm = 1 unit

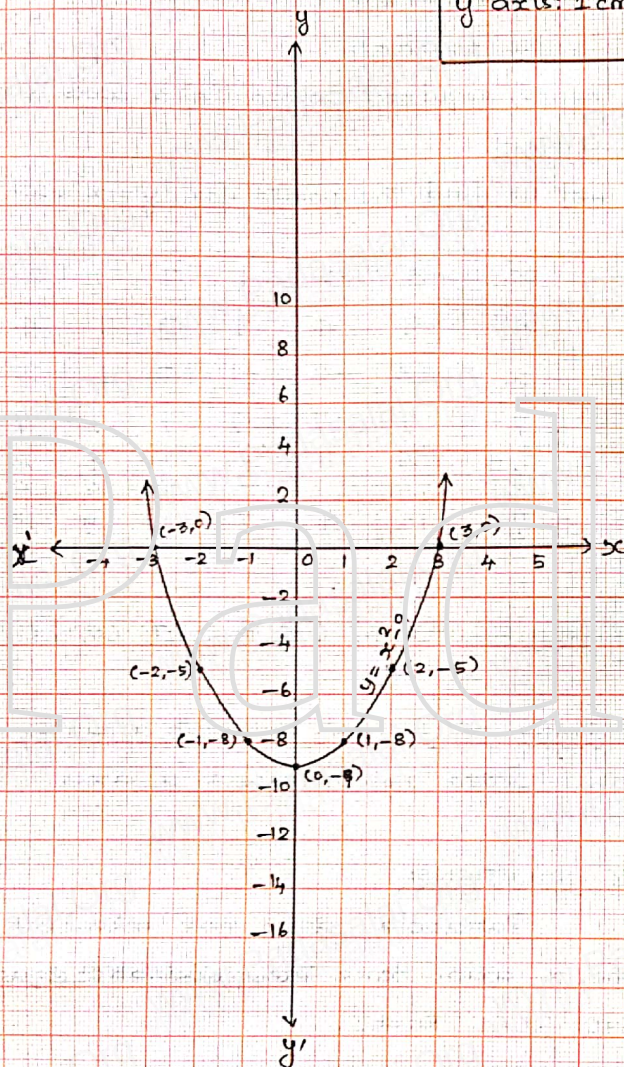
y-axis: 1cm = 2 units.

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SCALE

x axis: 1cm = 1 unit

y axis: 1cm = 2 units.



(7)

Ex: 3.15

10v)

Pg: 132.

Discuss the nature of solutions: $x^2 - 9 = 0$ Soln: $x^2 - 9 = 0$

$$(x+3)(x-3) = 0$$

$$\begin{array}{r} -9 \overline{) 0} \\ 1 \cdot 9 = -8 \\ \hline 3 \cdot 3 = 0 \end{array}$$

 $\therefore x = -3, +3$. Required points -3 to 3 (7 points)I. TABLE:Let us find the points of $y = x^2 - 9$.

x	-3	-2	-1	0	1	2	3
x^2	9	4	1	0	1	4	9
-9	-9	-9	-9	-9	-9	-9	-9
y	0	-5	-8	-9	-8	-5	0

II. POINTS: $(-3, 0)$ $(-2, -5)$ $(-1, -8)$ $(0, -9)$ $(1, -8)$ $(2, -5)$ $(3, 0)$ III. POINTS OF INTERSECTION with x axis: $(-3, 0)$ and $(3, 0)$. x coordinates -3 and 3.IV. SOLUTION:

The parabola intersects x axis at two distinct points. Hence the equation, $x^2 - 9 = 0$ has REAL and UNEQUAL roots.

V. SCALE:

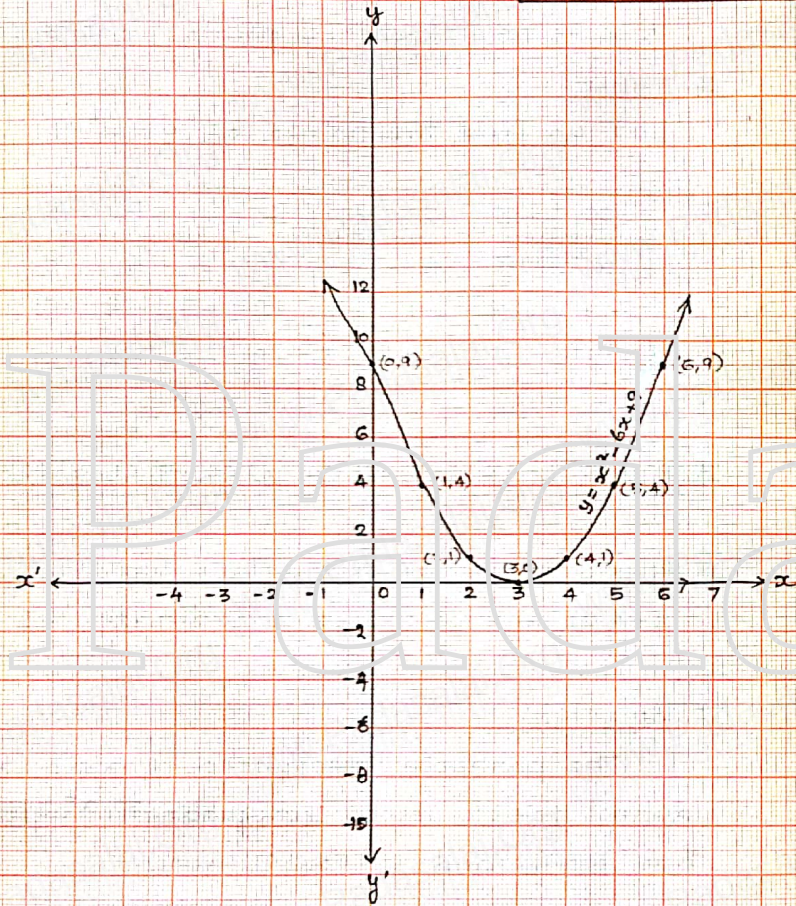
x axis: 1cm = 1 unit.

y axis: 1cm = 2 units.

SCALE

x axis: 1cm = 1 unit

y axis: 1cm = 2 units.



Ex: 3.15
1 (V)
Pg: 132.

8) Discuss the nature of solutions: $x^2 - 6x + 9 = 0$ Soln: $x^2 - 6x + 9 = 0$

$$(x-3)(x-3) = 0 \quad \therefore x = 3, 3.$$

$$\begin{array}{r|l} 9 & -6 \\ -1 & 9 = -10x \\ -3 & 3 = -6 \checkmark \end{array}$$

Required points: 0-6 (7 points)

I. TABLE:Let us find the points for $y = x^2 - 6x + 9$.

x	0	1	2	3	4	5	6
x^2	0	1	4	9	16	25	36
$-6x$	0	-6	-12	-18	-24	-30	-36
9	9	9	9	9	9	9	9
Total: +	9	10	13	18	25	34	45
-	0	-6	-12	-18	-24	-30	-36
y	9	4	1	0	1	4	9

II. POINTS: (0, 9), (1, 4), (2, 1), (3, 0), (4, 1), (5, 4), (6, 9)III. POINTS OF INTERSECTION with x-axis:

(3, 0). x co-ordinate is 3.

IV. SOLUTION:

The parabola intersect x axis at only one point. Hence, $x^2 - 6x + 9 = 0$ has REAL and EQUAL Roots.

V. SCALE:

x axis: 1cm = 1 unit

y axis: 1cm = 2 units.

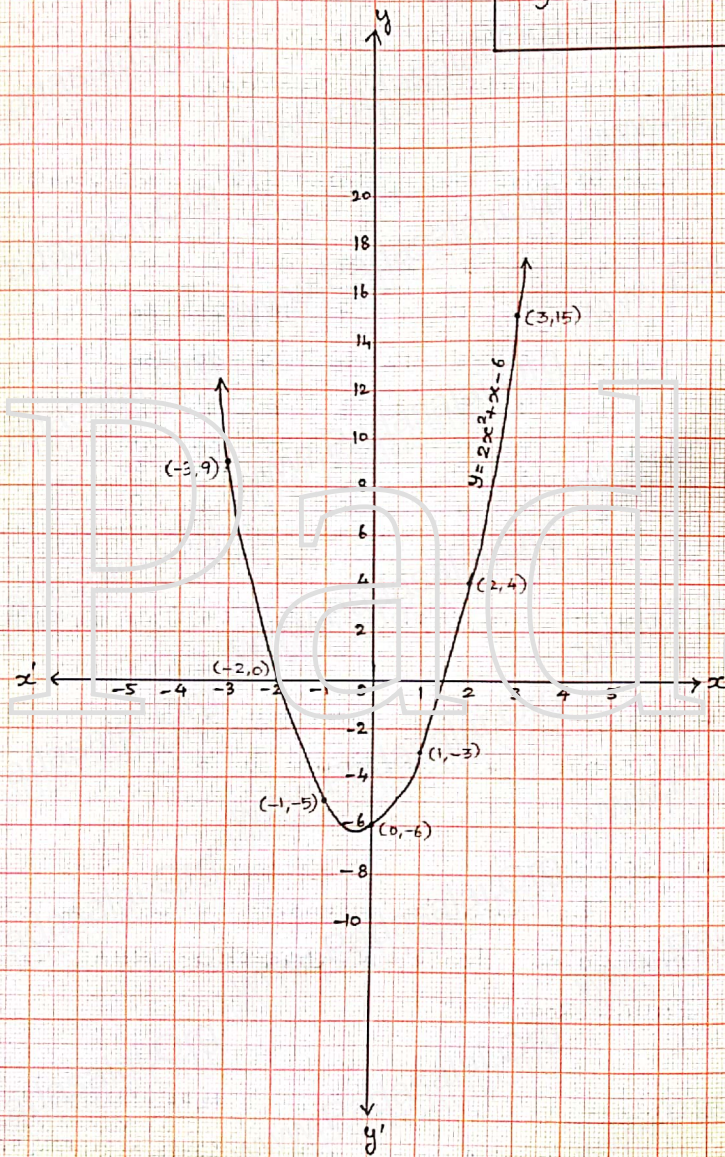
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SCALE

x axis: 1cm = 1 unit

y axis: 1cm = 2 units.



Ex 3.15
1. (vi)
Pg. 132.

(9) Discuss the nature of solution: $(2x-3)(x+2) = 0$

Soln: $(2x-3)(x+2) = 0 \Rightarrow 2x^2 + 4x - 3x - 6 = 2x^2 + x - 6 = 0$

$$2x-3=0 \Rightarrow 2x=3 \Rightarrow x=3/2=1.5$$

$$x+2=0 \Rightarrow x=-2 \therefore x=-2, 1.5$$

Required points: -3 to 3. (7 points).

I. TABLE:

Let us find the points for $y = 2x^2 + x - 6$.

x	-3	-2	-1	0	1	2	3
x^2	9	4	1	0	1	4	9
$2x^2$	18	8	2	0	2	8	18
x	-3	-2	-1	0	1	2	3
-6	-18	-12	-6	-6	-6	-12	-18
Total	18	8	2	0	2	10	21
y	9	0	-5	-6	-3	4	15

II. POINTS:

$(-3, 9), (-2, 0), (-1, -5), (0, -6), (1, -3), (2, 4), (3, 15)$

III. POINTS OF INTERSECTION with x-axis:

$(-2, 0)$ and $(1.5, 0)$ x co-ordinates -2, 1.5.

IV. SOLUTION:

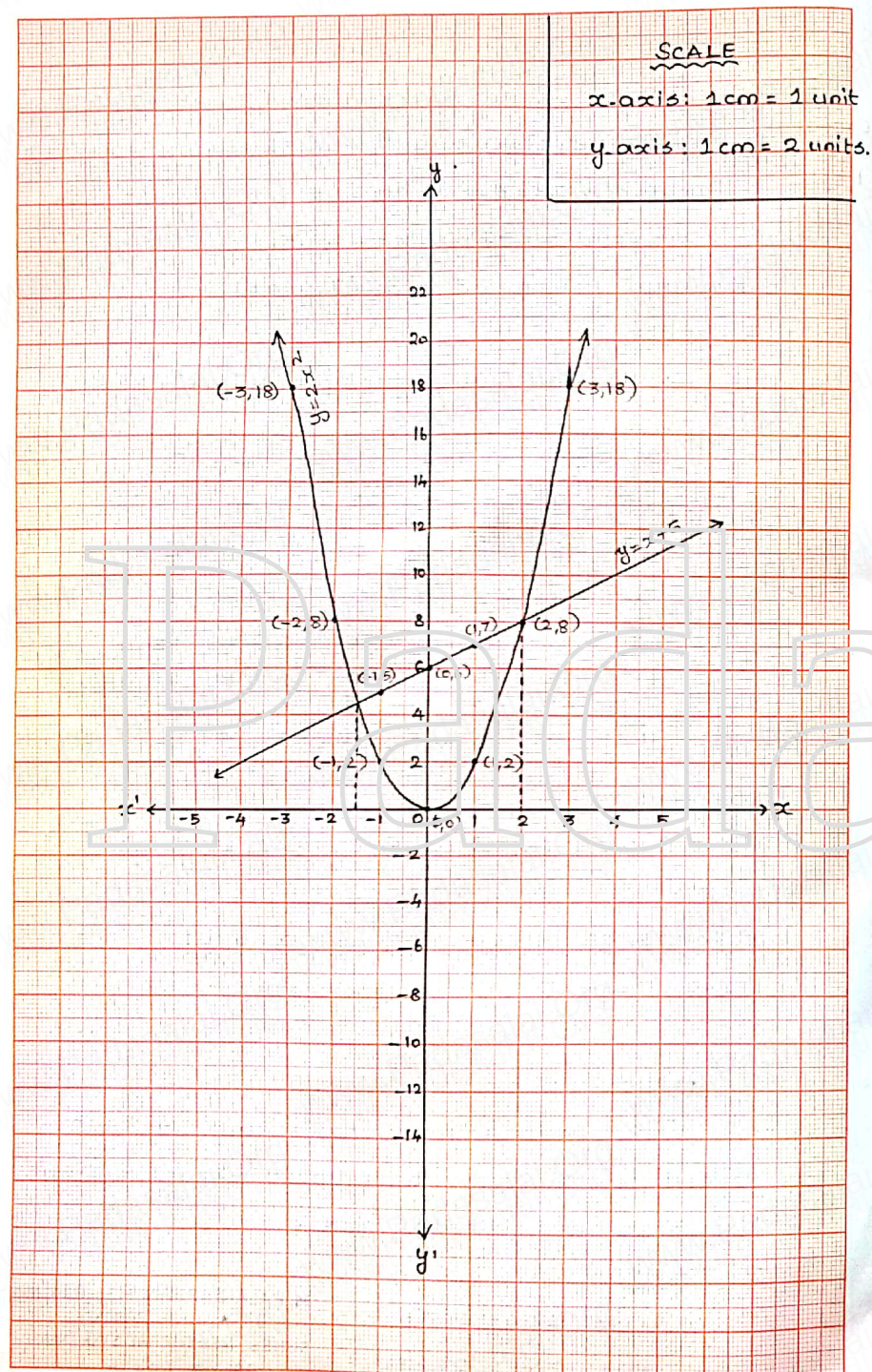
The parabola intersects x axis at TWO distinct points. Hence, the equation $(2x-3)(x+2) = 0$ has REAL and UNEQUAL Roots.

V. SCALE:

x axis: 1cm = 1 unit

y axis: 1cm = 2 units.

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(10)

Draw the graph of $y = 2x^2$ and hence solve $2x^2 - x - 6 = 0$

Example 3.49

Pg. 130

$$2x^2 - x - 6 = 0 \Rightarrow (2x+3)(x-2) = 0$$

$$\therefore 2x = -3 \Rightarrow x = -3/2 = -1.5, x = 2.$$

 $\therefore x = -1.5, 2$. Required points: -3 to 3 (7 points).
I. TABLE-1: (Parabola)Let us find the points of $y = 2x^2$

x	-3	-2	-1	0	1	2	3
x^2	9	4	1	0	1	4	9
$y = 2x^2$	18	8	2	0	2	8	18

II. POINTS: $(-3, 18), (-2, 8), (-1, 2), (0, 0), (1, 2), (2, 8), (3, 18)$ III. TABLE-2: (Straight Line)

$$y = 2x^2 \quad (-)$$

$$0 = 2x^2 - x - 6$$

$$y = x + 6.$$

Let us find the points of $y = x + 6$

$$x = -1 \Rightarrow y = -1 + 6 = 5$$

$$x = 0 \Rightarrow y = 0 + 6 = 6$$

$$x = 1 \Rightarrow y = 1 + 6 = 7$$

$(-1, 5)$
 $(0, 6)$
 $(1, 7)$

IV. POINTS: $(-1, 5), (0, 6), (1, 7)$ V. POINT OF INTERSECTION:
 $(-1.5, 4.5)$ and $(2, 8)$. x coordinates: -1.5, 2.
VI. SOLUTION: $x = -1.5$ and 2.VII. SCALE:

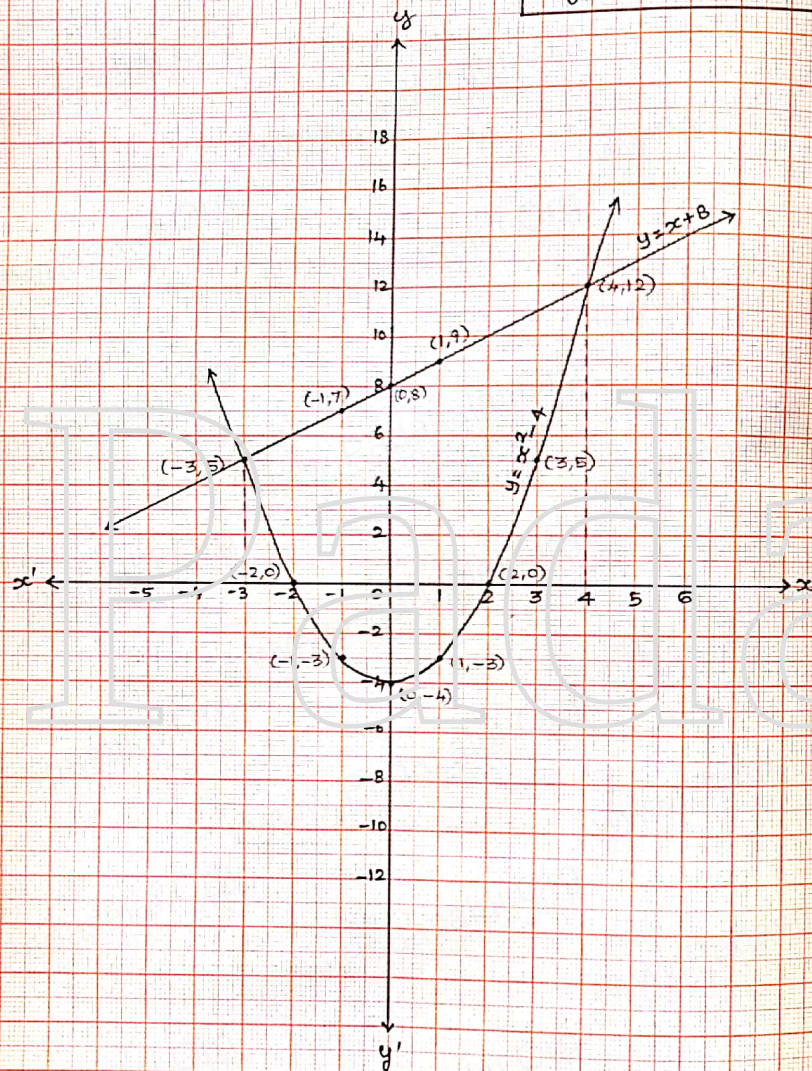
x axis: 1 cm = 1 unit.

y axis: 1 cm = 2 units.

SCALE

x axis: 1 cm = 1 unit

y axis: 1 cm = 2 units.



(11)

Draw the graph of $y = x^2 - 4$ and hence solve

Ex 3.15

$$x^2 - x - 12 = 0$$

(2)

Pg: 132

Solu: $x^2 - x - 12 = 0 \Rightarrow (x+3)(x-4) = 0$

$$\therefore x = -3, 4. \text{ Reqd. points } -3 \text{ to } 4 \text{ (8 points)}$$

$$\begin{array}{r|l} -12 & -1 \\ \hline 1 & -12 = -11 \times \\ 2 & -6 = -4 \times \\ 3 & -4 = -1 \checkmark \end{array}$$

I. TABLE-1: Parabola

Let us find the points of $y = x^2 - 4$.

x	-3	-2	-1	0	1	2	3	4
x^2	9	4	1	0	1	4	9	16
-4	-4	-4	-4	-4	-4	-4	-4	-4
y	5	0	-3	-4	-3	0	5	12

II. POINTS: $(-3, 5), (-2, 0), (-1, -3), (0, -4), (1, -3), (2, 0)$ $(3, 5), (4, 12)$

III. TABLE-2: Straightline

$$y = x^2 - 4$$

$$0 = x^2 - 4 \Rightarrow x = \pm 2$$

$$y = -x + 8$$

Points of $y = x + 8$ are...

$$x = -1 \Rightarrow y = -1 + 8 = 7$$

 $(-1, 7)$

$$x = 0 \Rightarrow y = 0 + 8 = 8$$

 $(0, 8)$

$$x = 1 \Rightarrow y = 1 + 8 = 9$$

 $(1, 9)$

IV. POINT OF INTERSECTION:

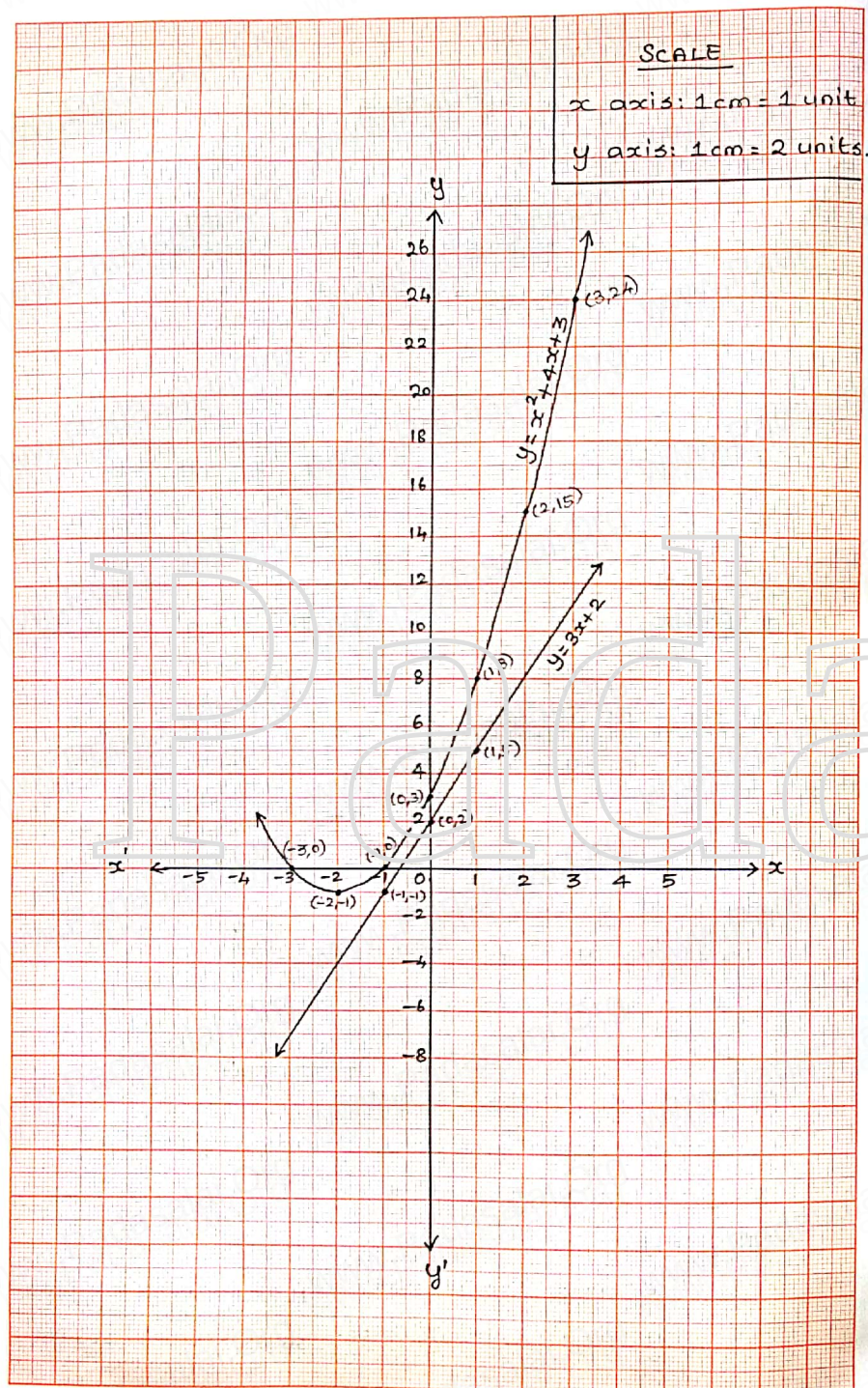
 $(-3, 5)$ and $(4, 12)$. x co-ordinates: $-3, 4$.V. SOLUTION: $x = -3$ and 4

VI. SCALE:

x axis: 1 cm = 1 unit

y axis: 1 cm = 2 units.

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(12) Draw the graph of $y = x^2 + 4x + 3$ and hence find the roots of $x^2 + x + 1 = 0$

3.50

Pg: 350.

Soln: $x^2 + x + 1 = 0$ has no solution. $\frac{1}{1} \mid \frac{1}{1} = 2x$

$\therefore$ Reqd. points: -3 to 3 (7 points).

I. TABLE-1: Parabola

Let us find the points for $y = x^2 + 4x + 3$.

x	-3	-2	-1	0	1	2	3
x^2	9	4	1	0	1	4	9
$4x$	-12	-8	-4	0	4	8	12
3	3	3	3	3	3	3	3
Pos: +ve	12	7	4	3	8	15	24
-ve	-12	-8	-4	0	0	0	0
y	0	-1	0	3	8	15	24

II. POINTS: $(-3, 0)$, $(-2, -1)$, $(-1, 0)$, $(0, 3)$, $(1, 8)$, $(2, 15)$, $(3, 24)$

III. TABLE-2: Straight Line

$$y = x^2 + 4x + 3 \quad (-)$$

$$0 = x^2 + 4x + 3$$

$$y = 3x + 2$$

$$x = -1 \Rightarrow y = 3(-1) + 2 = -3 + 2 = -1$$

$$(-1, -1)$$

$$x = 0 \Rightarrow y = 3(0) + 2 = 0 + 2 = 2$$

$$(0, 2)$$

$$x = 1 \Rightarrow y = 3(1) + 2 = 3 + 2 = 5$$

$$(1, 5)$$

IV. POINTS: $(-1, -1)$, $(0, 2)$, $(1, 5)$

V. POINT OF INTERSECTION:

Does not intersect.

VI. SOLUTION: No solution. Roots are UNREAL.

VII. SCALE:

x axis: 1cm = 1 unit.

y axis: 1cm = 2 units.

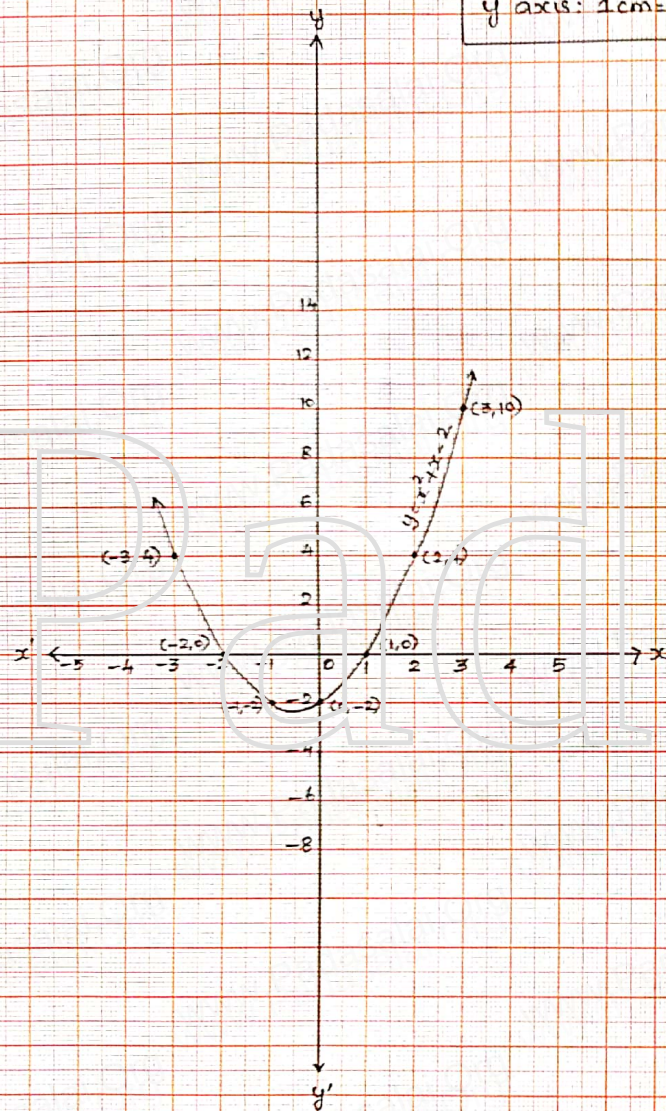
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SCALE

x axis: 1cm = 1 unit

y axis: 1cm = 2 units.



(13)

Draw the graph of $y = x^2 + x - 2$ and hence

Example: 3.51

Solve $x^2 + x - 2 = 0$.

Pg: 131

Soln: $x^2 + x - 2 = 0 \Rightarrow (x+2)(x-1) = 0$ $\therefore x = -2, 1$. Reqd. points -3 to 3 (7 points)

$$\begin{array}{r|l} -2 & 1 \\ 1 & -2 = -1 \times \\ 2 & -1 = 1 \times \end{array}$$

I. TABLE-1: Parabola.

Let us find the points for $y = x^2 + x - 2$.

x	-3	-2	-1	0	1	2	3.
x^2	9	4	1	0	1	4	9
x	-3	-2	-1	0	1	2	3.
-2	-2	-2	-2	-2	-2	-2	-2
Tot: y+ve	9	4	1	0	2	6	12
y-ve	-5	-4	-3	-2	-2	-2	-2
y	4	0	-2	-2	0	4	10

II. POINTS: $(-3, 4), (-2, 0), (-1, -2), (0, -2), (1, 0), (2, 4), (3, 10)$

III. TABLE-2: Straight line.

$$y = x^2 + x - 2 \quad (-)$$

$$0 = x^2 + x - 2$$

$$y = 0 \Rightarrow x \text{ axis.}$$

IV. POINT OF INTERSECTION:-

 $(-2, 0)$ and $(1, 0)$. x coordinates: -2 and 1.V. Solution: $x = -2$ and 1.

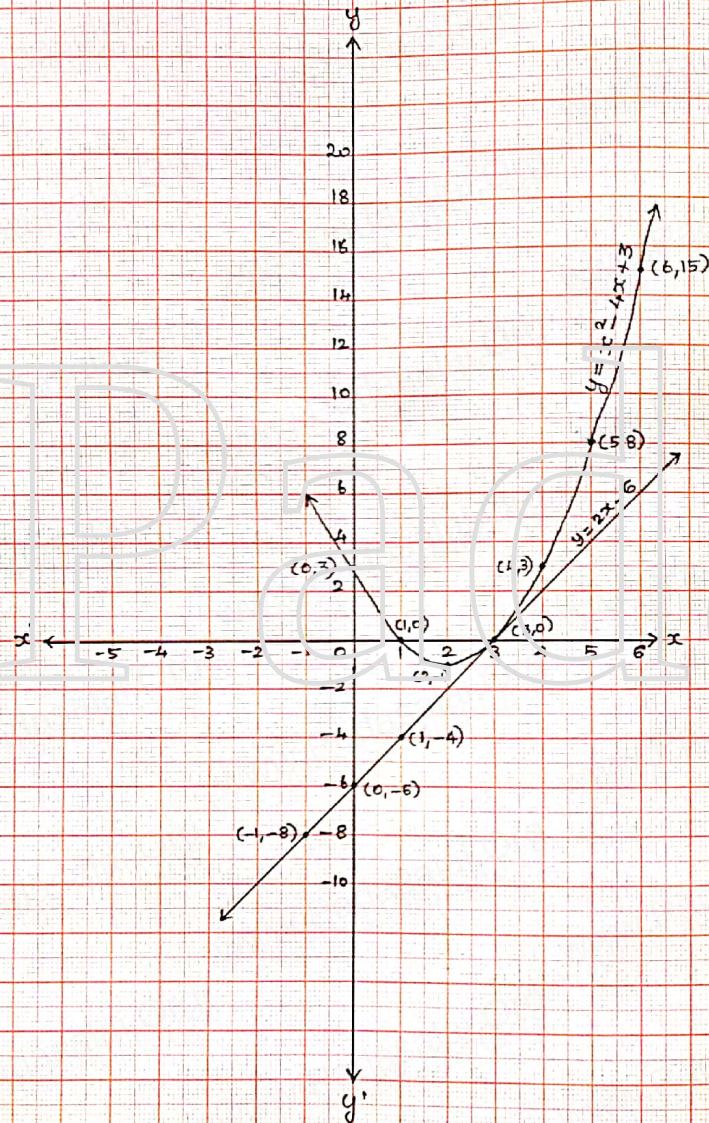
VI. SCALE: x axis: 1cm = 1 unit

y axis: 1cm = 2 units.

SCALE

x axis: 1 cm = 1 unit

y axis: 1 cm = 2 units



(14) Draw the graph of $y = x^2 - 4x + 3$ and use it to
Example solve $x^2 - 6x + 9 = 0$.

3.52. Soln: $x^2 - 6x + 9 = 0 \Rightarrow (x-3)(x-3) = 0$ $\begin{array}{r|l} 9 & -6 \\ -1 & -9 = -10 \\ -3 & -3 = -6 \checkmark \end{array}$

(131) $\therefore x = 3, 3$. Required points: 0-6

I. TABLE-1: (Parabola.)Let us find the points for $y = x^2 - 4x + 3$.

x	0	1	2	3	4	5	6
x^2	0	1	4	9	16	25	36
$-4x$	0	-4	-8	-12	-16	-20	-24
3	3	3	3	3	3	3	3
tot: +ve	3	4	7	12	19	28	39
-ve.	0	-4	-8	-12	-16	-20	-24
y	3	0	-1	0	3	8	15

II. POINTS: (0, 3), (1, 0), (2, -1), (3, 0), (4, 3), (5, 8), (6, 15)

III. TAB. E-2: (Straight line).

$$y = x^2 - 4x + 3 \quad (-)$$

$$0 = x^2 - 6x + 9$$

$$y = 2x - 6$$

$$x = -1 \Rightarrow y = 2(-1) - 6 = -2 - 6 = -8 \quad (-1, -8)$$

$$x = 0 \Rightarrow y = 2(0) - 6 = 0 - 6 = -6 \quad (0, -6)$$

$$x = 1 \Rightarrow y = 2(1) - 6 = 2 - 6 = -4 \quad (1, -4)$$

IV. POINTS: (-1, -8), (0, -6), (1, -4).

V. POINT OF INTERSECTION:

(3, 0). x-co-ordinate 3.

VI. SOLUTION: $x = 3$.VII. SCALE: x axis: 1 cm = 1 unit.

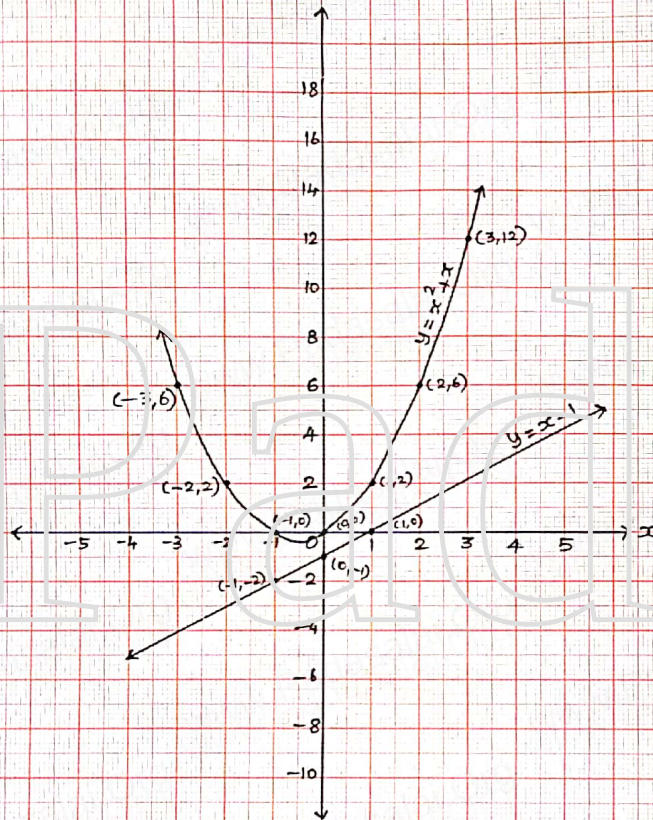
y axis: 1 cm = 2 units.

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SCALE

x axis: 1cm = 1 unit

y axis: 1cm = 2 units.



(15)

Draw the graph of $y = x^2 + x$ and hence solve $x^2 + 1 = 0$

Ex 3.15

Soln: $x^2 + 1 = 0$ has no solution.

$$\begin{array}{r|l} 1 & 0 \\ 1 & 1 = 2x \end{array}$$

(3)

Pg. 132

Hence Required points are -3 to 3 (7 points).

I. TABLE-1: (Parabola)Let us find the point for $y = x^2 + x$.

x	-3	-2	-1	0	1	2	3
x^2	9	4	1	0	1	4	9
x	-3	-2	-1	0	1	2	3
y	6	2	0	0	2	6	12

II. POINTS: (-3, 6), (-2, 2), (-1, 0), (0, 0), (1, 2), (2, 6), (3, 12)III. TABLE-2: (Straight Line)

$$y = x^2 + x \quad (-)$$

$$0 = x^2 + 1.$$

$$y = x - 1.$$

$$x = -1 \Rightarrow y = -1 - 1 = -2$$

$$(-1, -2)$$

$$x = 0 \Rightarrow y = 0 - 1 = -1$$

$$(0, -1)$$

$$x = 1 \Rightarrow y = 1 - 1 = 0$$

$$(1, 0)$$

IV. POINTS: (-1, -2), (0, -1), (1, 0).V. POINT OF INTERSECTION:

Does not intersect

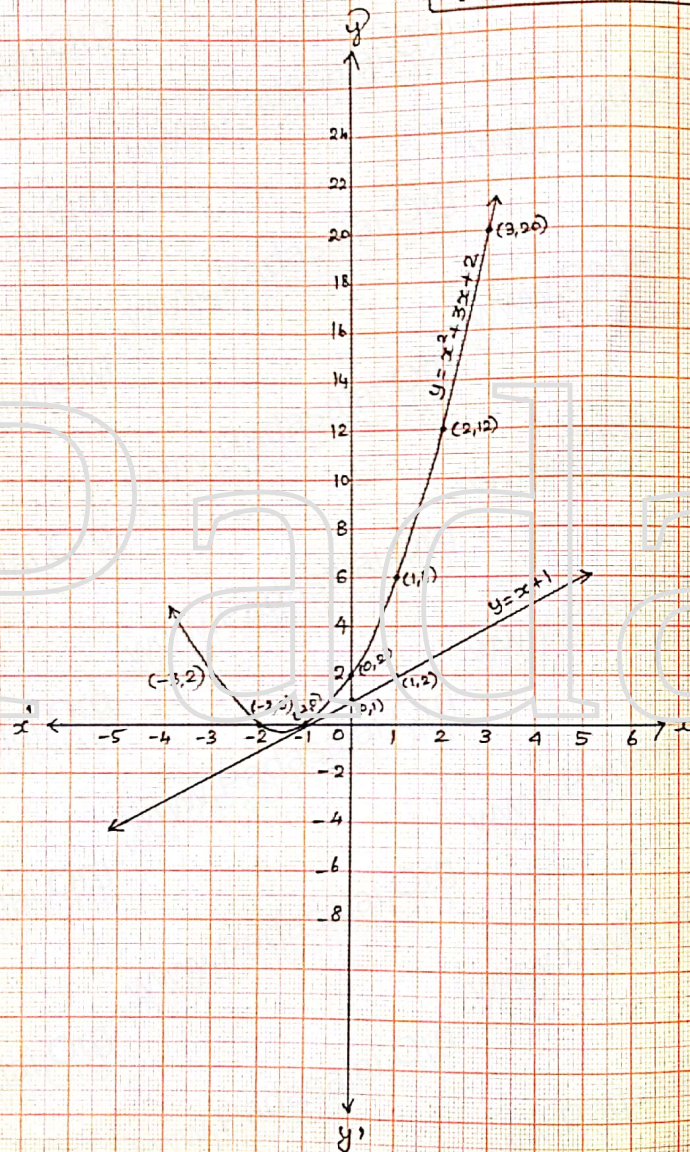
VI. SOLUTION: Has no real roots. Hence no solution.VII. SCALE: x axis: 1cm = 1 units.

y axis: 1cm = 2 units.

SCALE

x axis: 1cm = 1 unit

y axis: 1cm = 2 units.



(16) Draw the graph of $y = x^2 + 3x + 2$ and use it to solve $x^2 + 2x + 1 = 0$.

3.15

(4) Soln: $x^2 + 2x + 1 = 0 \Rightarrow (x+1)(x+1) = 0$

Pg: 132. $\therefore x = -1, -1$. $\therefore$ Reqd. points: -3 to 3 (7 points)

$$\begin{array}{r} 1 \ 2 \\ 1 \ 1 \\ \hline 2 \end{array}$$

I. TABLE-1: (Parabola).

Let us find the points for $y = x^2 + 3x + 2$.

x	-3	-2	-1	0	1	2	3
x^2	9	4	1	0	1	4	9
$3x$	-9	-6	-3	0	3	6	9
2	2	2	2	2	2	2	2
tot. +ve.	11	6	3	2	6	12	20
-ve.	-9	-6	-3	0	3	6	9
y	2	0	0	2	6	12	20

II. POINTS: $(-3, 2), (-2, 0), (-1, 0), (0, 2), (1, 6), (2, 2), (3, 20)$

III. TABLE-2: (Straight Line)

$$y = x^2 + 3x + 2 \quad (-)$$

$$0 = x^2 + 3x + 2 \quad (-)$$

$$y = x + 1$$

$$x = -1 \Rightarrow y = -1 + 1 = 0$$

$$(-1, 0)$$

$$x = 0 \Rightarrow y = 0 + 1 = 1$$

$$(0, 1)$$

$$x = 1 \Rightarrow y = 1 + 1 = 2$$

$$(1, 2)$$

IV. POINTS: $(-1, 0), (0, 1), (1, 2)$.

V. POINT OF INTERSECTION:

$(-1, 0)$. x coordinate -1.

VI. SOLUTION: $x = -1$.

VII. SCALE: x axis: 1cm = 1 unit.

y axis: 1cm = 2 units.

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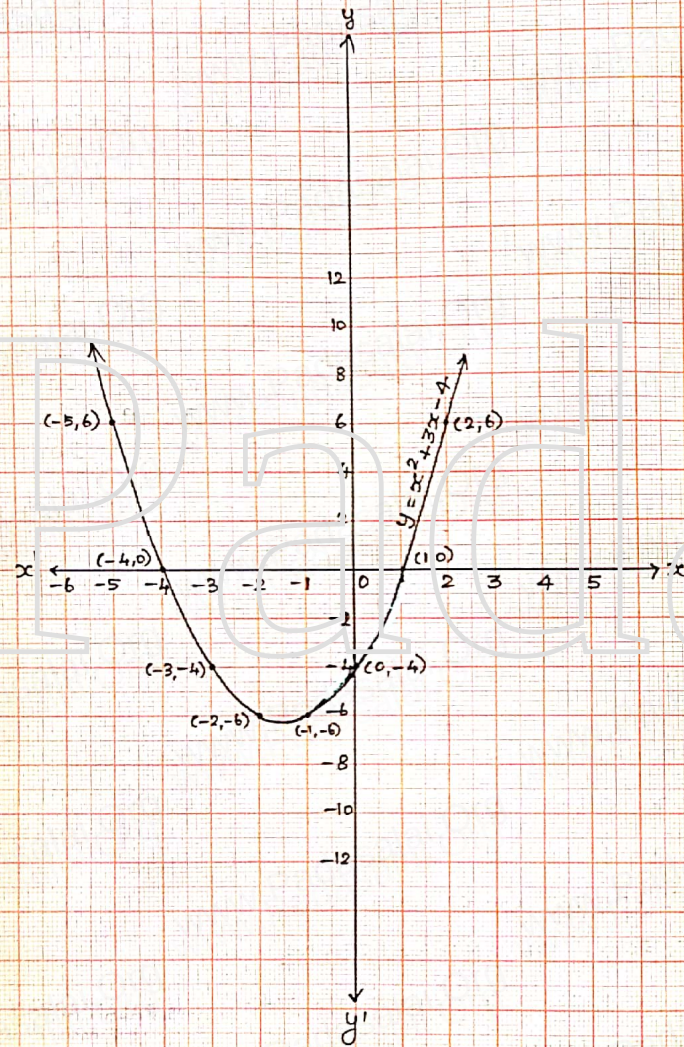
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SCALE

x axis: 1cm = 1 unit

y axis: 1cm = 2 units.



(17) Draw the graph of $y = x^2 + 3x - 4$ and hence use it to solve $x^2 + 3x - 4 = 0$.

3.15

(5) Pg. 132

Soln: $x^2 + 3x - 4 = 0 \Rightarrow (x+4)(x-1) = 0$ $\therefore x = -4, 1$. Reqd. points: -5 to 2

$$\begin{array}{r|l} -4 & 3 \\ 1 & -4 = -3x \\ 4 & -1 = 3 \checkmark \end{array}$$

I. TABLE-1: (Parabola)Let us find the points for $y = x^2 + 3x - 4$.

x	-5	-4	-3	-2	-1	0	1	2
x^2	25	16	9	4	1	0	1	4
$3x$	-15	-12	-9	-6	-3	0	3	6
-4	-4	-4	-4	-4	-4	-4	-4	-4
tot. +ve	25	16	9	4	1	0	4	10
-ve	-19	-16	-13	-10	-7	-4	-4	-4
y	6	0	-4	-6	-6	-4	0	6

II. POINTS: $(-5, 6), (-4, 0), (-3, -4), (-2, -6), (-1, -6), (0, -4)$ III. TABLE-2: (Straight line) $(1, 0), (2, 6)$

$$y = x^2 + 3x - 4$$

$$0 = x^2 + 3x - 4$$

$$y = 0 \leftarrow (x \text{ axis})$$

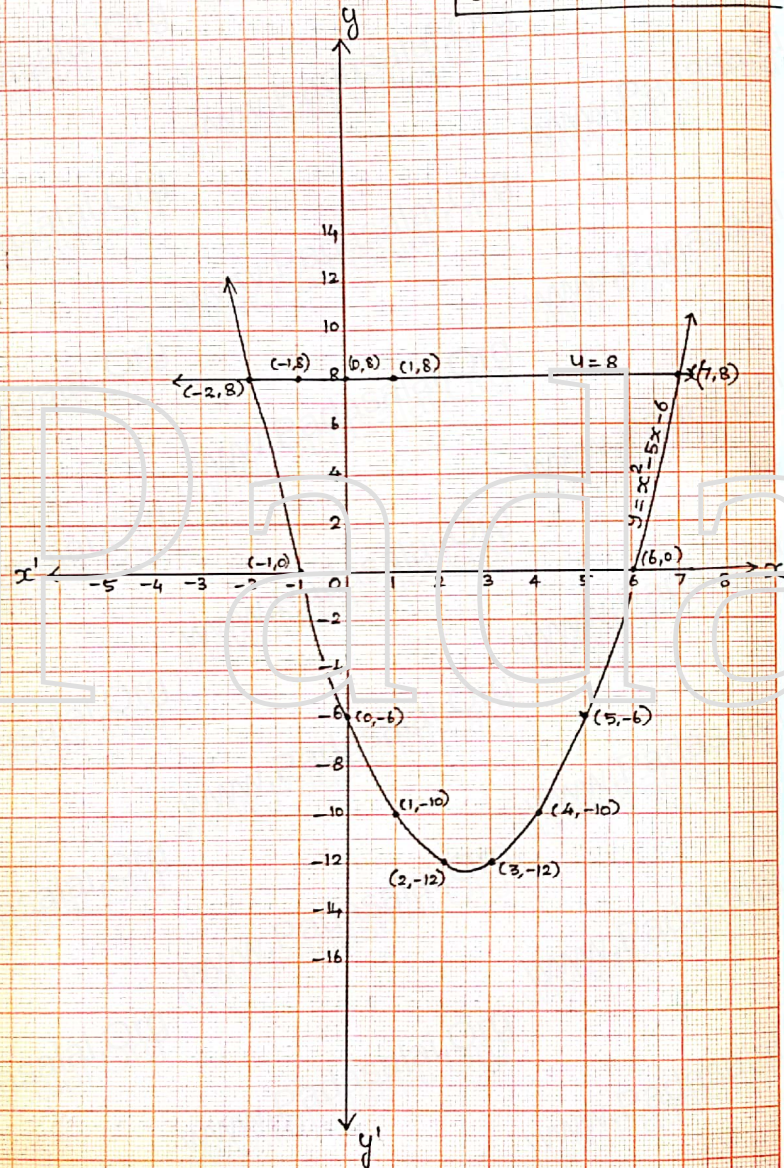
IV. POINTS: $(-1, 0), (0, 0), (1, 0)$ V. POINT OF INTERSECTION: $(-4, 0)$ and $(1, 0)$. x coordinates -4, 1.VI. SOLUTION: $x = -4, 1$.VII. SCALE: x axis: 1cm = 1 unit.

y axis: 1cm = 2 units.

SCALE:

x axis: 1 cm = 1 unit

y axis: 1 cm = 2 units.



(18) Draw the graph of $y = x^2 - 5x - 6$ and hence solve $x^2 - 5x - 14 = 0$.

Ex 3.15
Pg. 132

Soln: $x^2 - 5x - 14 = 0 \Rightarrow (x+2)(x-7) = 0$

-14	-5
1	-14 = -13 x
2	-7 = -5 ✓

$\therefore x = -2, 7$ Reqd. points: (-2 to 7) (10 points)

I. TABLE-1: Parabola

Let us find the points of $y = x^2 - 5x - 6$.

x	-2	-1	0	1	2	3	4	5	6	7
x^2	4	1	0	1	4	9	16	25	36	49
$-5x$	+10	+5	0	-5	-10	-15	-20	-25	-30	-35
-6	-6	-6	-6	-6	-6	-6	-6	-6	-6	-6
Pos: +ve	14	6	0	1	4	9	16	25	36	49
-ve	-6	-6	-6	-11	-16	-21	-26	-31	-36	-41
y	8	0	-6	-10	-12	-12	-10	-6	0	8

II. POINTS: $(-2, 8), (-1, 0), (0, -6), (1, -10), (2, -12), (3, -12), (4, -10), (5, -6), (6, 0), (7, 8)$.

III. TABLE-2: (Straight Line.)

$$y = x^2 - 5x - 6$$

$$0 = x^2 - 5x - 14$$

$$y = 8$$

$$x = -1 \Rightarrow y = 8$$

$$x = 0 \Rightarrow y = 8$$

$$x = 1 \Rightarrow y = 8$$

(-1, 8)
(0, 8)
(1, 8)

IV. POINT OF INTERSECTION:

$(-2, 8)$ and $(7, 8)$. x co-ordinates: -2, 7.

V. SOLUTION: $x = -2, 7$.

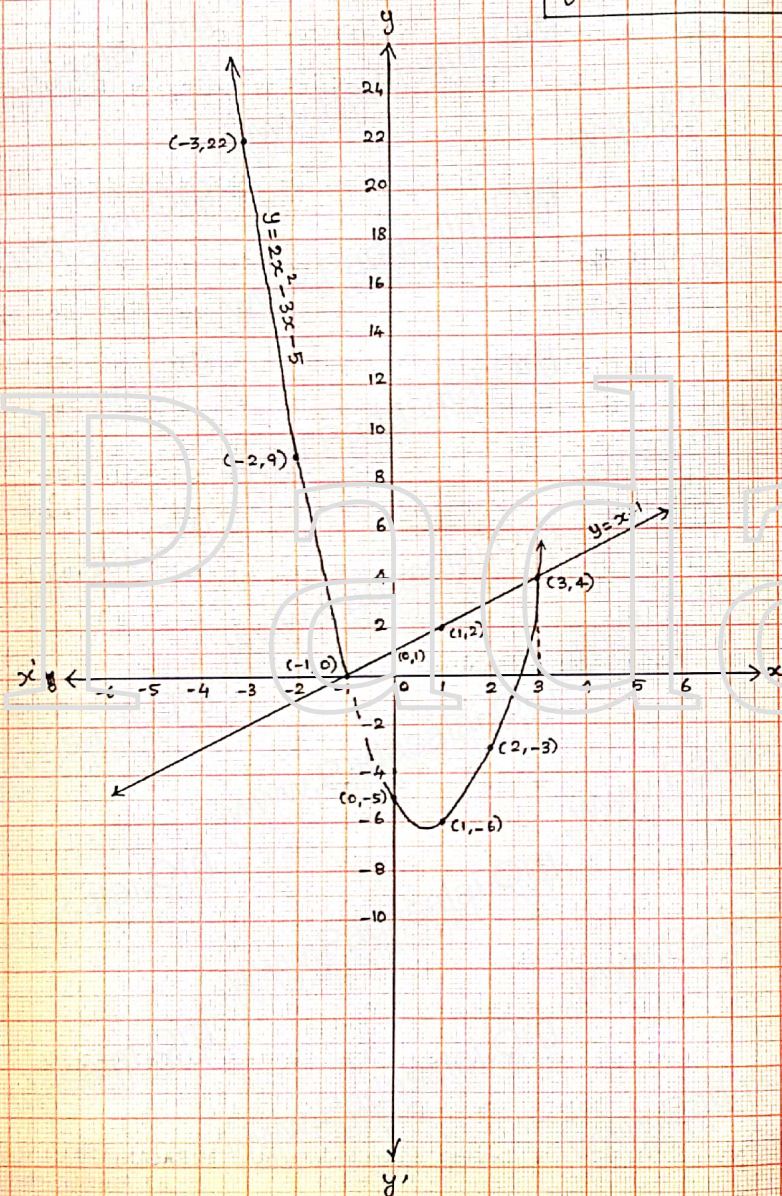
VI. SCALE: x axis: 1 cm = 1 unit. M. PALANIAPPAN, M.Sc. B.Ed.
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y axis: 1 cm = 2 units. SGHSS, NERKUPPAL, SVG. Dist

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SCALE

x axis: 1 cm = 1 unit

y axis: 1 cm = 2 units.



(19)

Ex. 3.15

(7)

Pg. 132.

Draw the graph of $y = 2x^2 - 3x - 5$ and hence solve $2x^2 - 4x - 6 = 0$.

Soln: $2x^2 - 4x - 6 = 2(x^2 - 2x - 3) = 0$.

$$\therefore x^2 - 2x - 3 = 0 \Rightarrow (x+1)(x-3) = 0.$$

$$\begin{array}{r|l} -3 & -2 \\ 1 & -3 = -2 \checkmark \\ 3 & -1 = 2 \times \end{array}$$

I. TABLE-1: (Parabola) $\therefore x = -1, 3$ Points: $(-3 \text{ to } 3)$ 7 pairs.

Let us find the points for $y = 2x^2 - 3x - 5$.

x	-3	-2	-1	0	1	2	3
x^2	9	4	1	0	1	4	9
$2x^2$	18	8	2	0	2	8	18
$-3x$	9	6	3	0	-3	-6	-9
-5	-5	-5	-5	-5	-5	-5	-5
Tot	27	14	5	0	2	8	18
ve	-5	-5	-5	-5	-8	-11	-14
y	22	9	0	-5	-6	-3	4

II. POINTS: $(-3, 22), (-2, 9), (-1, 0), (0, -5), (1, -6), (2, -3), (3, 4)$

III. TAB E-2: (Straight Line)

$$y = 2x^2 - 3x - 5 \quad (-)$$

$$0 = 2x^2 - 4x - 6 \quad (+)$$

$$y = x + 1$$

$$x = -1 \Rightarrow y = -1 + 1 = 0$$

$$(-1, 0)$$

$$x = 0 \Rightarrow y = 0 + 1 = 1$$

$$(0, 1)$$

$$x = 1 \Rightarrow y = 1 + 1 = 2$$

$$(1, 2)$$

IV. POINTS: $(-1, 0), (0, 1), (1, 2)$

V. POINT OF INTERSECTION:

$(-1, 0)$ and $(3, 4)$. x coordinates: -1 and 3 .

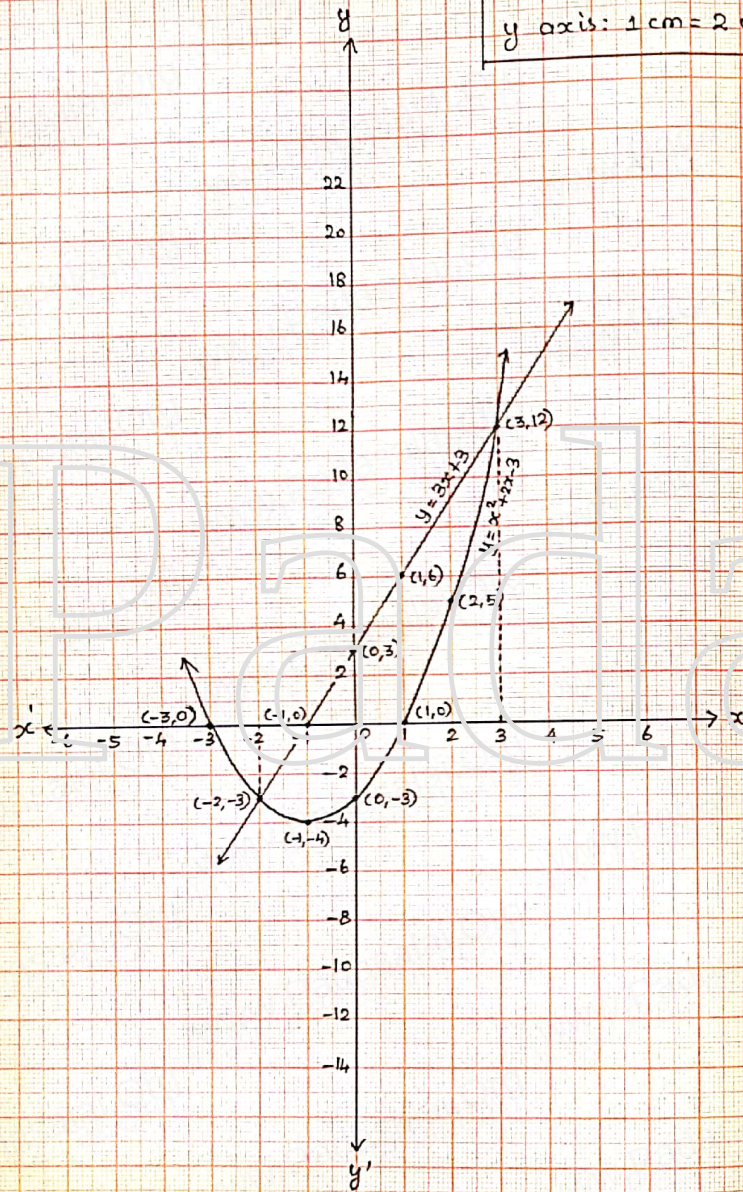
VI. SOLUTION: $x = -1, 3$.

VII. SCALE: x axis: 1 cm = 1 unit.

y axis: 1 cm = 2 units.

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SCALE
 x axis: 1 cm = 1 unit
 y axis: 1 cm = 2 units.



(20) Draw the graph of $y = (x-1)(x+3)$ and hence solve $x^2 - x - 6 = 0$.

Ex 3.15
 Pg. 132

(8) Soln: $x^2 - x - 6 = 0 \Rightarrow (x+2)(x-3) = 0$.
 $\therefore x = -2, 3$. Req'd. points: -3 to 3 (7 points).

$$\begin{array}{r|l} -6 & -1 \\ 1 & -6 = -5 \times \\ 2 & -3 = -1 \checkmark \end{array}$$

I. TABLE-1: (Parabola)

$$y = (x-1)(x+3) = x^2 + 3x - x - 3 = x^2 + 2x - 3 \quad \therefore y = x^2 + 2x - 3$$

Let us find the points for $y = x^2 + 2x - 3$.

x	-3	-2	-1	0	1	2	3
x^2	9	4	1	0	1	4	9
$2x$	-6	-4	-2	0	2	4	6
-3	-3	-3	-3	-3	-3	-3	-3
Net: +ve	9	4	1	0	3	8	15
-ve	-9	-7	-5	-3	-3	-3	-3
y	0	-3	-4	-3	0	5	12

II. POINTS: $(-3, 0), (-2, -3), (-1, -4), (0, -3), (1, 0), (2, 5), (3, 12)$

III. TABLE-2: (Straight Line).

$$y = x^2 + 2x - 3$$

$$0 = x^2 + 2x - 3$$

$$y = 3x + 3$$

$$x = -1 \Rightarrow y = 3(-1) + 3 = -3 + 3 = 0$$

$$x = 0 \Rightarrow y = 3(0) + 3 = 0 + 3 = 3$$

$$x = 1 \Rightarrow y = 3(1) + 3 = 3 + 3 = 6$$

$(-1, 0)$
 $(0, 3)$
 $(1, 6)$

IV. POINTS: $(-1, 0), (0, 3), (1, 6)$

V. POINTS OF INTERSECTION:

$(-2, -3)$ and $(3, 12)$. x coordinates -2 and 3 .

VI. SOLUTION: $x = -2, 3$.

VII. SCALE: x axis: 1 cm = 1 unit

y axis: 1 cm = 2 units.